

# Neural Surface Reconstruction

Richard (Hao) Zhang

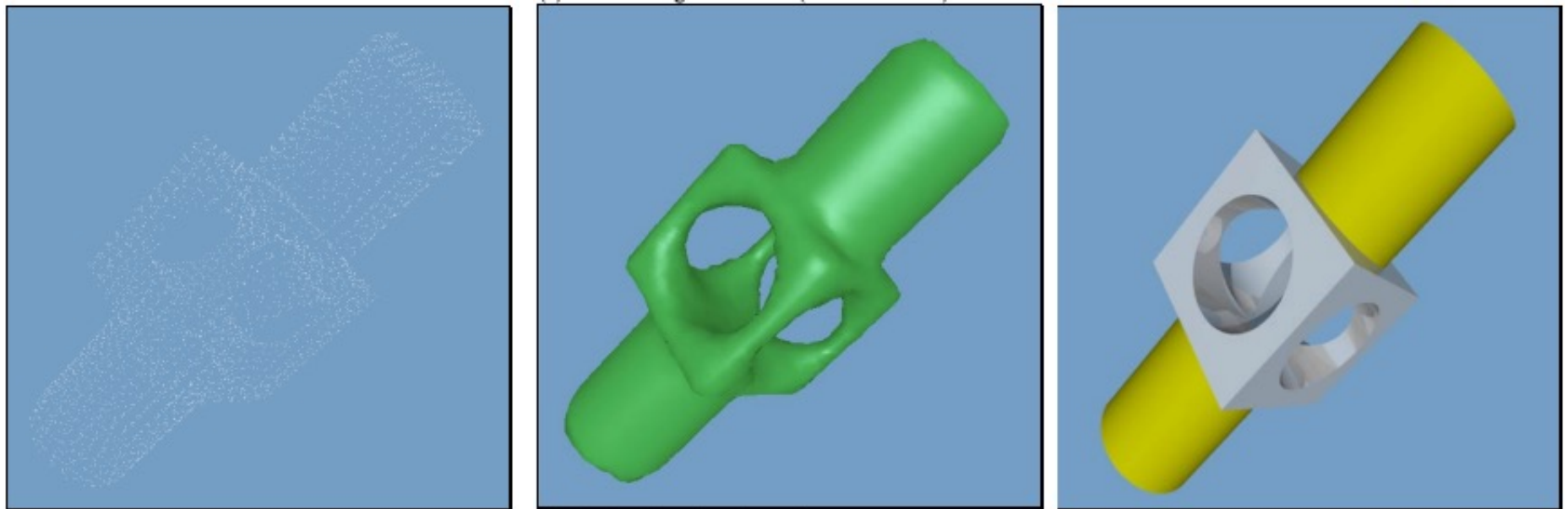
CMPT 464/764: Geometric Modeling in Computer Graphics

Lecture 9

# Start with Marching Cubes

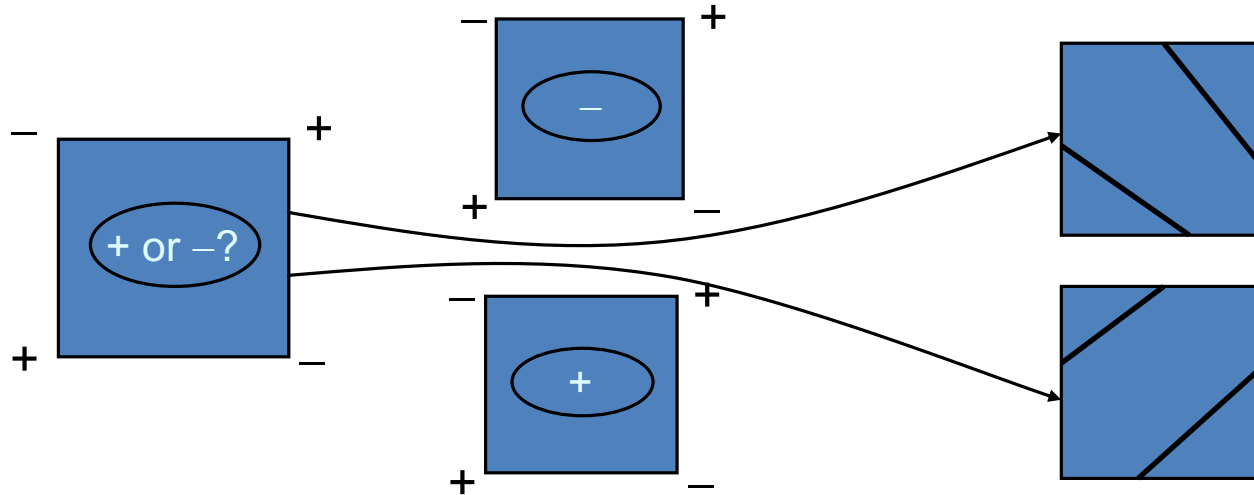
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- Issue #1: unable to recover sharp features



# Start with Marching Cubes

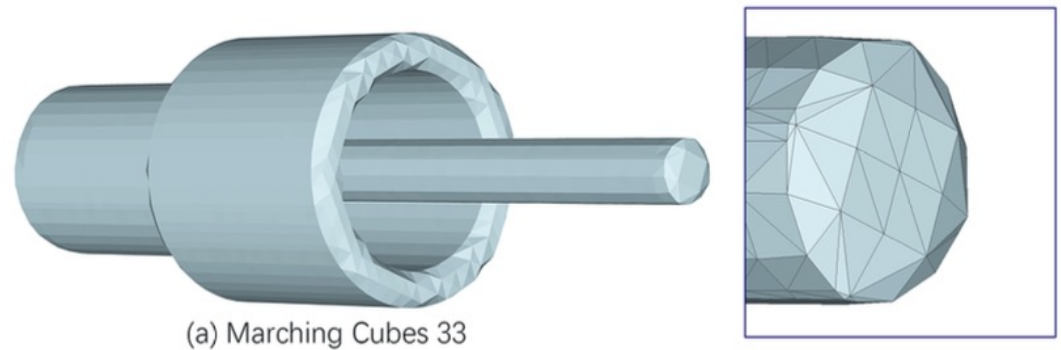
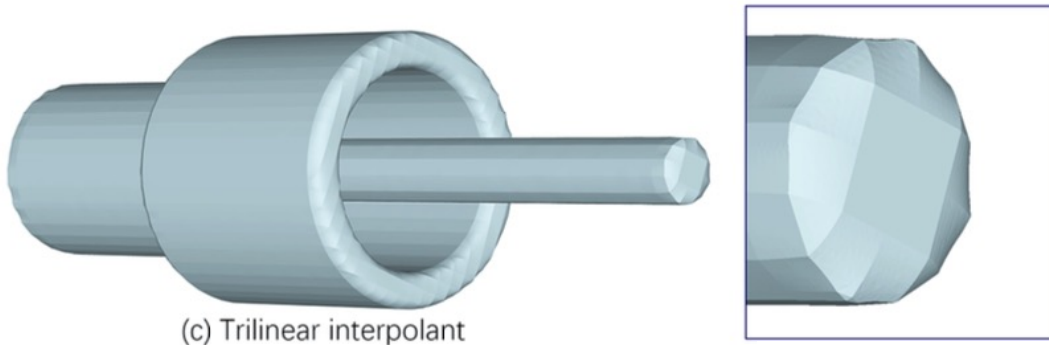
- Issue #2: **model-driven** — need assumption on unknowns



Recall: asymptotic decider uses **bilinear interpolation**

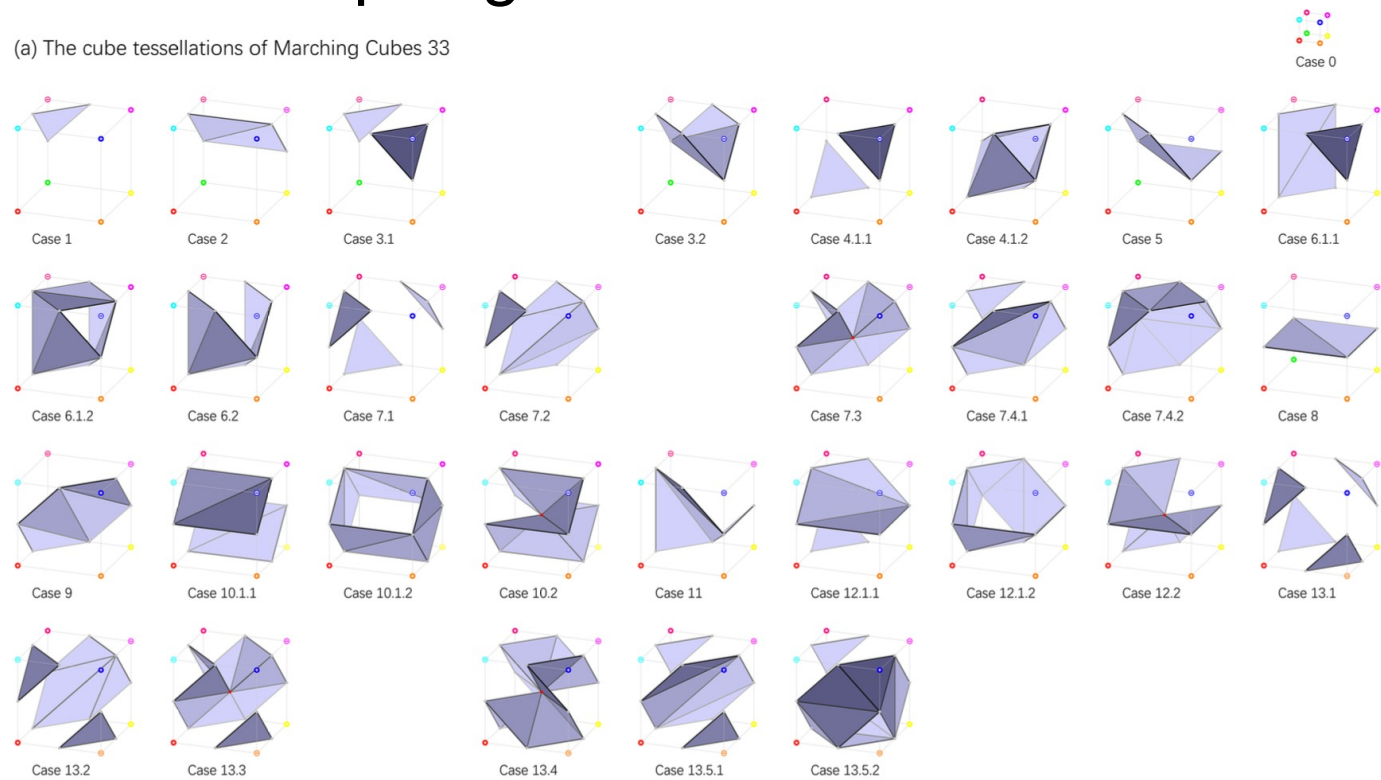
# Natural assumption in 3D: trilinearity

- Results of using trilinear interpolants



# Marching Cubes 33 [Chernyaev 1995]

- Enumerated all topological cases based on trilinearity



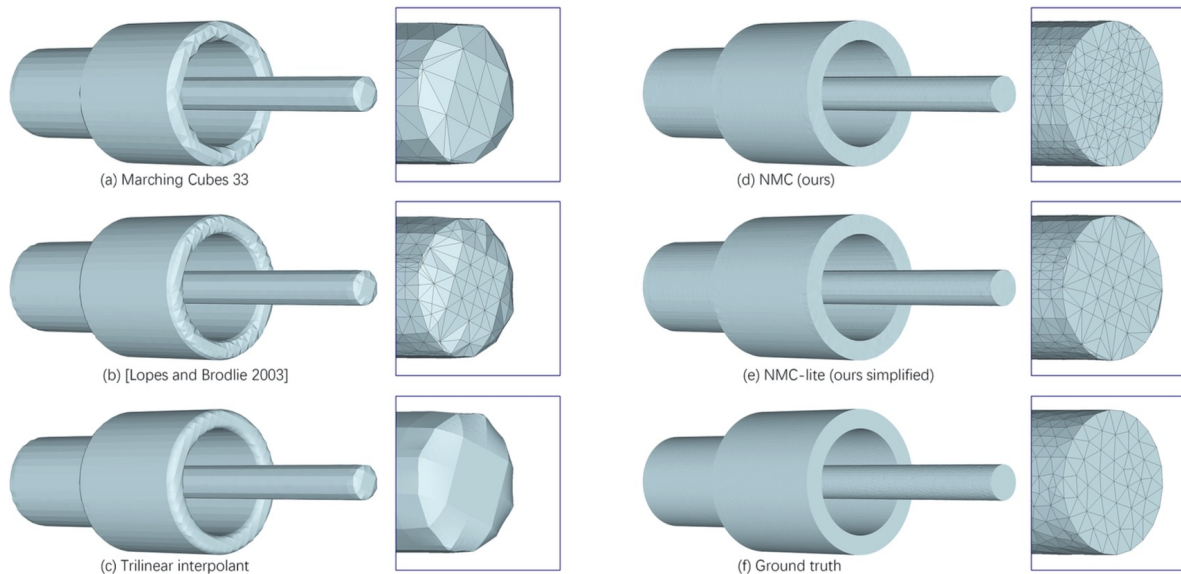
# Neural Marching Cubes (NMC)

- **Data-driven:** learn tessellations from training data

## Neural Marching Cubes

ZHIQIN CHEN, Simon Fraser University, Canada

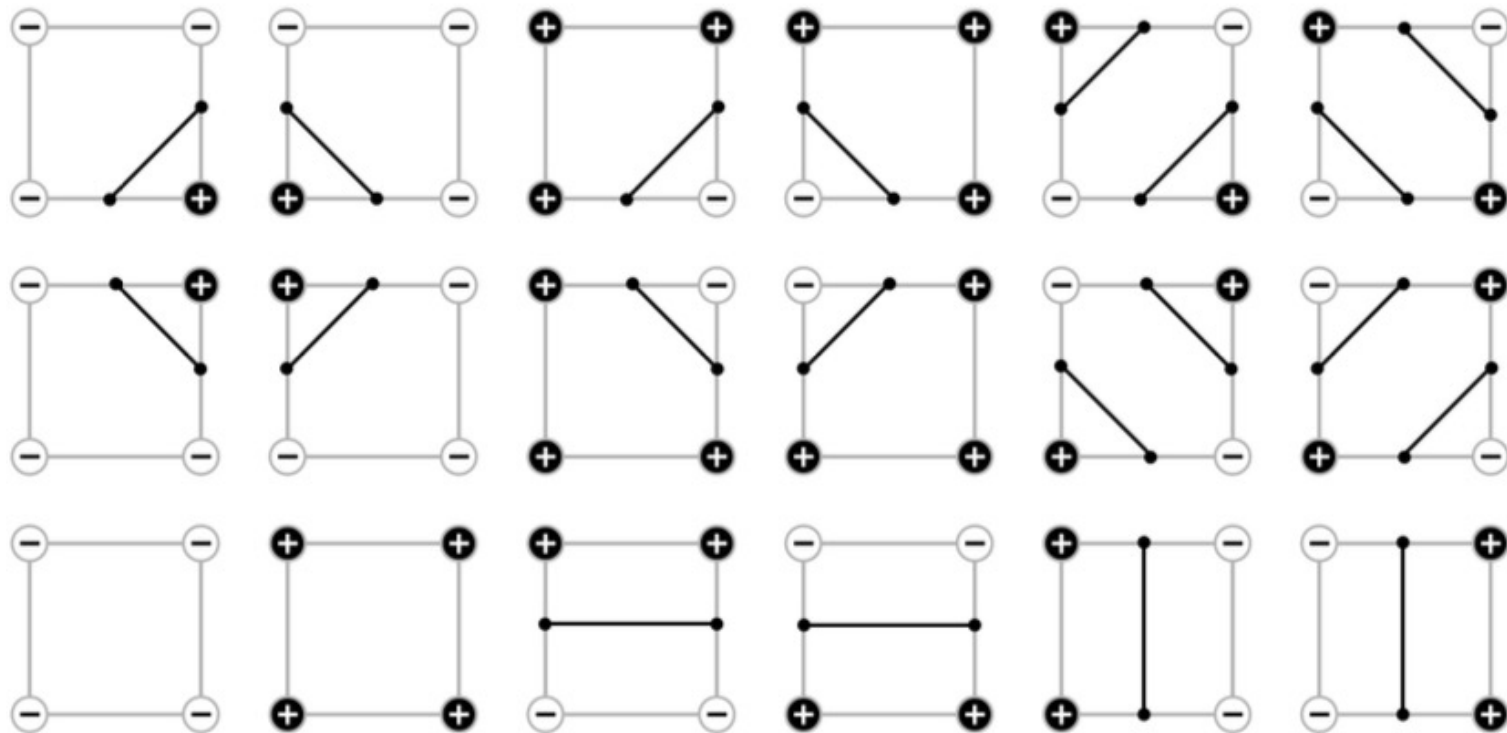
HAO ZHANG, Simon Fraser University, Canada



