CMPT 473 Software Testing, Reliability and Security

Performance

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 - Time
 - Memory
 - Open connections
 - VM instances
 - Energy consumption
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 Data Structure A vs Data Structure B

How would you approach this in a data structures course?

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 - 1) Clear claims
 - 2) Clear evidence
 - 3) Correct reasoning from evidence to claims
 - And yet this is challenging to get right!

Several facets:

- Speed / Running time
 - The total time required (latency?)
- Throughput
 - Pages/Transactions per second, bytes per second
- Responsiveness
 - UI response time, server response time at peak load
- Memory Consumption
 - Peak memory consumption
- ...

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How? What should the tests capture?

• We must reason rigorously about performance during assessment, investigation, & improvement

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 - Real world system performance

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 - Focus on cost of an operation in isolation
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 - Macrobenchmarks
 - Real world system performance
 - Workloads (inputs) must be chosen carefully either way.
 - representative, pathological, scenario driven, ...

Suppose we want to run a microbenchmark

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startTime = getCurrentTimeInSeconds();
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What possible issues do you observe?

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- Granularity of measurement
- Warm up effects
- Nondeterminism
- Size of workload
- System interference
- Frequency scaling?
- Interference of other workloads?
- Alignment?

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 - Why is granularity a problem?
 - What are alternatives to getCurrentTimeInSeconds()?
 - What if I want to predict performance on a different machine?
 - Using *cycles* instead of wall clock time can be useful, but has its own limitations

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for (...) doWorkloadOfInterest();
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 - Will getCurrentTimeInSeconds() always return the same number?

Why/why not?

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Is this always what you want?

• A revised (informal) approach:

```
for (...) doWorkloadOfInterest();
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• A revised (informal) approach:

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startTime = getCurrentTimeInNanos();
for (...) doWorkloadOfInterest();
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```

- This still does not solve everything
 - Frequency scaling?
 - Interference of other workloads?
 - Alignment?

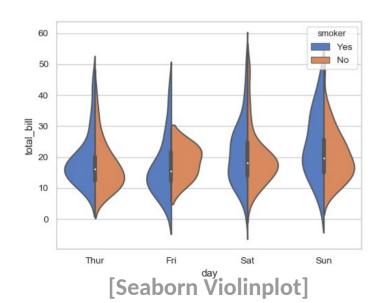
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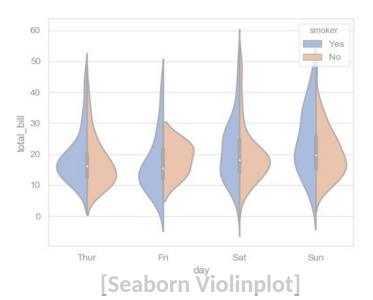
- Now we have a benchmark, how do we interpret/report it?
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 - Different solutions
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 - Results are often normalized against the baseline

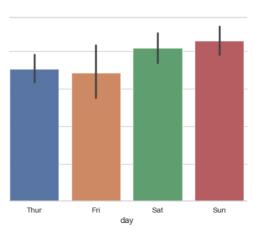
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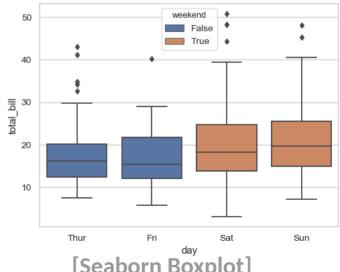
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 - We must compare
 - We must remember results are **statistical**
 - Show the distribution (e.g. violin plots)
 - Summarize the distribution (e.g. mean and confidence intervals, box & whisker)



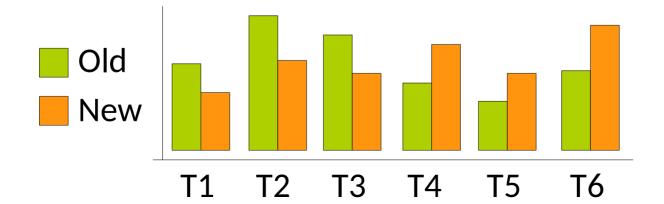




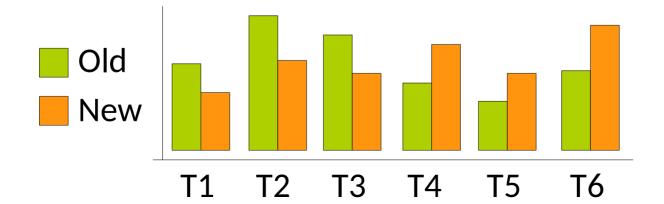
[Seaborn Barplot]

[Seaborn Boxplot]

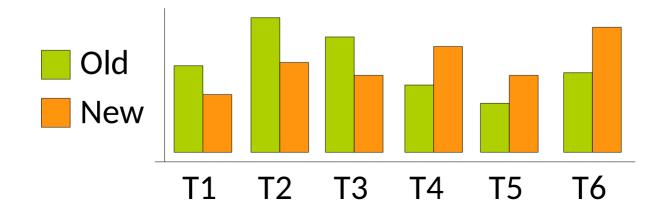
• A benchmark suite comprises multiple benchmarks



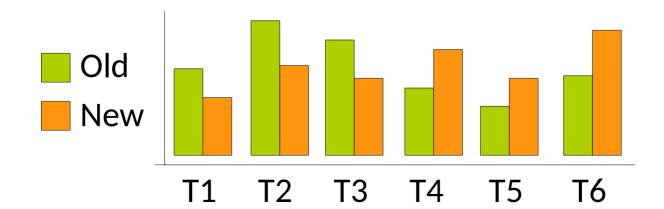
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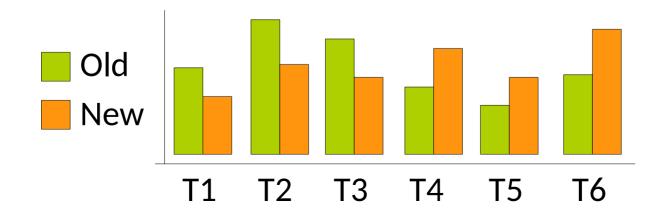
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 - 2 major senarios
 - Hypothesis testing
 - Is solution A different than B?



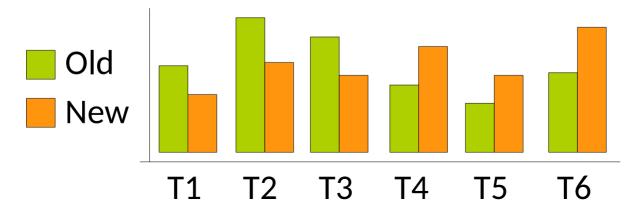
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 - You can use ANOVA



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- Now we have multiple results, how should we consider them?
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 - Summary statistics



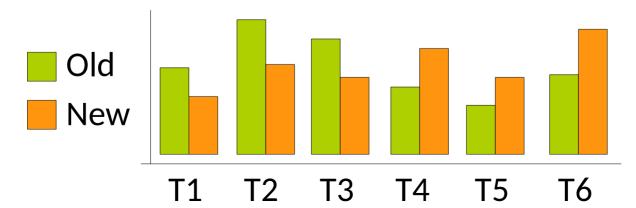
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Old: ? New: ?





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• Geometric Mean

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Each type means something different and has valid uses

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Handling Nondeterminism