[Chen and Zhang,  
SIGGRAPH Asia 2021]

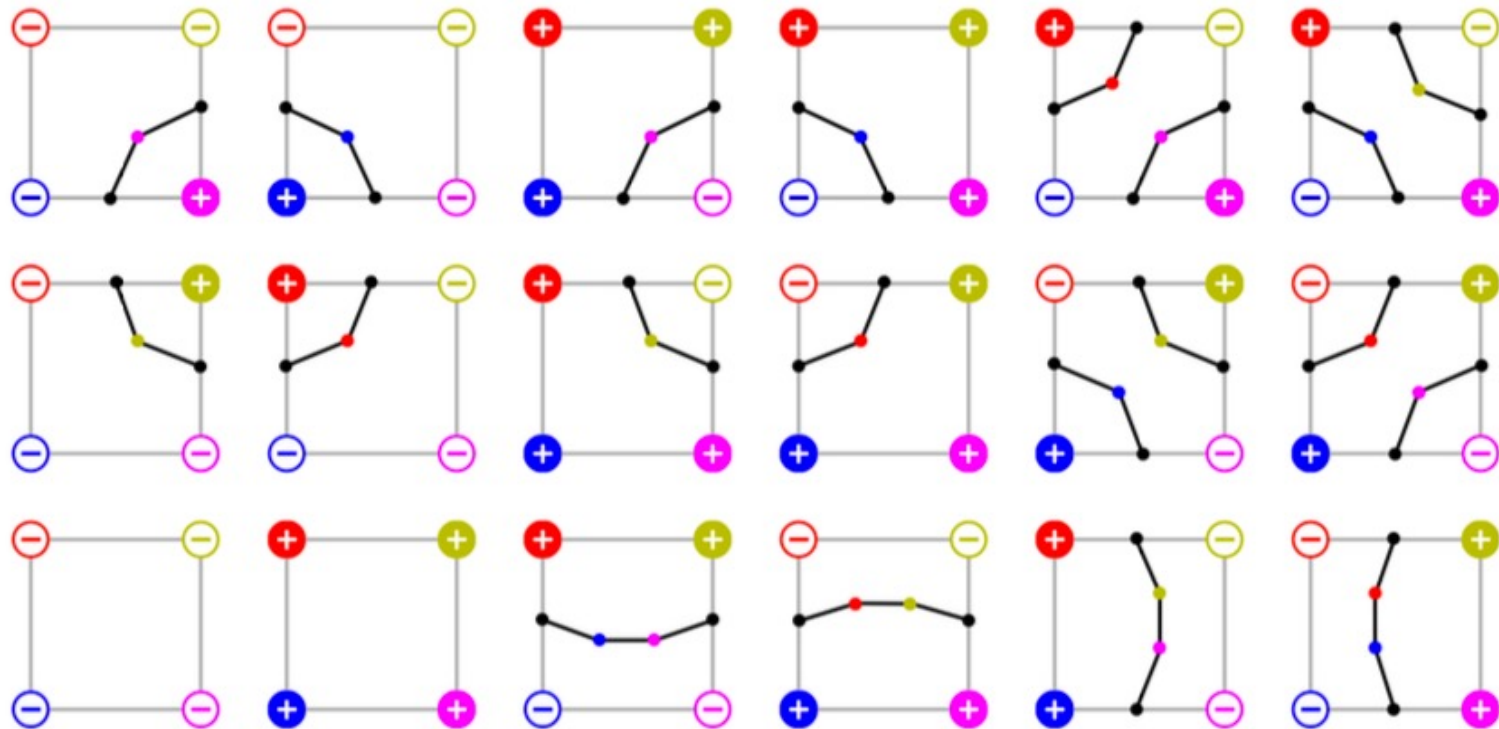
# MC vs. NMC cases in 2D

(a) The face tessellations of Marching Cubes



# MC vs. NMC cases in 2D

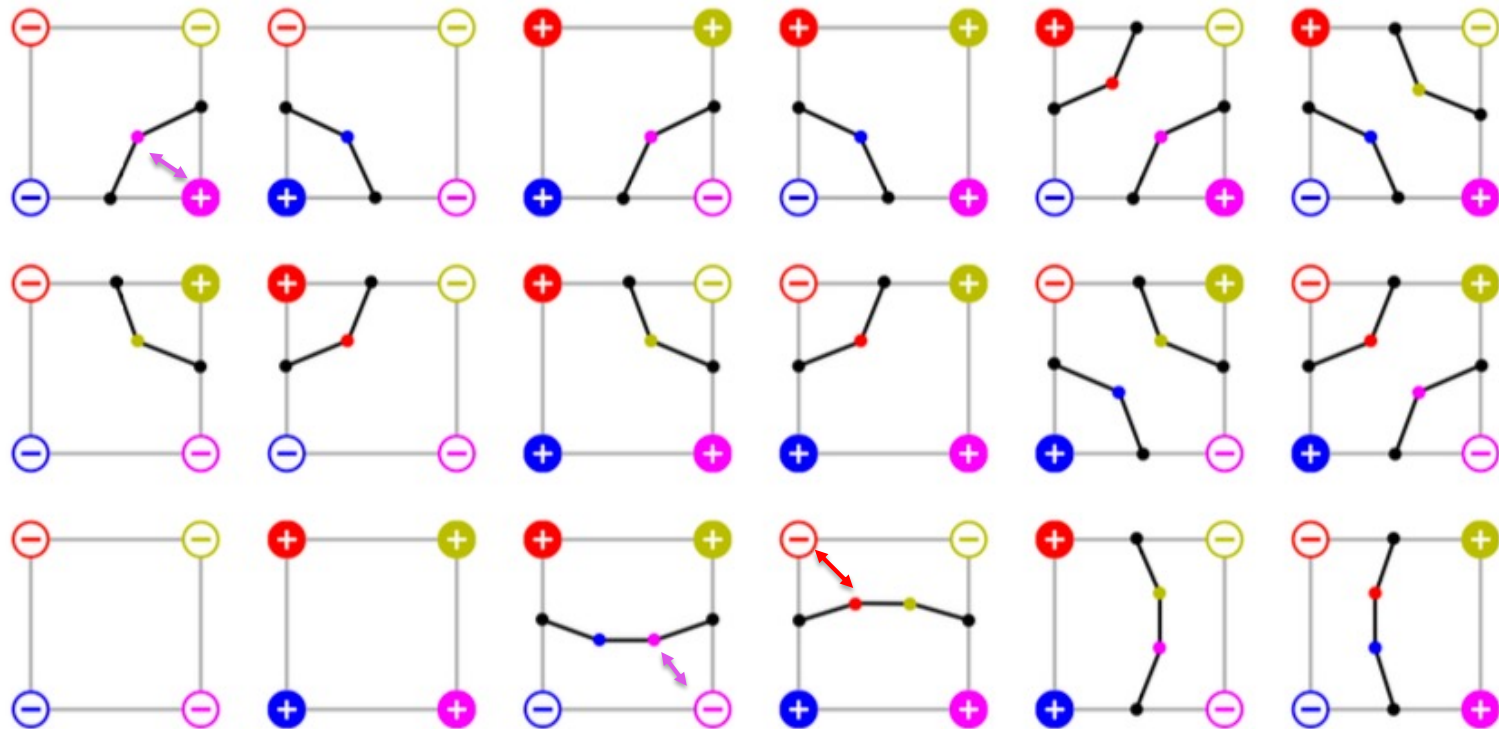
(b) Our face tessellations





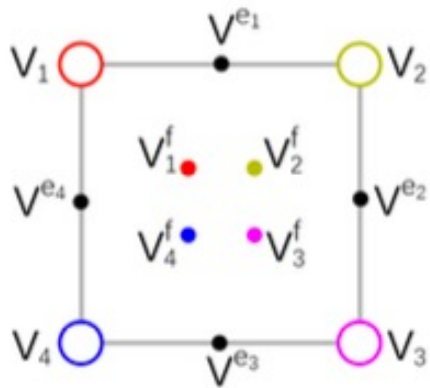
# Associating face and corner vertices

(b) Our face tessellations



# Fixed-length vectors to store tessellations

(c) Our representation to store each square

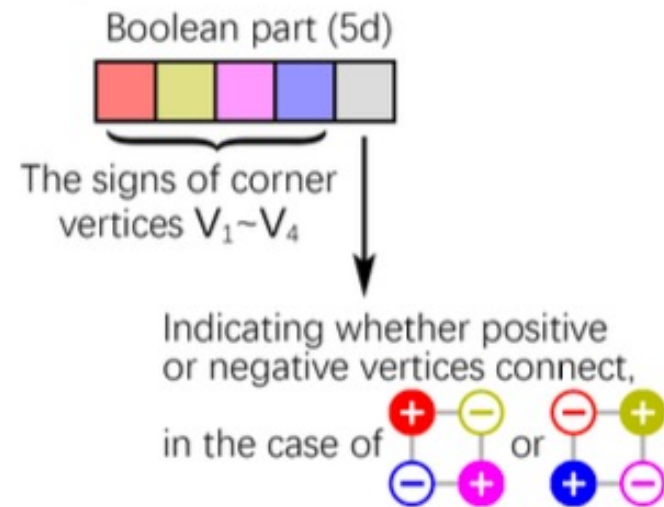
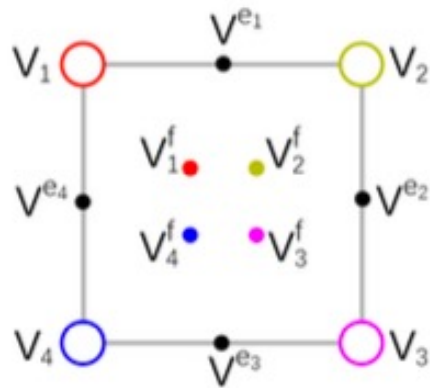


Four edge vertices

Four face vertices with  
association to corners

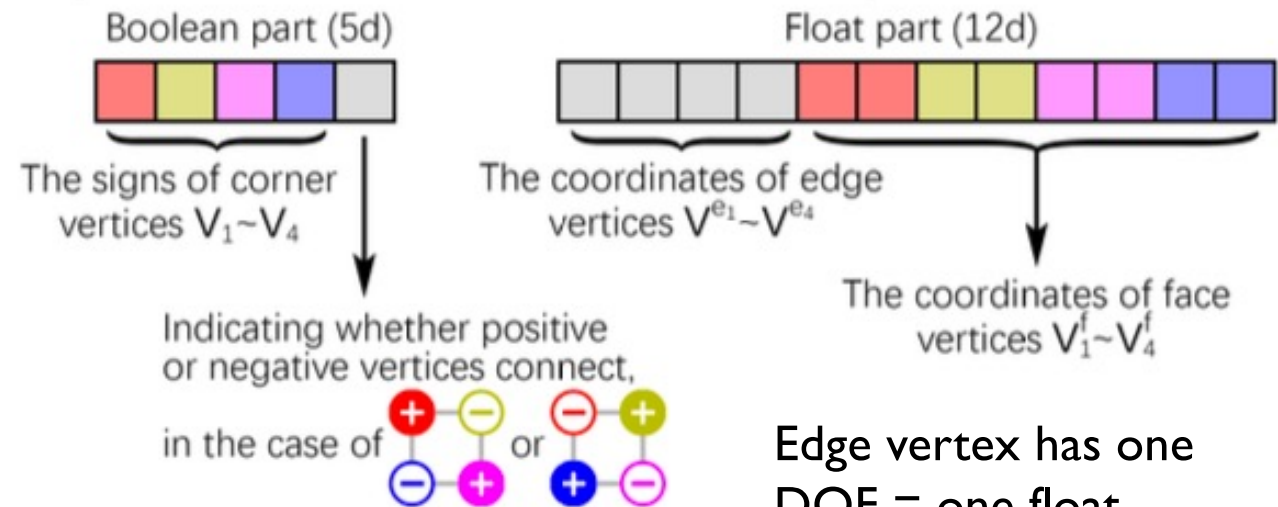
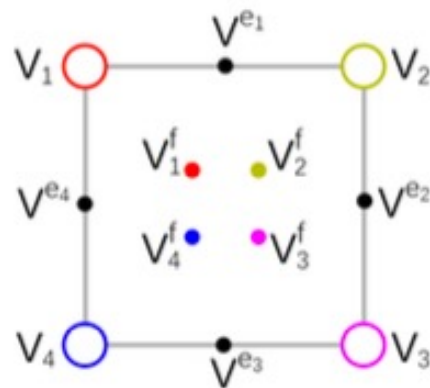
# Fixed-length vectors to store tessellations

(c) Our representation to store each square



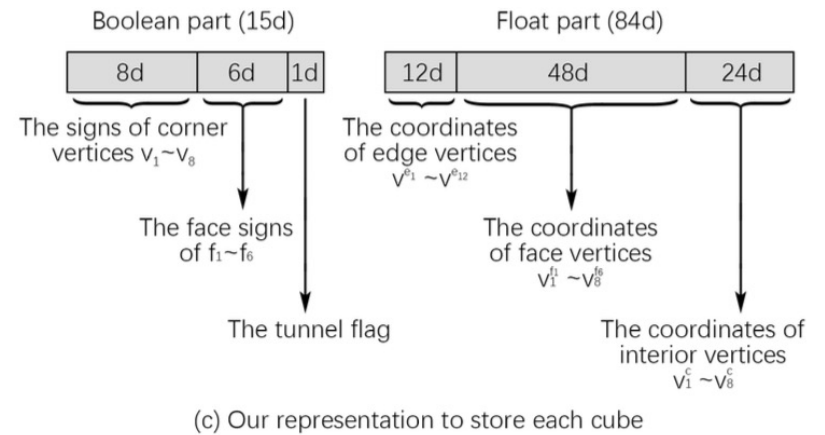
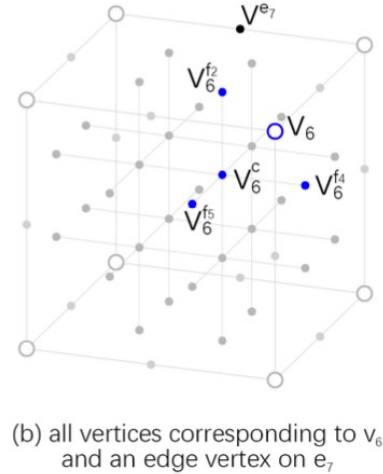
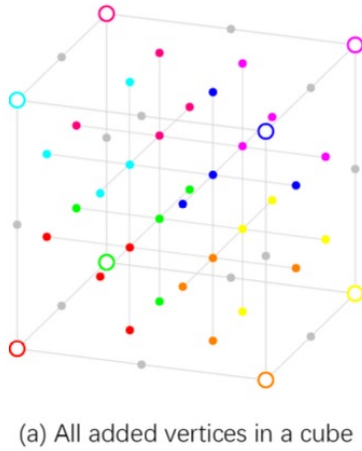
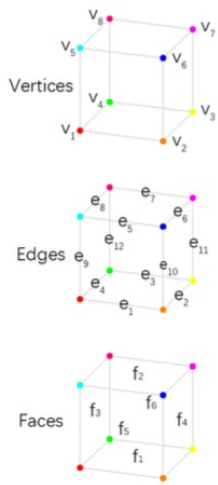
# Fixed-length vectors to store tessellations

(c) Our representation to store each square



Edge vertex has one  
DOF = one float  
Face vertex has two  
DOFs = two floats

# 3D case to parameterize a cube tessellation



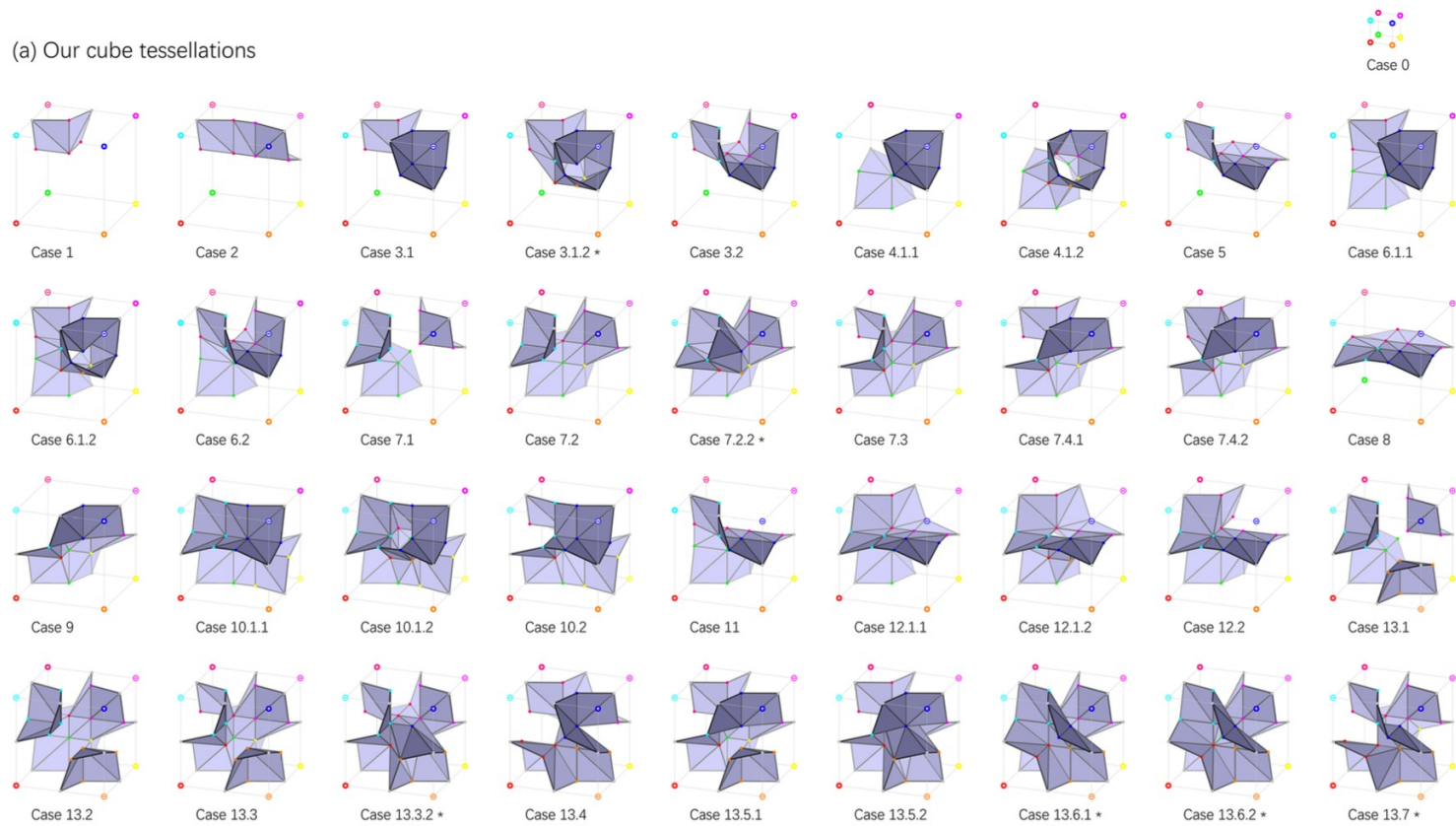
12 edge vertices

4 face vertices per cube face

8 additional interior vertices

# Cube tessellation cases

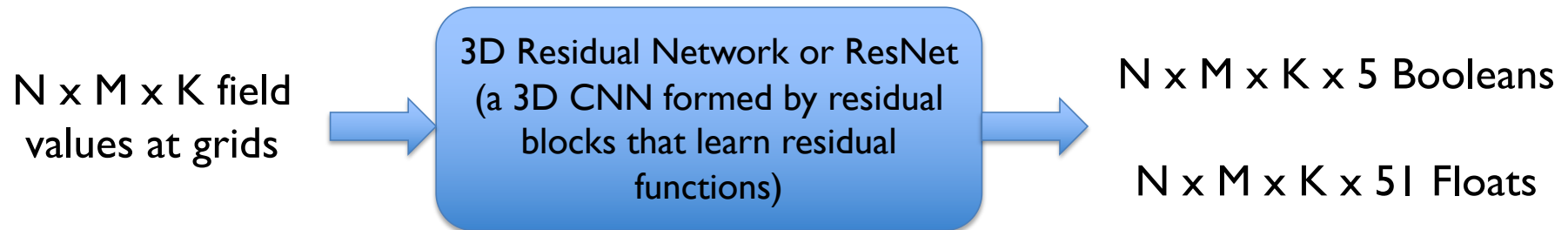
(a) Our cube tessellations



# Neural network to predict tessellations

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- A **3D CNN** is trained to predict topological cases and vertex positions for all cubes
- Use a  **$7^3$  receptive field** to provide **local contexts**



# Training set: ABC

- A Big Cad dataset: consisting of CAD models





# Qualitative results and comparison

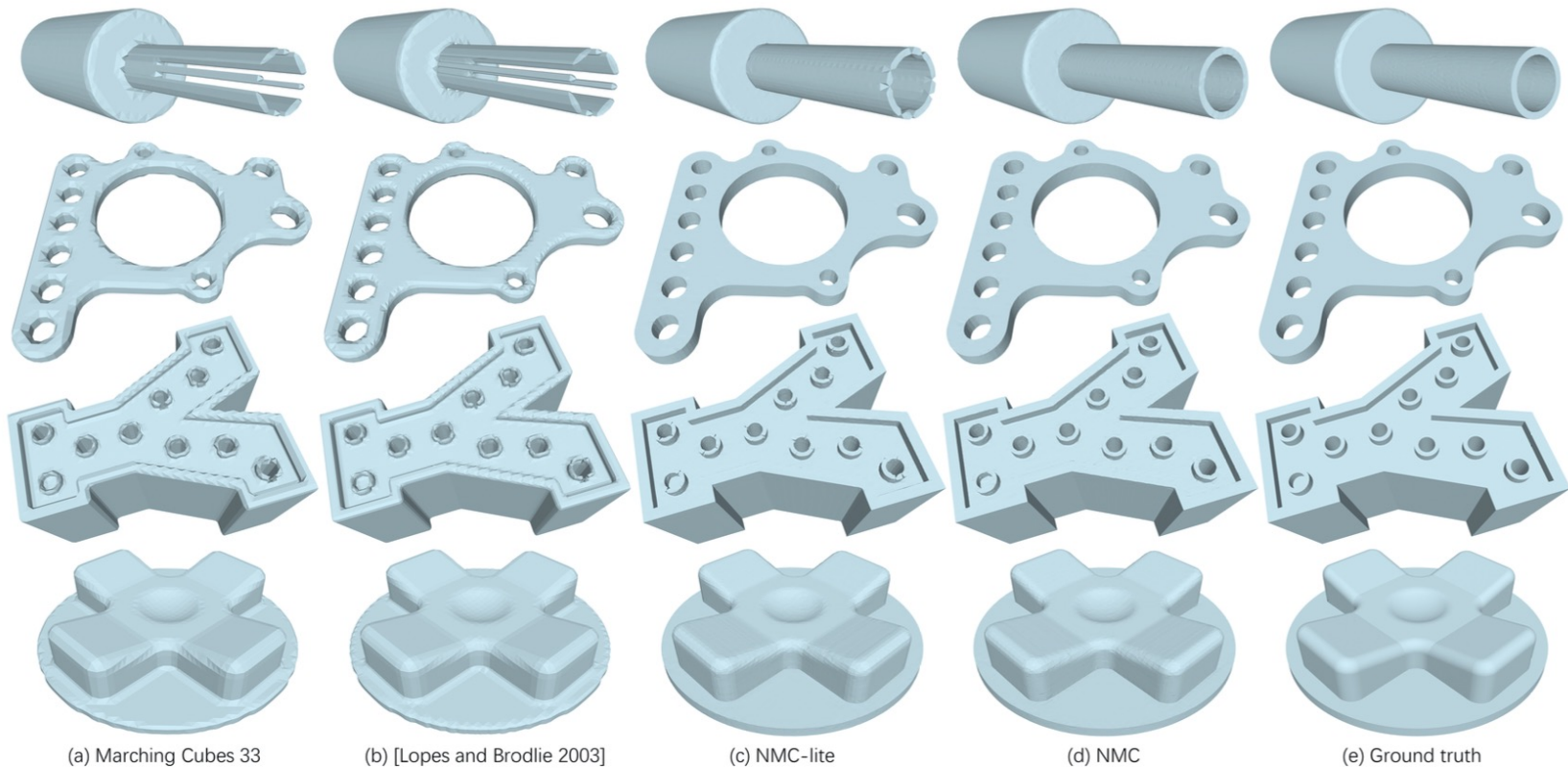


Fig. 9. Results of reconstructing 3D meshes from SDF grid inputs at  $64^3$  resolution. The shapes in the first two rows are from the ABC test set, and the last two rows from Thingi10K. More results and their mesh tessellations can be found in the supplementary material.

# NMC-Lite with simpler tessellations

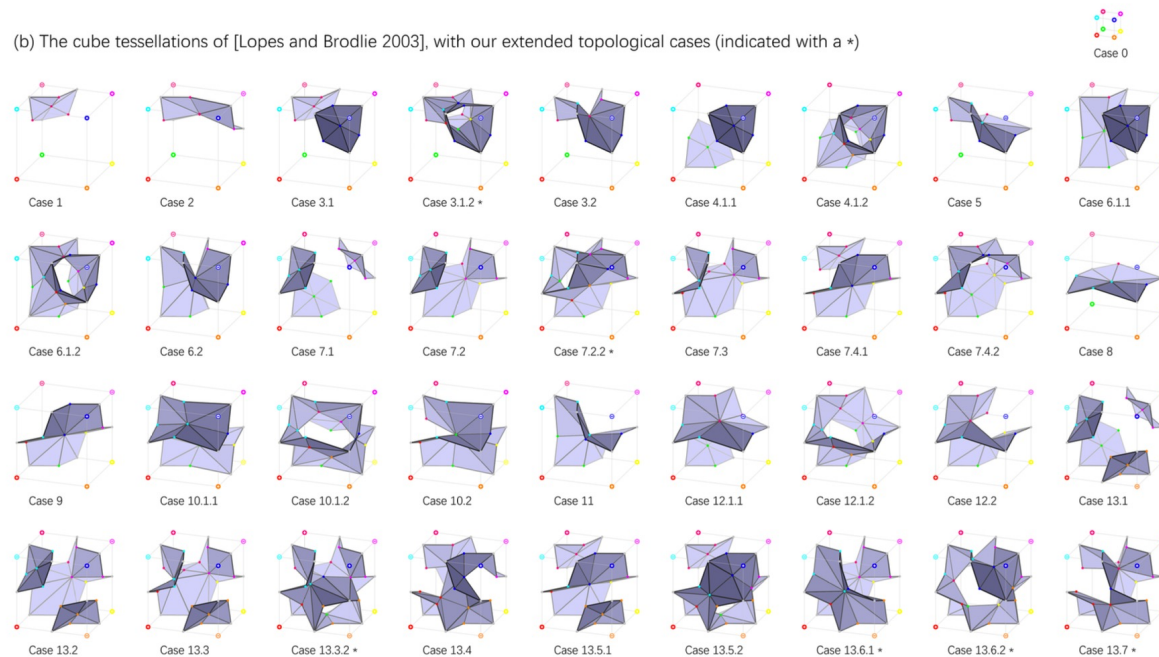


Fig. 4. The 3D cube tessellations of Marching Cubes 33 [Chernyaev 1995] and [Lopes and Brodlie 2003]. Note that they both present 31 cases, since Case 12.3 is equivalent to Case 12.2 and Case 14 is equivalent to Case 11, with respect to rotational and mirroring symmetries. In (b), we also add our extended topological cases to [Lopes and Brodlie 2003], indicated with a \*, to form a simplified version of our NMC tessellations, denoted as NMC-lite.

Different tessellation designs require **different Ground Truth (GT) data preparation** to supervise the 3D CNN training

# Qualitative results and comparison

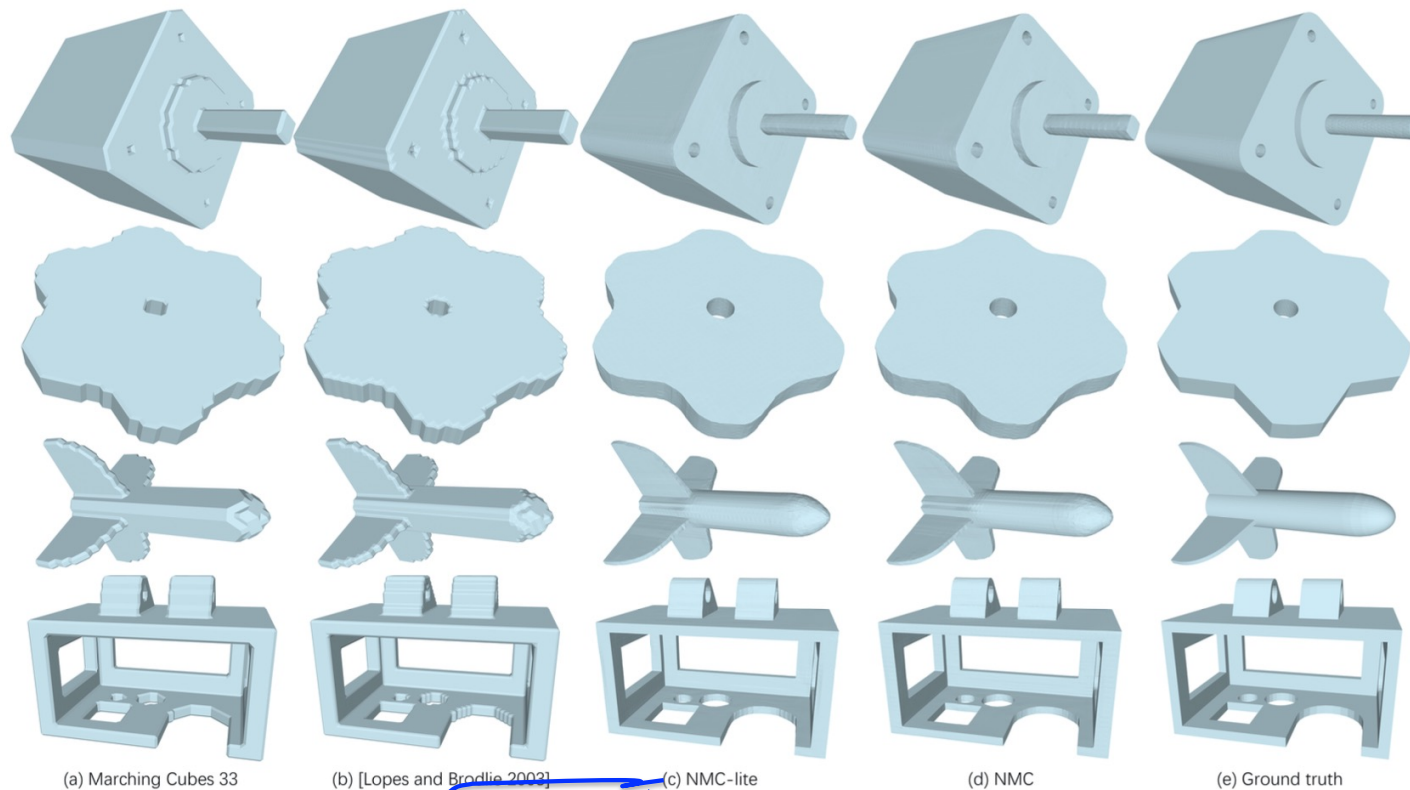
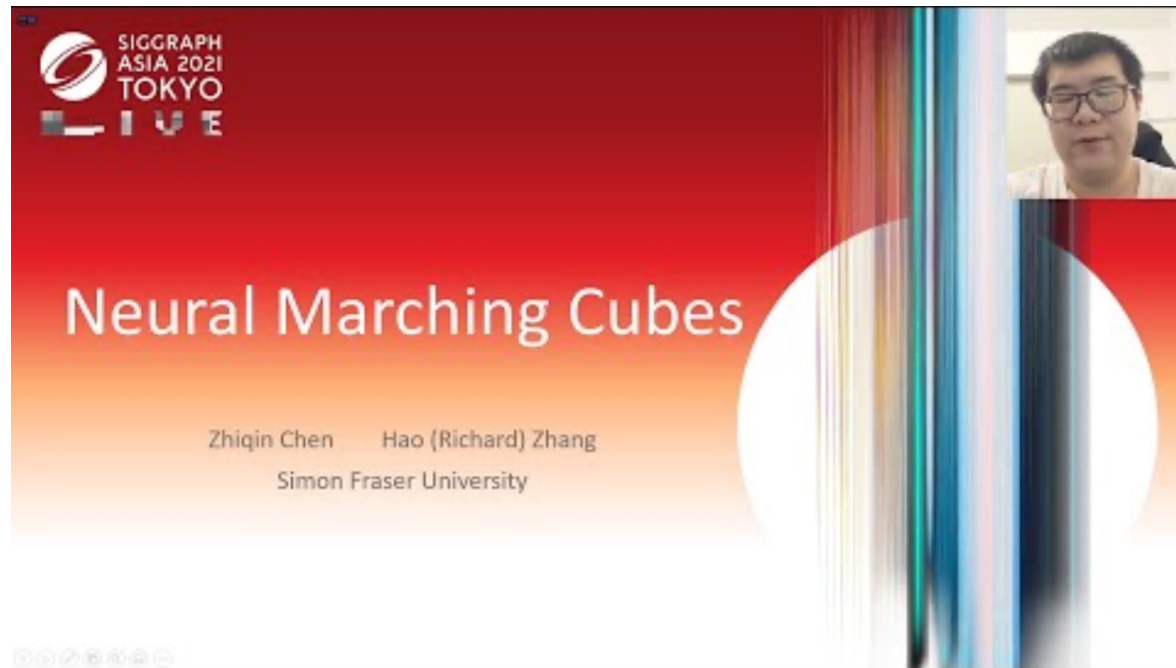