```
for (x in 0 to 4)
  times[x] = doWorkloadOfInterest();
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Given tasks t1, t2, & t3 serving 40 pages each:

thoughput(t1) = 10 pages/sec

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What is the average throughput? What should it mean?

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CAVEAT: If the size of each workload changes, a weighted harmonic mean is required!

Geometric Mean

- Good for reporting results that mean different things
- e.g. Timing results across many different benchmarks



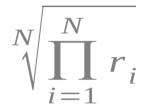
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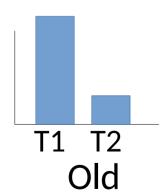
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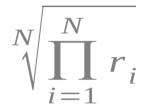
Any idea why it may be useful here? (A bit of a thought experiment)

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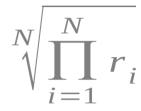


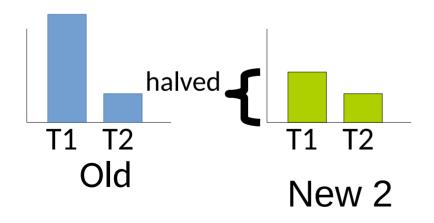
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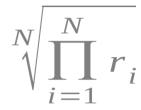
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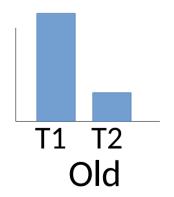




What happens to the arithmetic mean?

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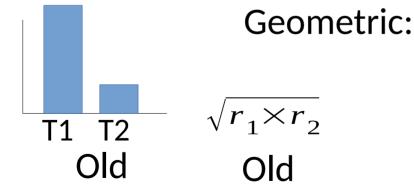




The (non) change to T1 dominates any behavior for T2!