Fig. 12. Results of reconstructing 3D meshes from binary voxel/occupancy inputs at  $64^3$  resolution. The shapes in the first two rows are from the ABC test set, and the last two rows from Thingi10K. More results and their mesh tessellations can be found in the supplementary material.

# Youtube video on NMC presentation

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<https://youtu.be/O7NFYN3YzDM?si=a55JVztKUcaxJixw>



# Pros and cons of NMC

---

- 😊 Generalizes well to broad range of shapes: local receptive fields
- 😊 Data-driven and excels at recovering sharp features

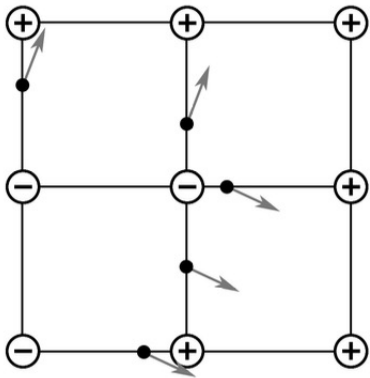
# Pros and cons of NMC

---

- 😊 Generalizes well to broad range of shapes: local receptive fields
- 😊 Data-driven and excels at recovering sharp features
- 😞 Tessellation templates more complex than those of MC/MC33
- 😞 Output 4-8x more triangles
- 😞 Incurs 100x computation time to reconstruct a mesh

# Follow-up: neural dual contouring (NDC)

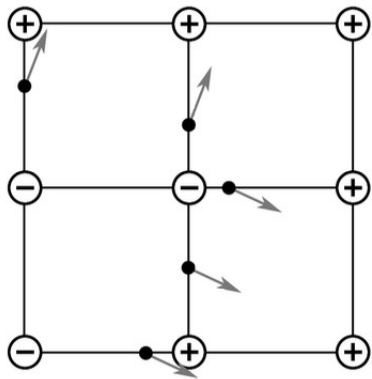
❖ First, **classical** dual contouring (DC)



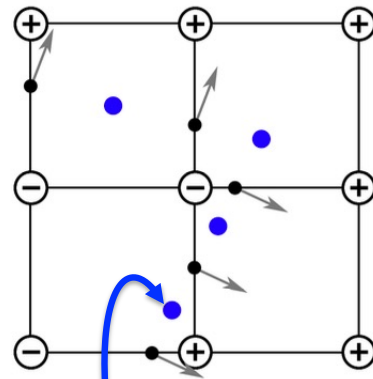
Inputs: vertex signs,  
intersection points  
and **normals**

# Classical dual contouring: require normals

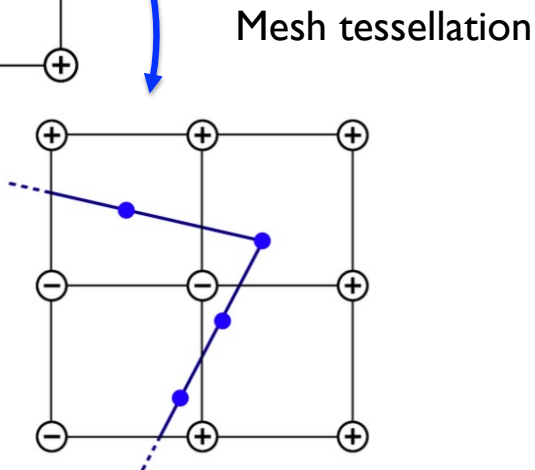
❖ First, classical dual contouring (DC)



Inputs: vertex signs,  
intersection points  
and normals



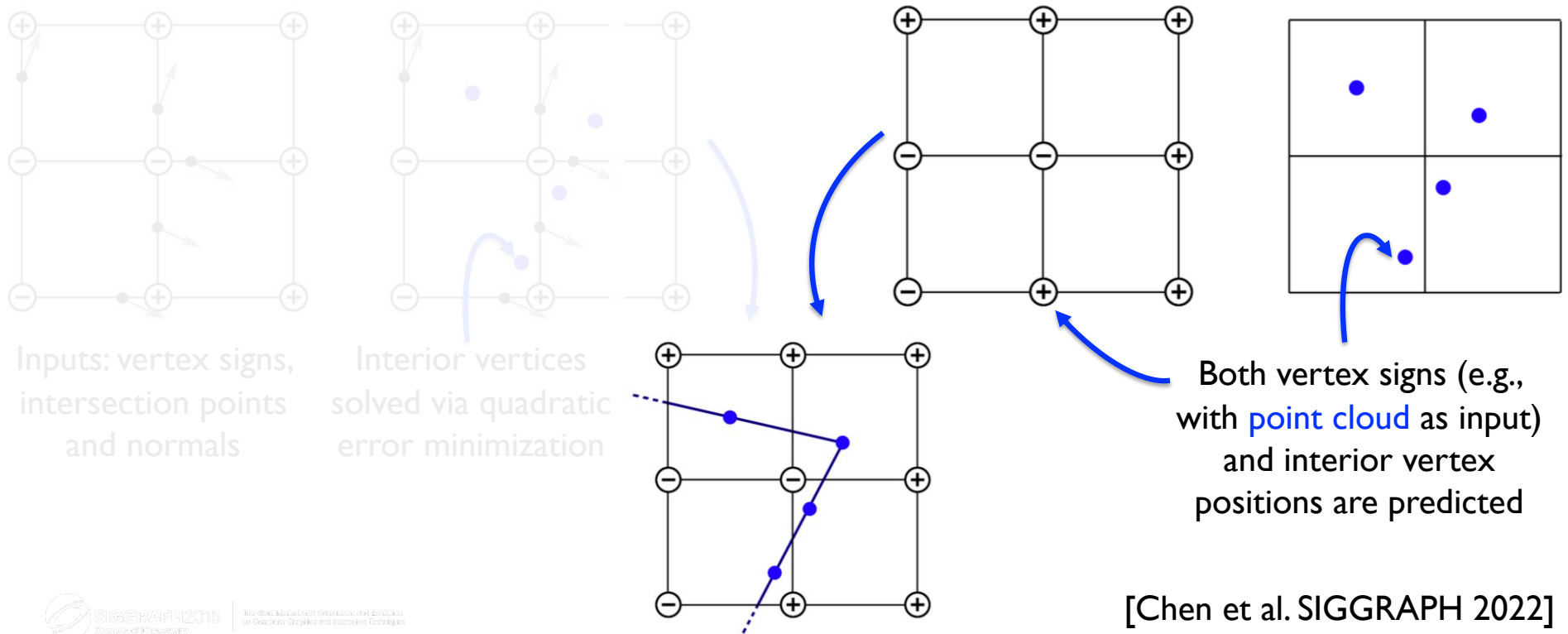
Interior vertices  
solved via quadratic  
error minimization





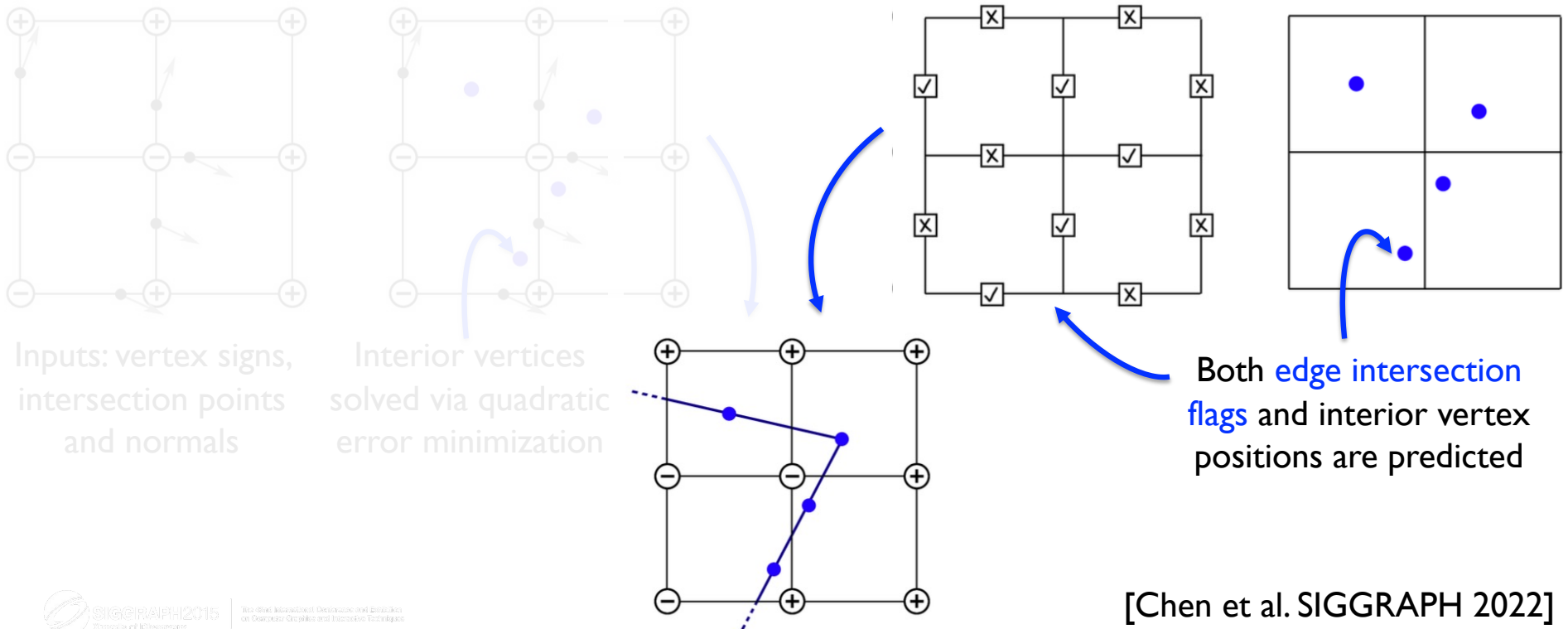
# Neural dual contouring (NDC): no normals

❖ NDC: train CNNs to directly predict vertex signs and positions



# Unsigned neural dual contouring (UNDC)

❖ Unsigned NDC: directly predict **edge flags** and vertex positions



# Neural dual contouring (NDC)

- ❖ Can take on various inputs

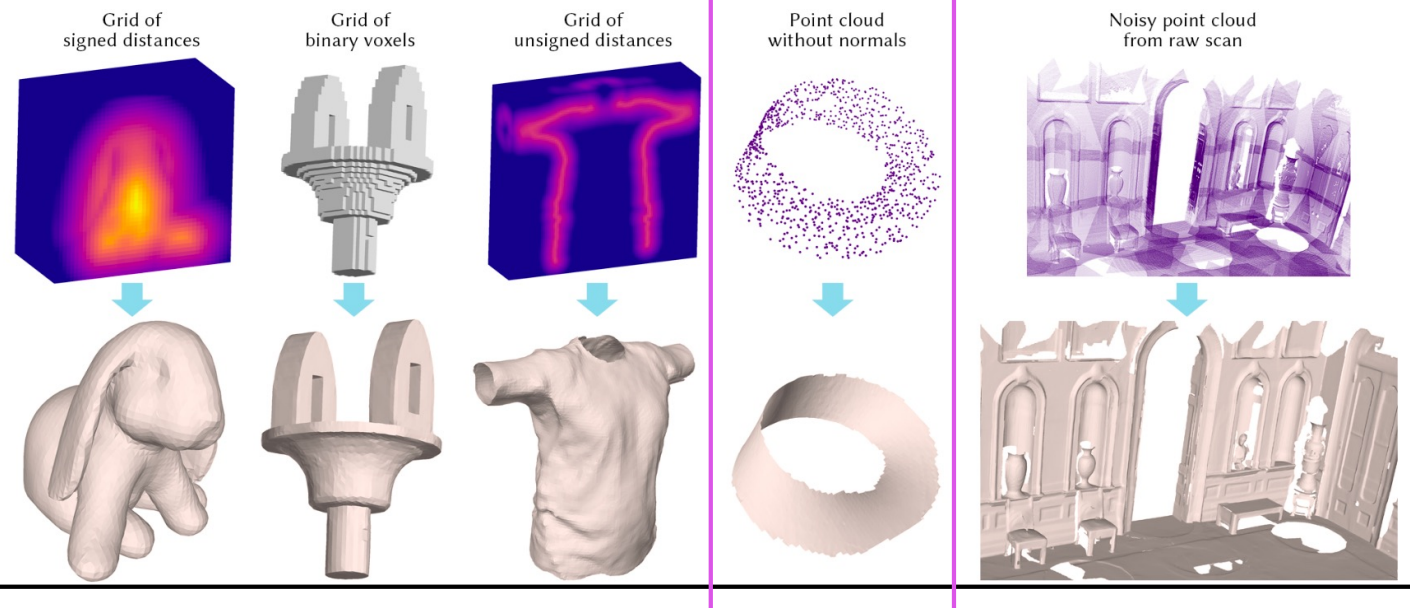
## Neural Dual Contouring

ZHIQIN CHEN, Simon Fraser University, Canada

ANDREA TAGLIASACCHI, Google Research, University of Toronto, Canada

THOMAS FUNKHOUSER, Google Research, USA

HAO ZHANG, Simon Fraser University, Canada



# NMC vs. NDC (aside)

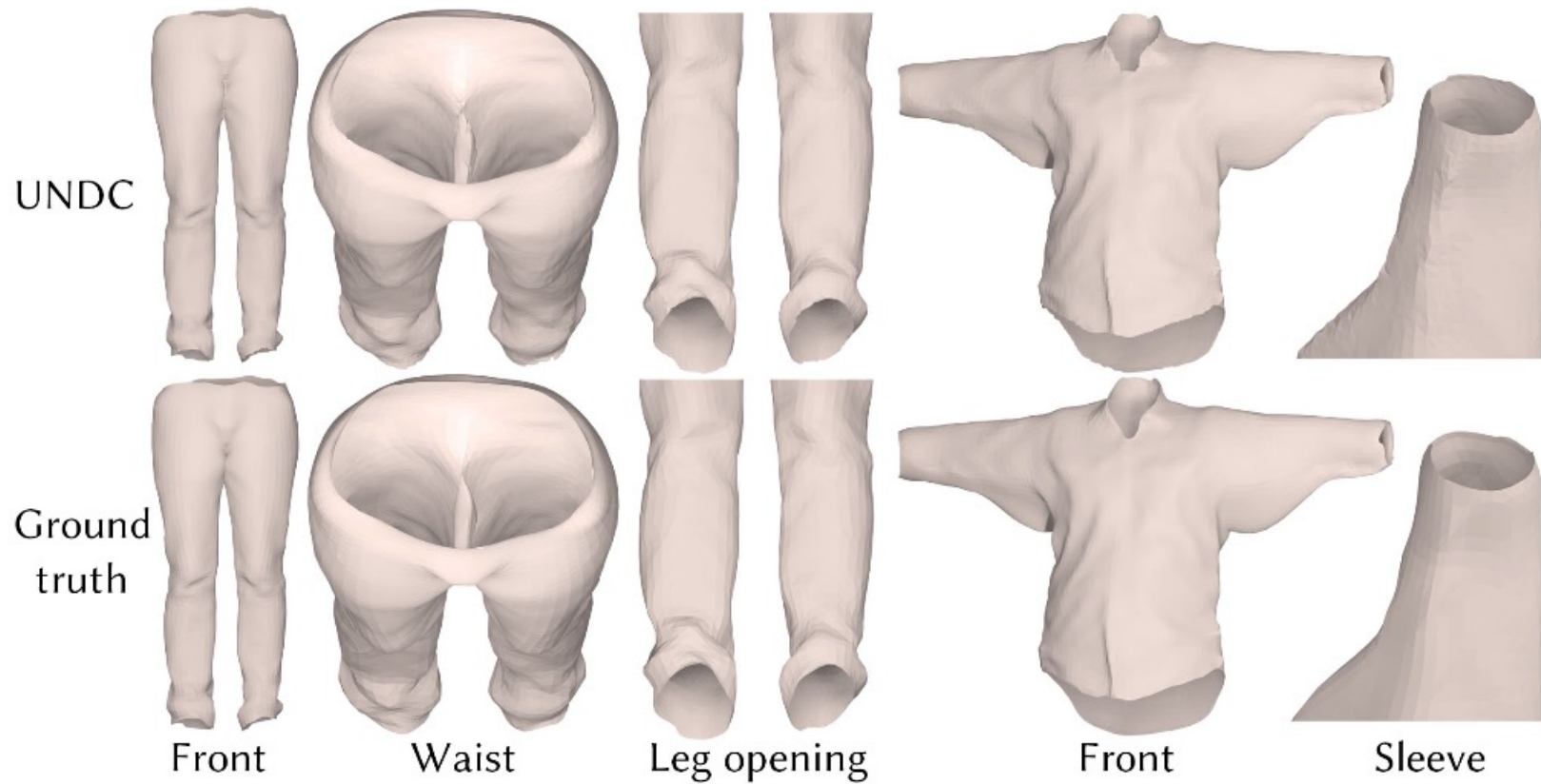
	NMC	NDC
Output	5 (bool)+51 (float) per cube	1 (bool)+3 (float) per cube
Network	3D ResNet	6-layer 3D CNN
Tessellation	Manually designed, 37 unique cases per cube	$\leq 1$ vertex per cell; $\leq 1$ quad per edge; see Figure 3
Output vertex count	$\approx 8 \times MC$	$\approx MC$
Output triangle count	$\approx 8 \times MC$	$\approx MC$
Data preparation	Sample dense point cloud in each cube; minimize chamfer distance via back propagation; complex and time-consuming	Sample only vertex signs, intersection points and normals; then apply Dual Contouring; Fast and easy to compute.

## NMC vs. NDC (aside)

	NMC	NDC
Implementation	Need to consider all cube tessellation cases; difficult to implement	Could be a nice undergraduate assignment
Regularization	Need a complex regularization term for voxel input	No regularization term needed
Training time	(On ABC training set) 4 days per network	(Same setting) < 12 hours per network
Inference speed	(64 <sup>3</sup> SDF input) > 1 second per shape	(Same setting) 30+ shapes per second
Inherent issues	Self-intersections, thin triangles with small angles	Non-manifold edges and vertices



# UNDC results with open surfaces



# Comparing predicted tessellations

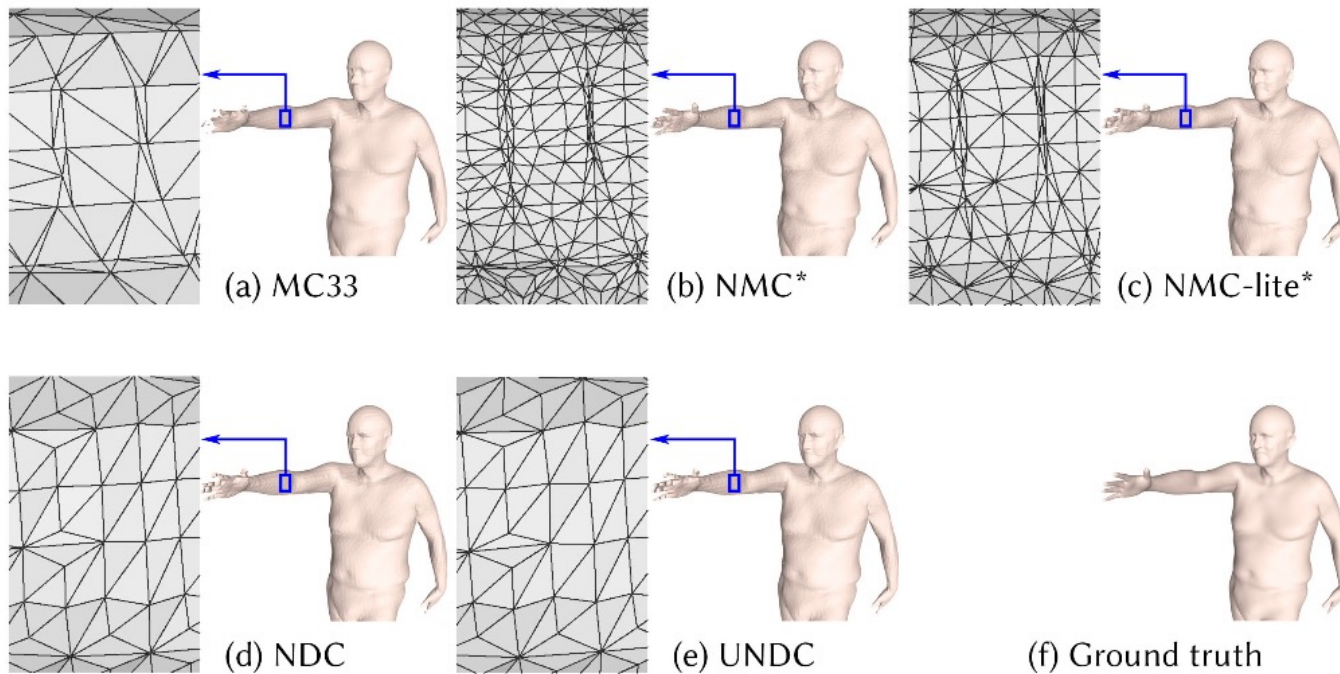
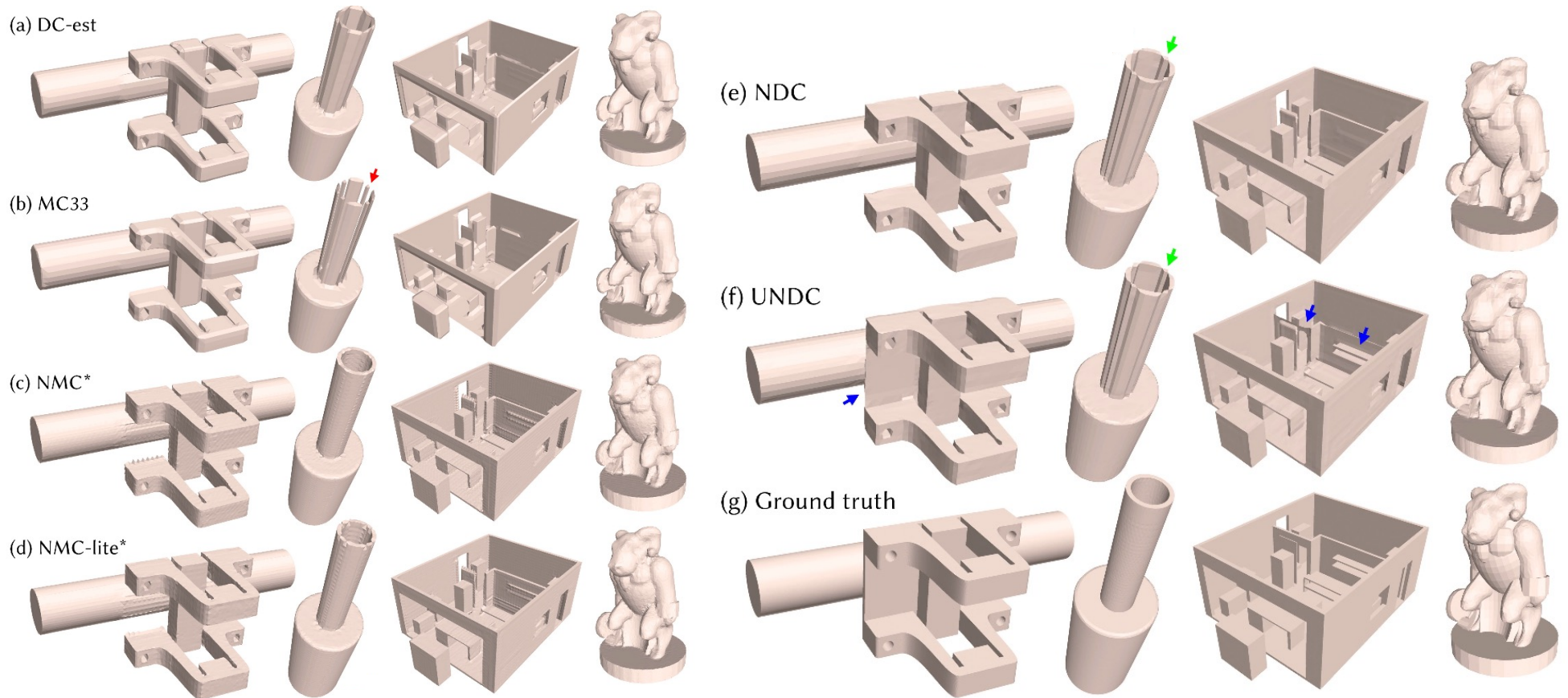


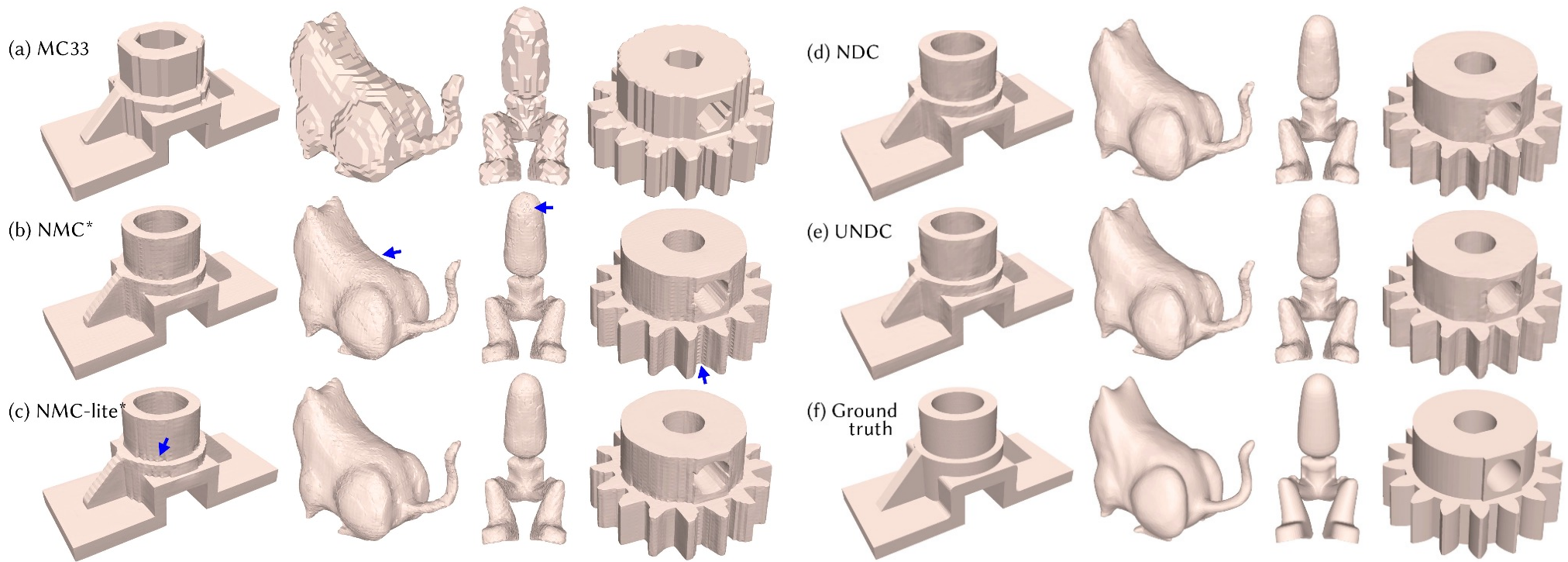
Fig. 9. Mesh reconstruction results from **SDF** grid inputs at  $128^3$  resolution on the **FAUST** dataset; see insets to compare triangle quality.