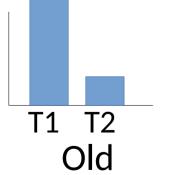
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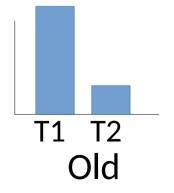


Geometric:

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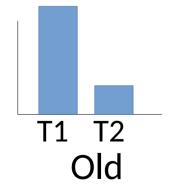
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 New 2

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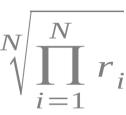


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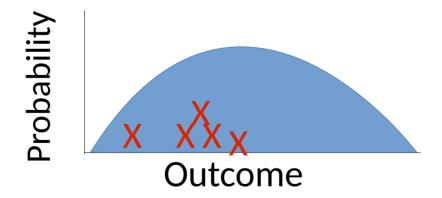
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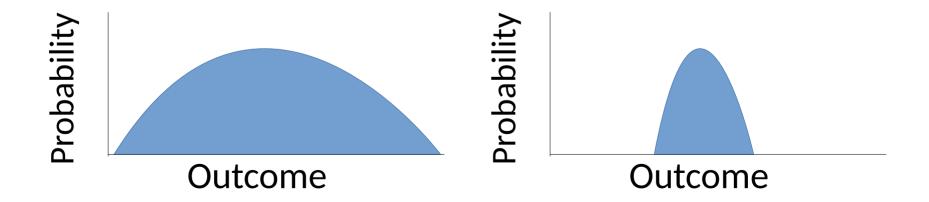
Note: It doesn't have an *intuitive* meaning! It does provides a balanced *score* of performance.

See [Mashey 2004] for deeper insights.

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- More rigorously, consider
 - Confidence intervals, T-tests, & ANOVA

Benchmarking

- In practice applying good benchmarking & statistics is made easier via frameworks
 - Google benchmark (C & C++)
 - Google Caliper (Java)
 - Nonius
 - Celero
 - Easybench
 - Pyperf
 - ...

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events like

```
task-clock,context-switches,cpu-migrations,
page-faults,cycles,instructions,branches,
branch-misses,cache-misses,cycle_activity.stalls_total
```

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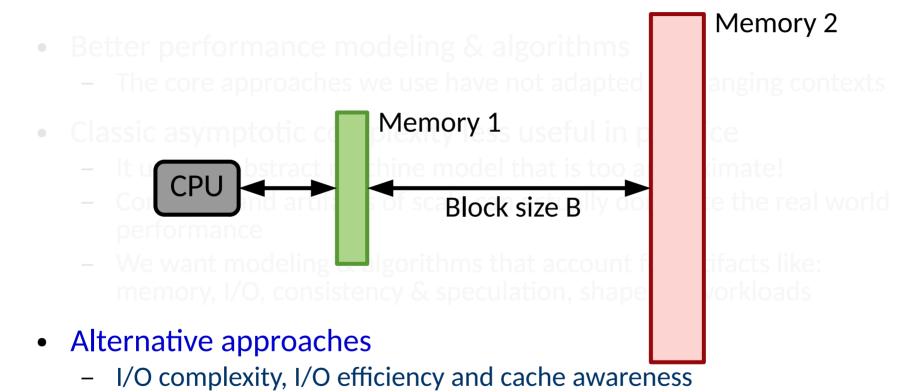
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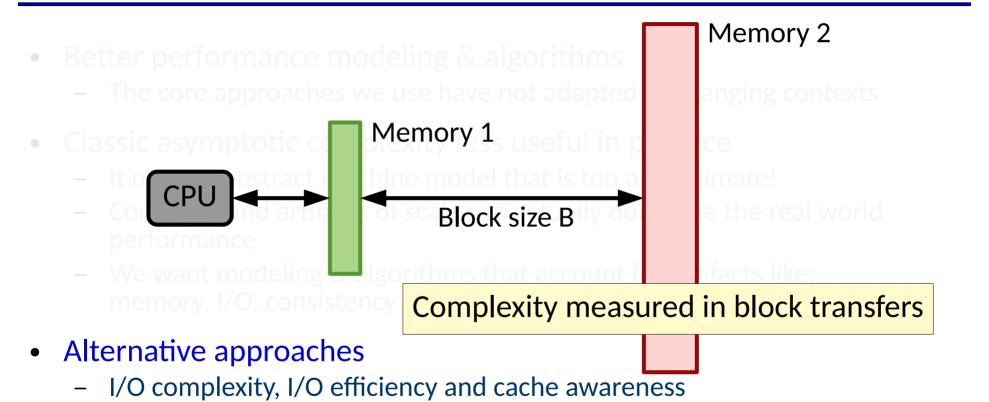
A uniform cost model throws necessary information away

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Similar to I/O, but agnostic to block size

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Alternative approaches

- I/O complexity, I/O efficiency and cache awareness
- Cache oblivious algorithms & data structures
- Parameterized complexity

Summary

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- Good tooling can allow you to investigate performance well