# Comparison on SDF inputs



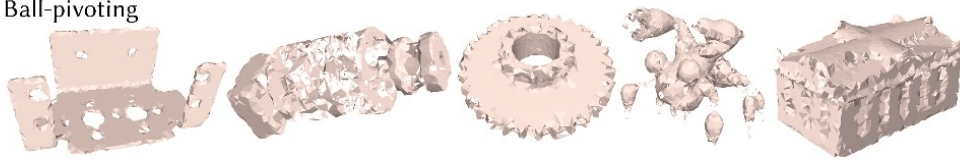


# Comparison on binary voxel inputs

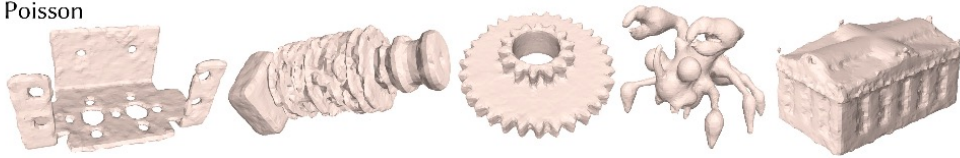


# Comparison on unoriented point clouds

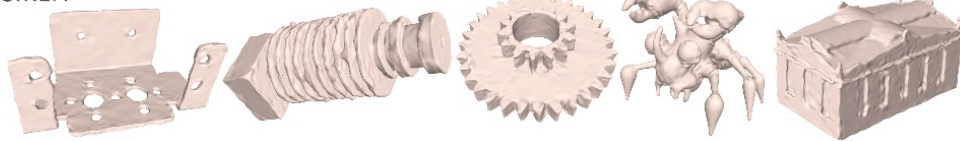
(a) Ball-pivoting



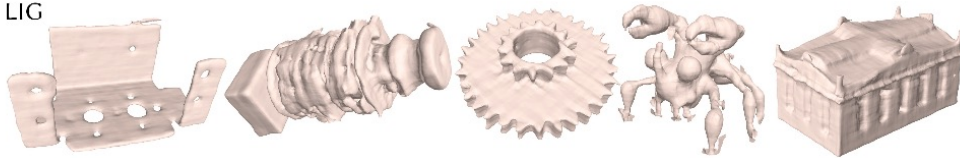
(b) Poisson



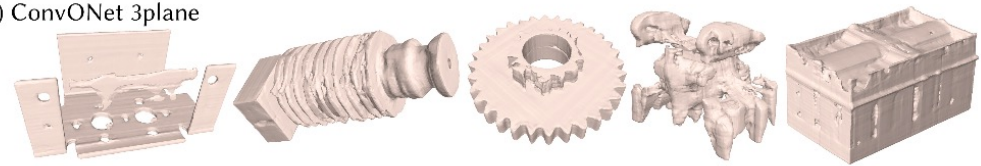
(c) SIREN



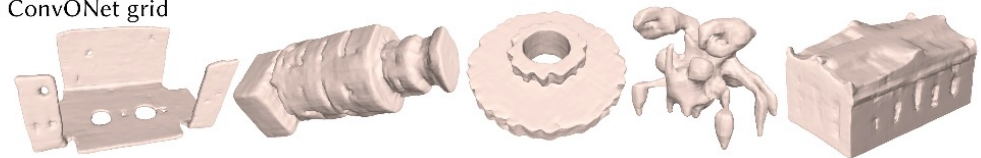
(d) LIG



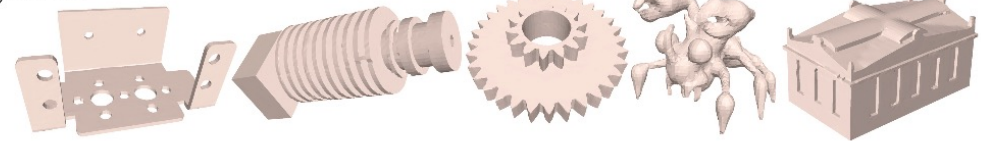
(e) ConvONet 3plane



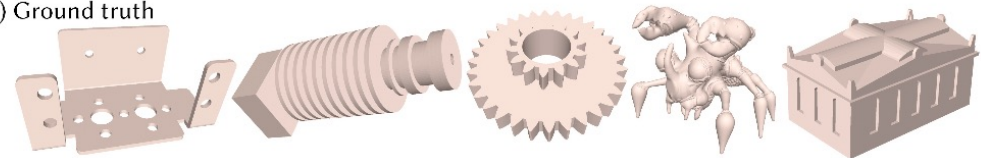
(f) ConvONet grid



(g) UNDC








(h) Ground truth



# Youtube video on NDC presentation (aside)

<https://www.youtube.com/watch?app=desktop&v=uQV9GqeKaQg>

Authors 

			
<p>Zhiqin Chen Simon Fraser University</p>	<p>Andrea Tagliasacchi Google Research Simon Fraser University</p>	<p>Thomas Funkhouser Google Research</p>	<p>Hao (Richard) Zhang Simon Fraser University</p>

# Overview of neural surface reconstruction

- Perhaps the **most popular** problem in geometric DL

## Learning Implicit Fields for Generative Shape Modeling

Zhiqin Chen, Hao Zhang

## Occupancy Networks: Learning 3D Reconstruction in Function Space

Lars Mescheder, Michael Oechsle, Michael Niemeyer, Sebastian Nowozin, Andreas Geiger

## DeepSDF: Learning Continuous Signed Distance Functions for Shape Representation

Jeong Joon Park, Peter Florence, Julian Straub, Richard Newcombe, Steven Lovegrove

Three CVPR 2019 papers with a combined citation counts of 8,300+

## NeuS: Learning Neural Implicit Surfaces by Volume Rendering for Multi-view Reconstruction

Peng Wang<sup>†</sup>, Lingjie Liu<sup>†\*</sup>, Yuan Liu<sup>†</sup>, Christian Theobalt<sup>‡</sup>, Taku Komura<sup>†</sup>, Wenping Wang<sup>°\*</sup>  
<sup>†</sup>The University of Hong Kong <sup>‡</sup>Max Planck Institute for Informatics  
<sup>°</sup>Texas A&M University  
<sup>†</sup>{pwang3, yliu, taku}@cs.hku.hk <sup>‡</sup>{lliu, theobalt}@mpi-inf.mpg.de  
<sup>°</sup>wenping@tamu.edu

NeurIPS 2021 paper with 1,400+ citations

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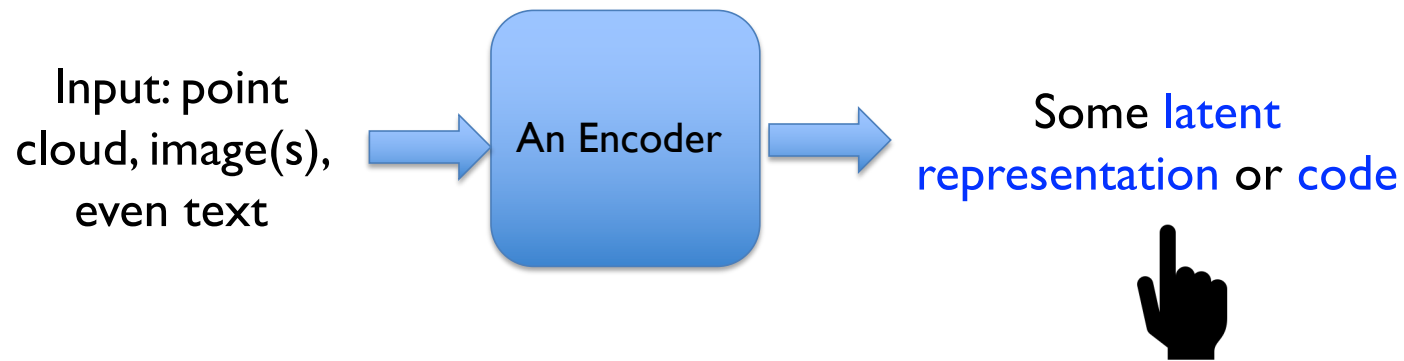
Peng Wang<sup>1</sup>, Lingjie Liu<sup>1\*</sup>, Yuan Liu<sup>1</sup>, Christian Theobalt<sup>1</sup>, Taku Komura<sup>1</sup>, Wenping Wang<sup>2\*</sup>  
<sup>1</sup>The University of Hong Kong <sup>2</sup>Max Planck Institute for Informatics  
<sup>3</sup>Texas A&M University  
<sup>4</sup>{pwang3,yliu,taku}@cs.hku.hk <sup>5</sup>{lliu,theobalt}@mpi-inf.mpg.de  
<sup>6</sup>wenping@tamu.edu

NeurIPS 2021 paper with 1,400+ citations

- Most produce a **neural field**, e.g., SDF, NeRF (for NVS)
  - NMC and NDC are exceptions
- Many inputs: point clouds (early) and images (recent)

# Typical approach

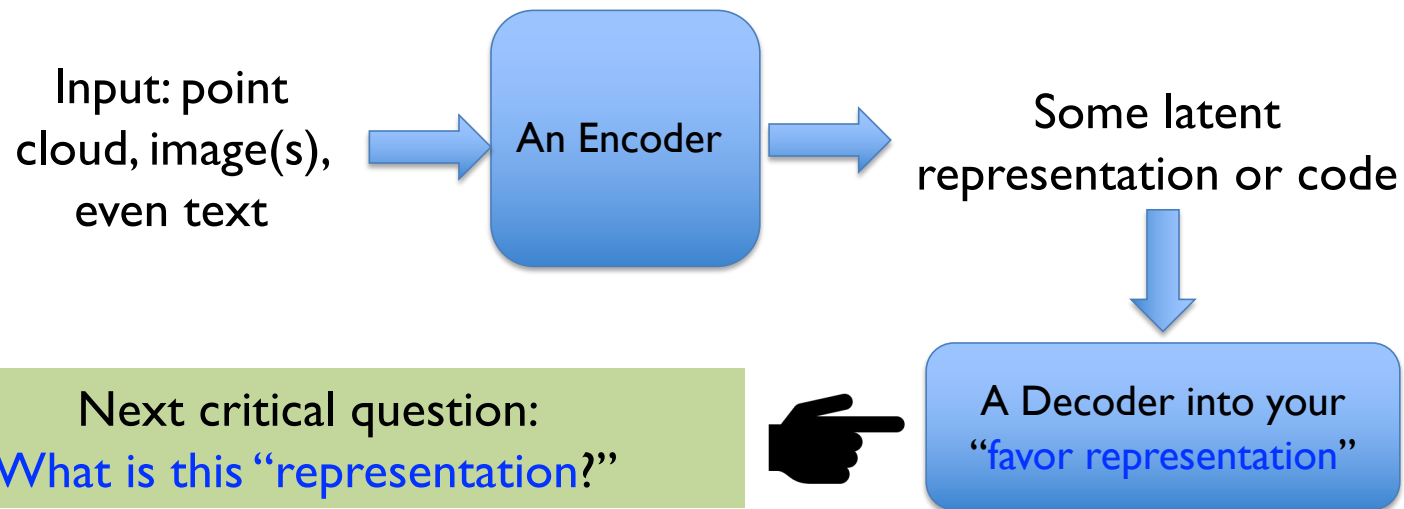
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First critical question:  
**What features do we encode from the inputs?**  
**Global, local, local+global?**  
Early works: local image/point cloud features,  
using ResNet, VGG, PointNet, etc.

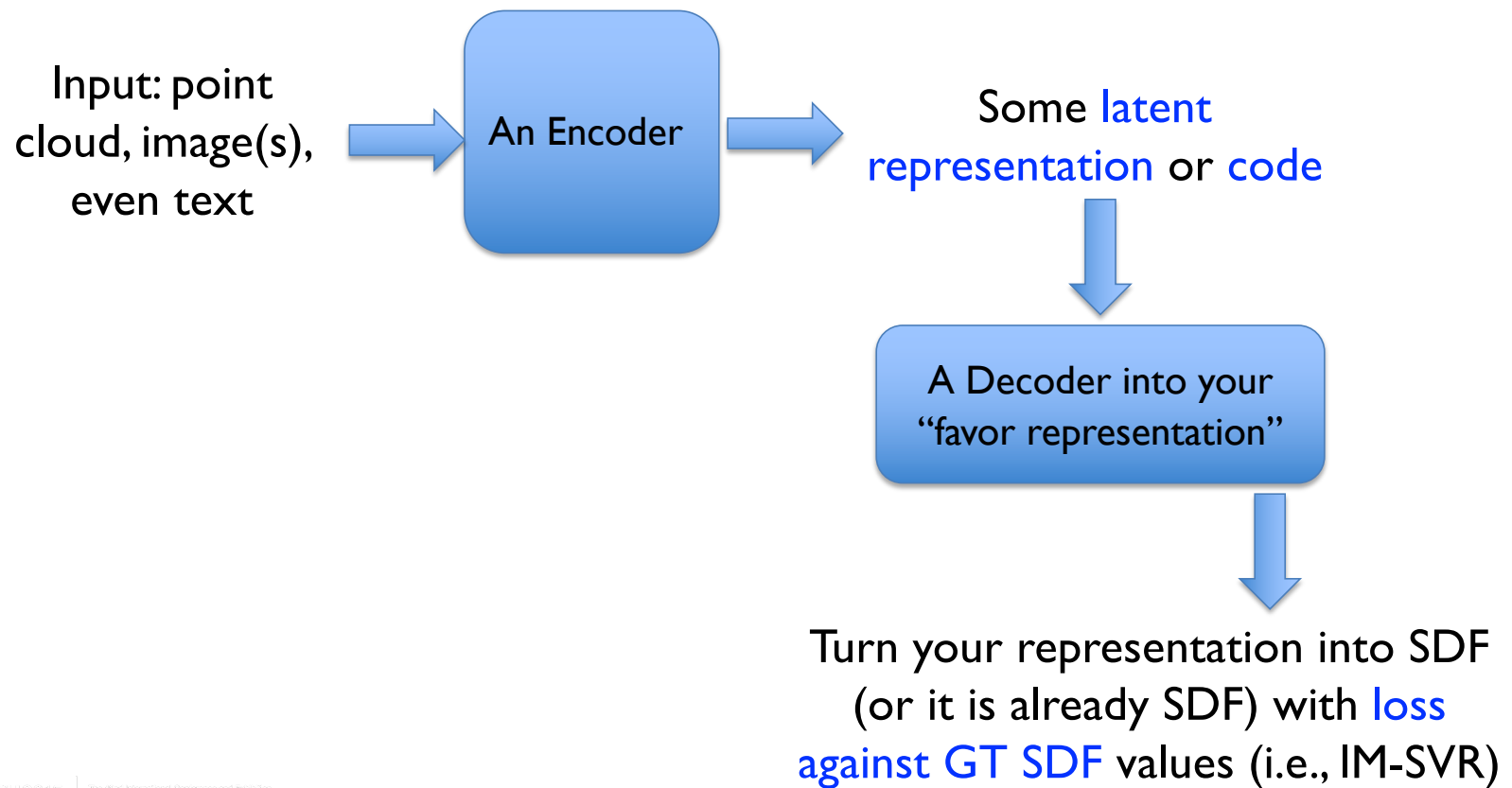
# Typical approach

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# Typical approach

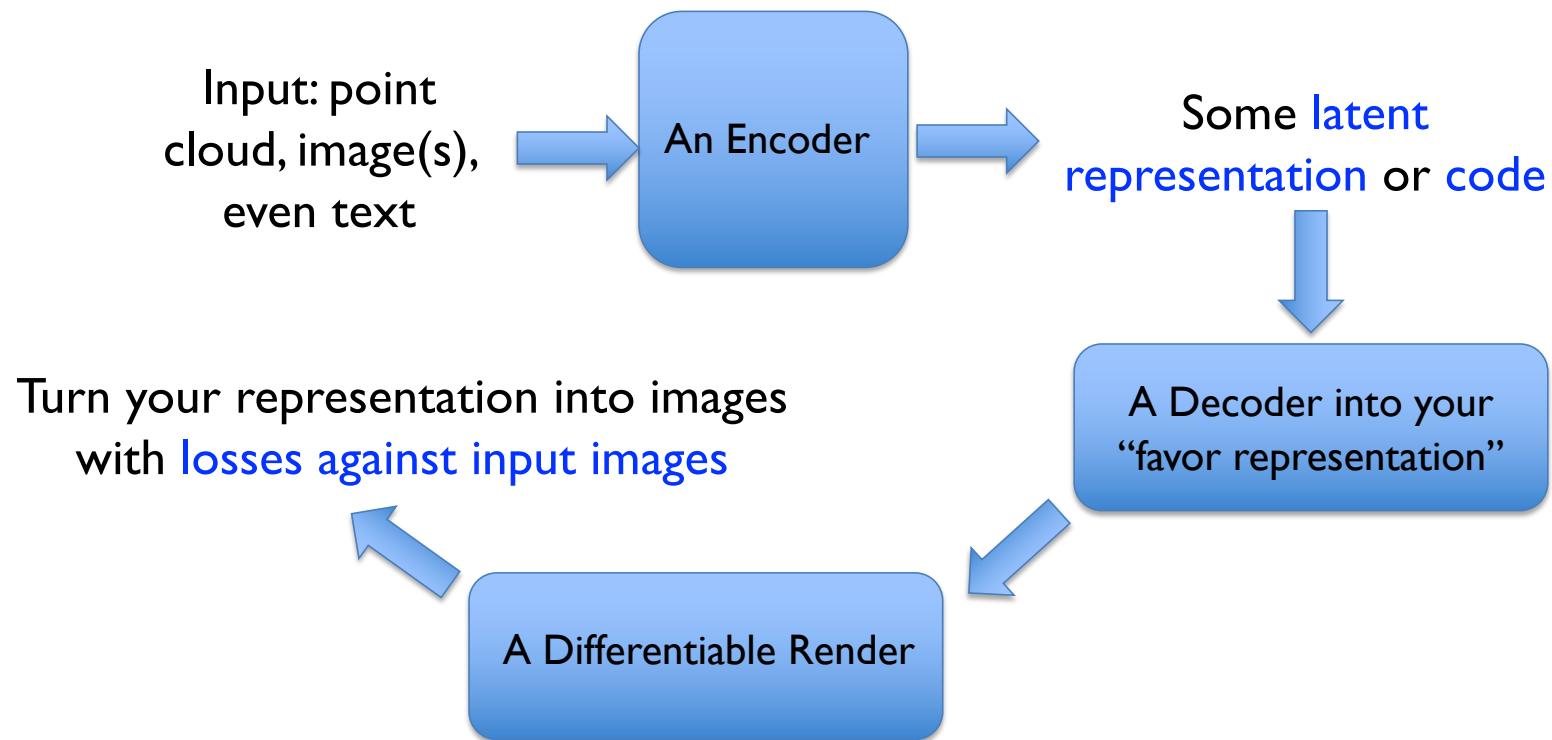
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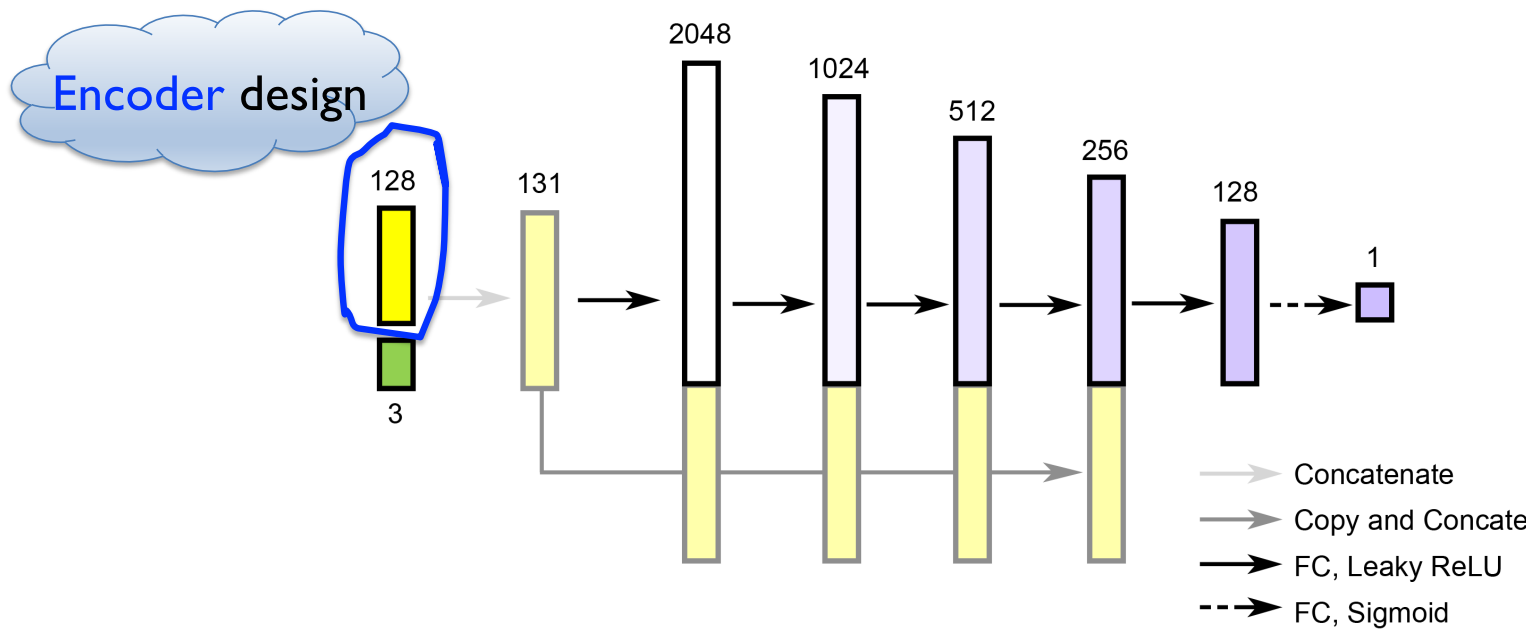


# Typical approach

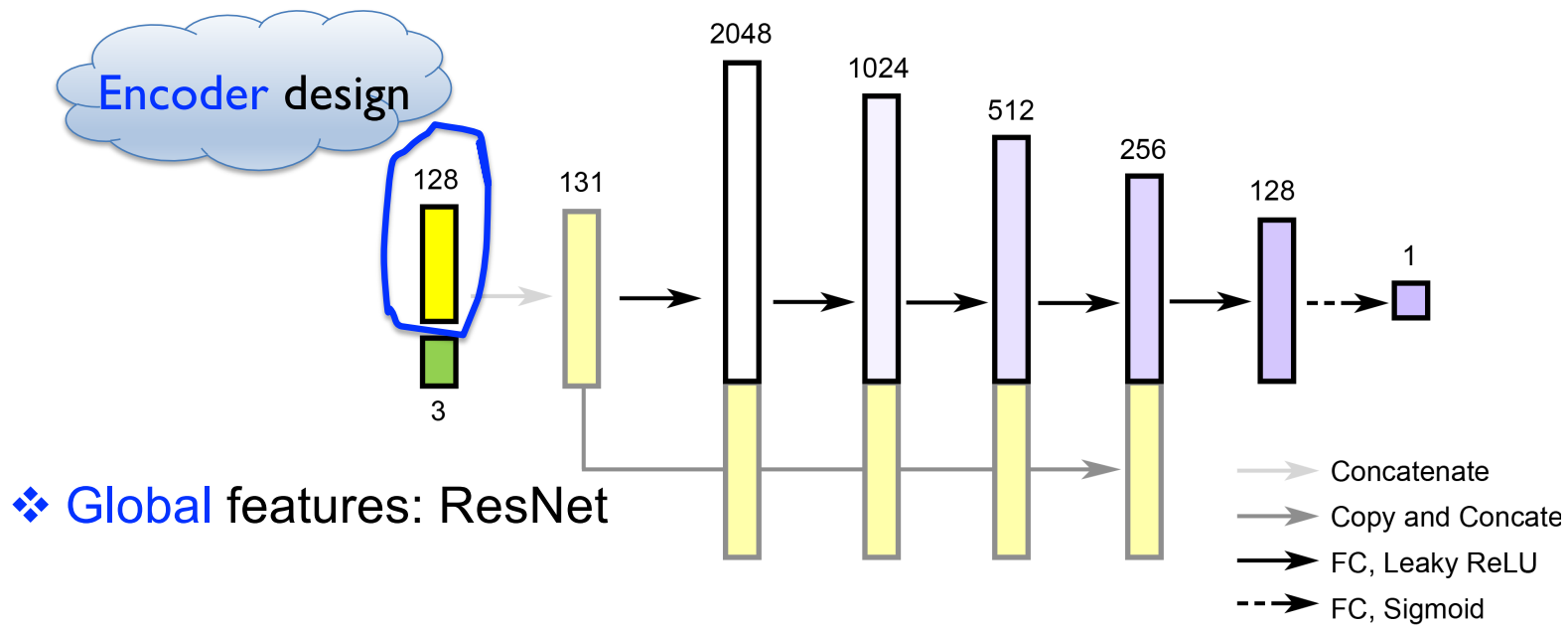
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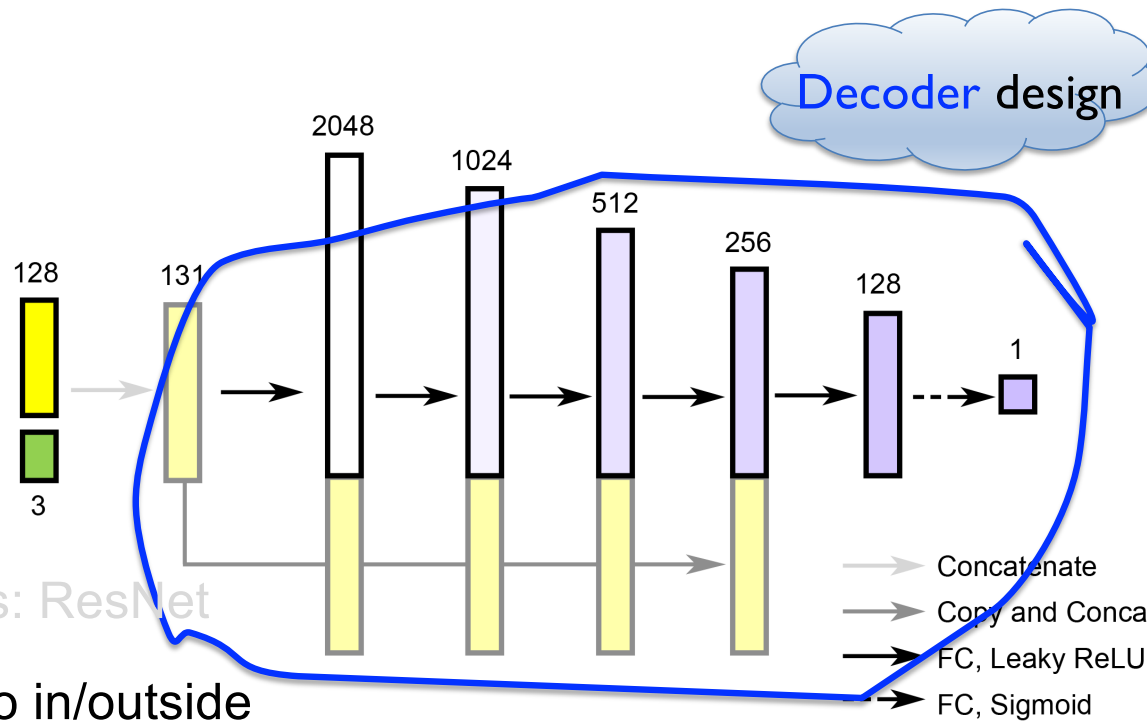
# Examples: start from IM-Net



# IM-SVR (single-view reconstruction)

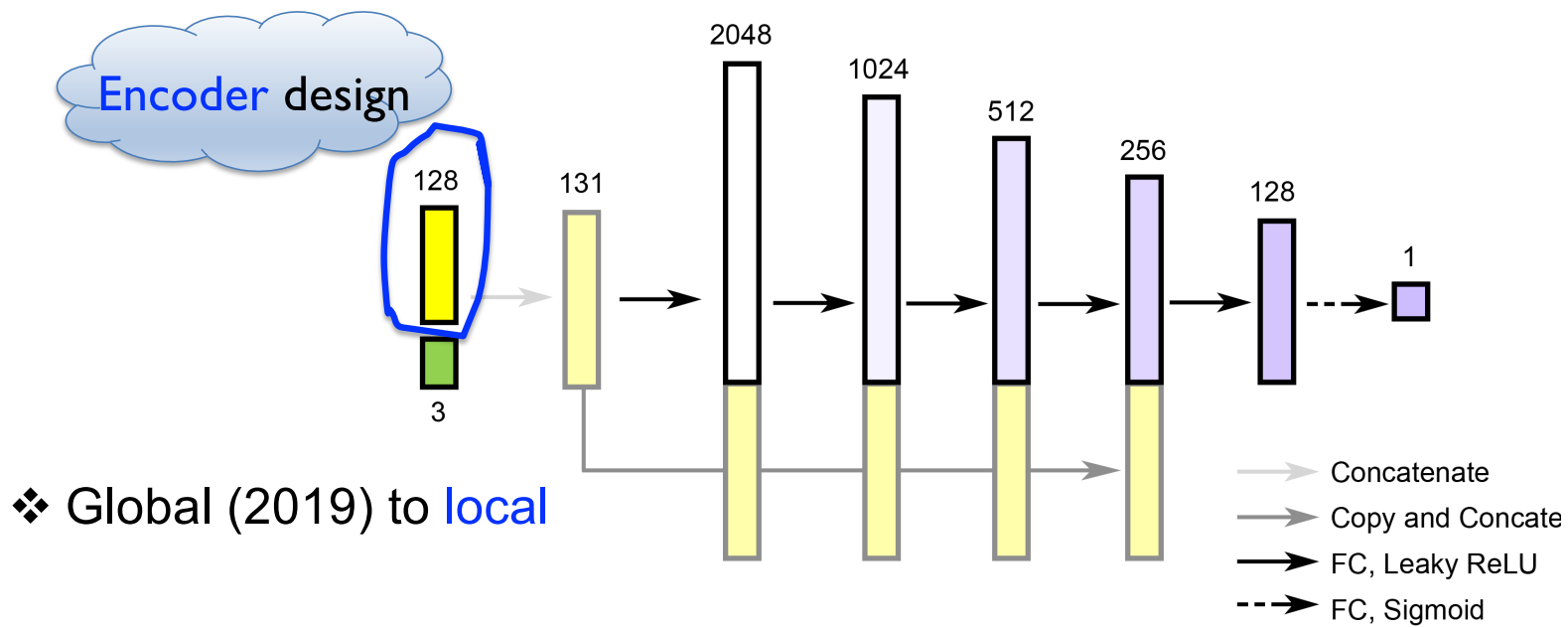


# IM-SVR (single-view reconstruction)

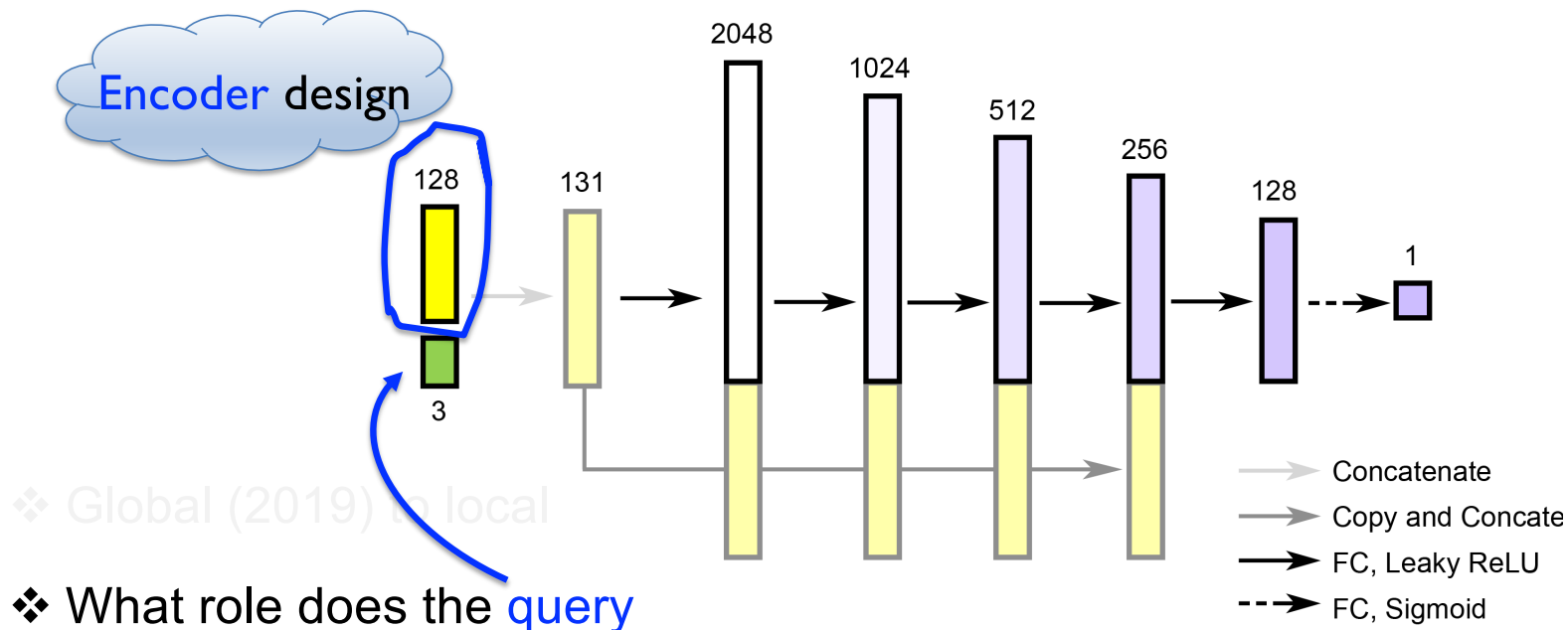


- ❖ Global features: ResNet
- ❖ IM-decoder into in/outside
- ❖ Marching Cubes to mesh

# An evolution of neural implicit (2019 - now)

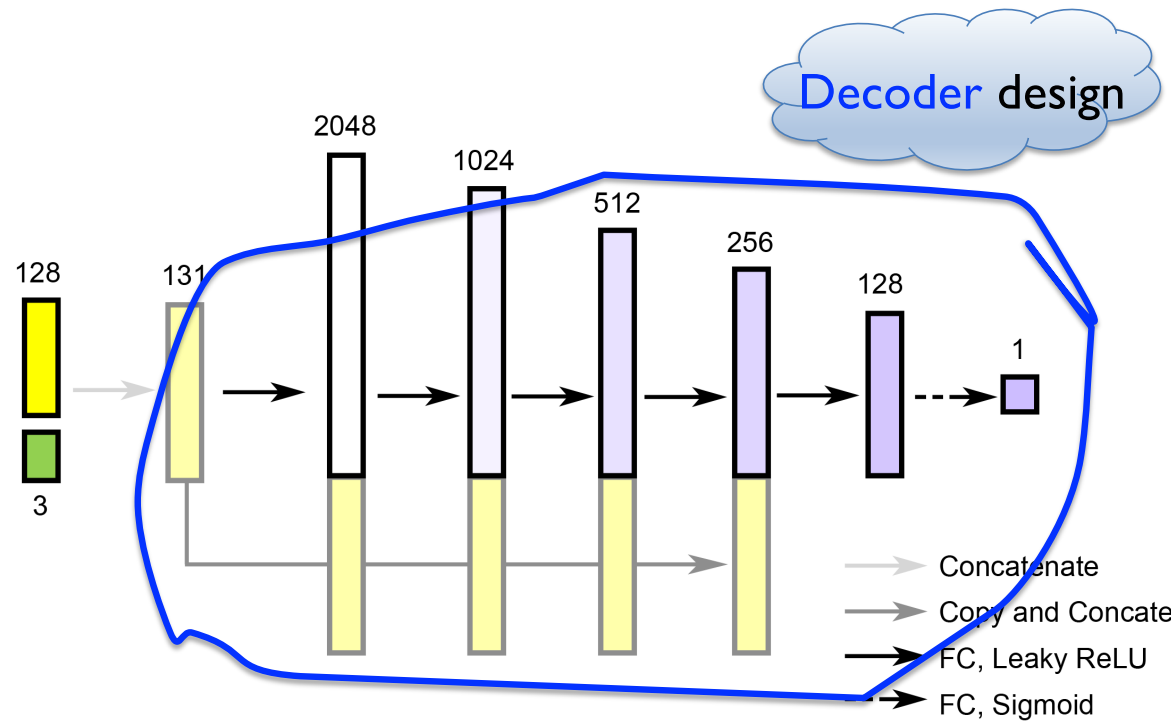


# An evolution of neural implicit (2019 - now)

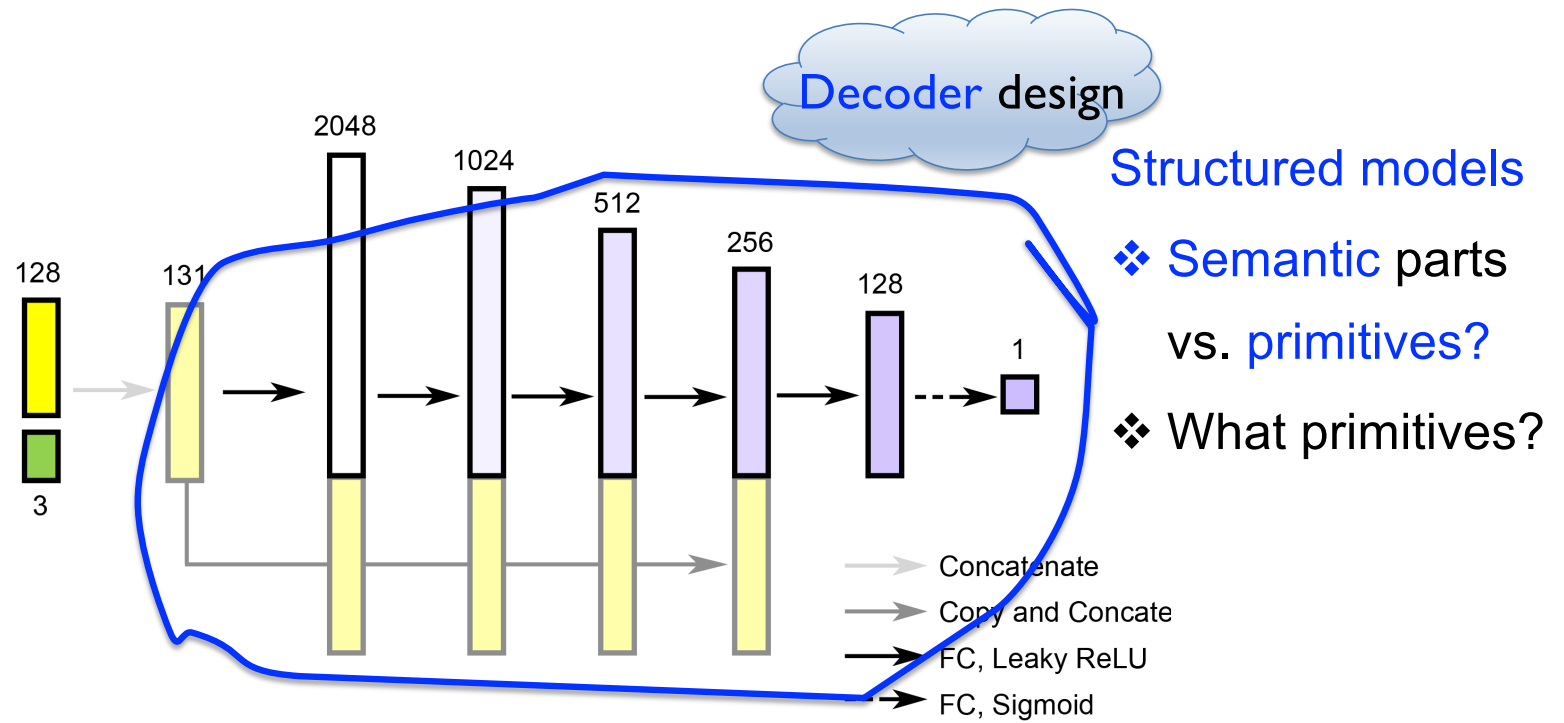


IM-Net [Chen and Zhang, CVPR 2019] 46

# An evolution of neural implicit (2019 - now)



# An evolution of neural implicit (2019 - now)





# An evolution of neural implicit (aside)

Encoder design



Global + local  
feature encoding

- PIFu - 2019
- Deep implicit surface network (DISN) – 2020
- Deep local shape - 2020
- Local implicit grid representations - 2020
- Local deep implicit functions (LDIF) – 2020
- PatchNets – 2020
- ❖ [D<sup>2</sup>IM-Net – 2022, ...](#)

# Learning to recover shape/surface details

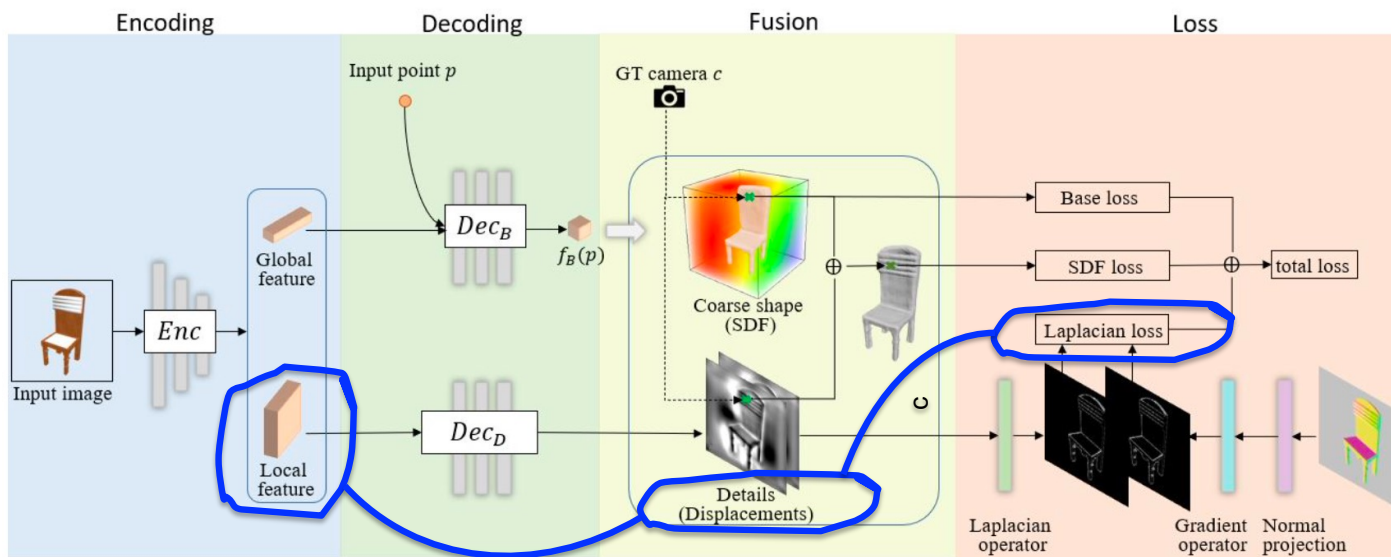
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- ❖ Encode both global **and local features** for single-view reconstruction
- ❖ Generally, only global encoding leads to **coarse/blurry** shapes

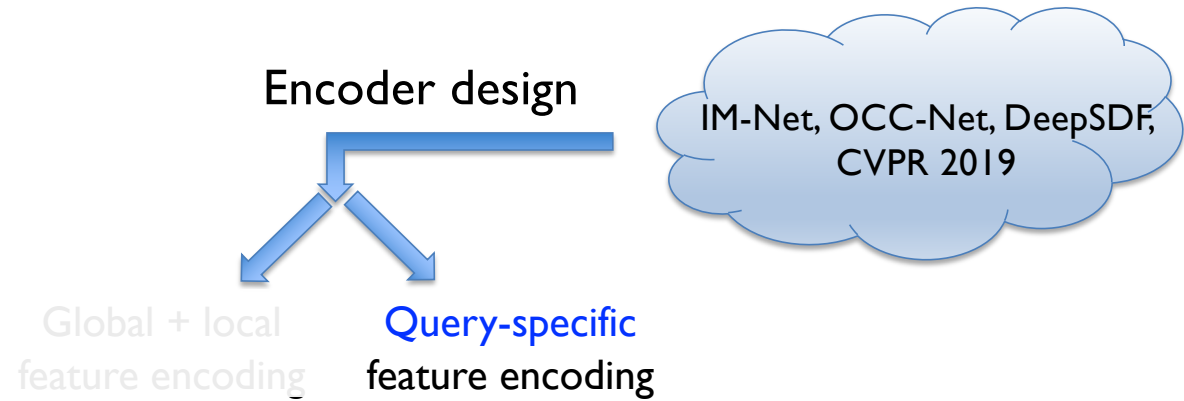
# Recover shape/surface details (aside)

- ❖ Encode both global and local features for single-view reconstruction
- ❖ Generally, only global encoding leads to coarse/blurry shapes

D<sup>2</sup>IM-Net: Learning **Detail Disentangled** Implicit Fields from Single Images [Li and Zhang CVPR 2021]



# An evolution of neural implicit (aside)



- ❖ Convolutional occupancy network (ConvONet) – 2020
  - IF-Net – 2020
  - Point2Surf – 2020
  - AIR-Net – 2021
  - SA-ConvONet - 2021
  - POCO – 2022
  - 3DILG – 2022
- ❖ ARO-Net via Anchored Radial Observations - 2023

# Why encode query-specific shape features?

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- ❖ Network is trained to predict occupancy/SDF **\*at\*** a query point
- ❖ Local feature encoding is better than global, learning features **with respect to the query point** is even better

# Query-specific, contextual, shape features

[Wang et al. CVPR 2023]

## ARO-Net: Learning Implicit Fields from Anchored Radial Observations

Yizhi Wang<sup>1,2,\*</sup>, Zeyu Huang<sup>1,\*</sup>, Ariel Shamir<sup>3</sup>, Hui Huang<sup>1</sup>, Hao Zhang<sup>2</sup>, Ruizhen Hu<sup>1†</sup>  
<sup>1</sup>Shenzhen University <sup>2</sup>Simon Fraser University <sup>3</sup>Reichman University

Encode features with respect  
to a **fixed set of anchors**



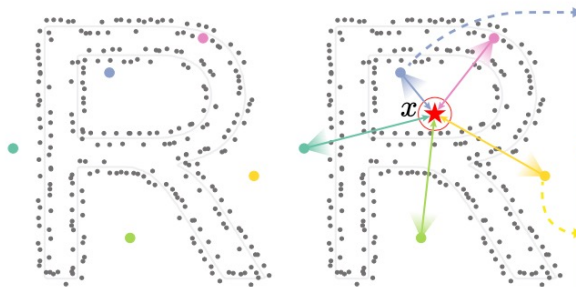
Task: **3D reconstruction from  
sparse point clouds**

# Query-specific, contextual, shape features

[Wang et al. CVPR 2023]

## ARO-Net: Learning Implicit Fields from Anchored Radial Observations

Yizhi Wang<sup>1,2,\*</sup>, Zeyu Huang<sup>1,\*</sup>, Ariel Shamir<sup>3</sup>, Hui Huang<sup>1</sup>, Hao Zhang<sup>2</sup>, Ruizhen Hu<sup>1†</sup>  
<sup>1</sup>Shenzhen University <sup>2</sup>Simon Fraser University <sup>3</sup>Reichman University



Key idea: encode query-specific and contextual (local-to-global) features by making observations from the anchors towards the query point

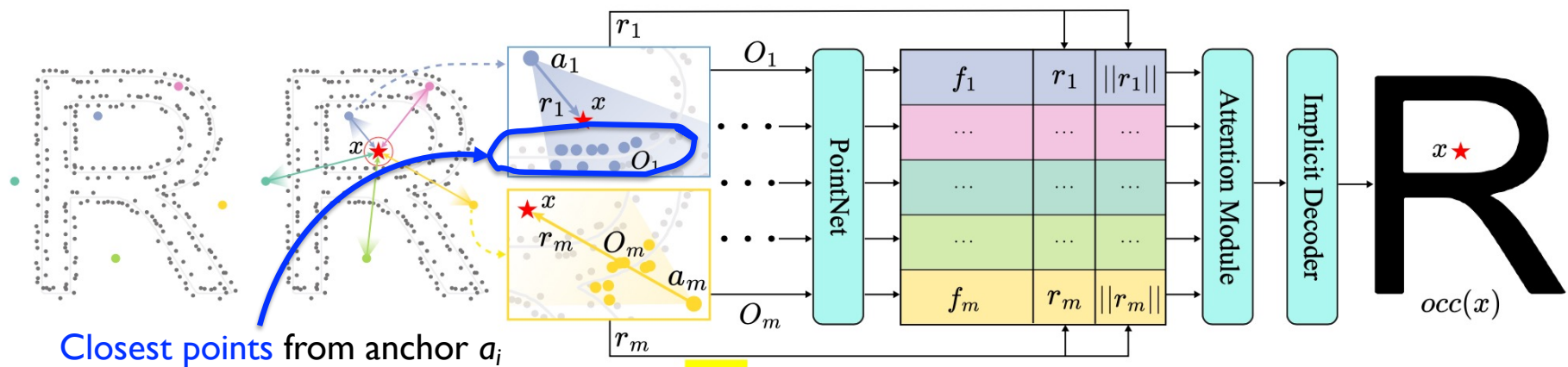
“What does the shape look like from the perspectives of the anchors towards the query point?” — from a perceptual point of view

# Query-specific, contextual, shape features

[Wang et al. CVPR 2023]

## ARO-Net: Learning Implicit Fields from Anchored Radial Observations

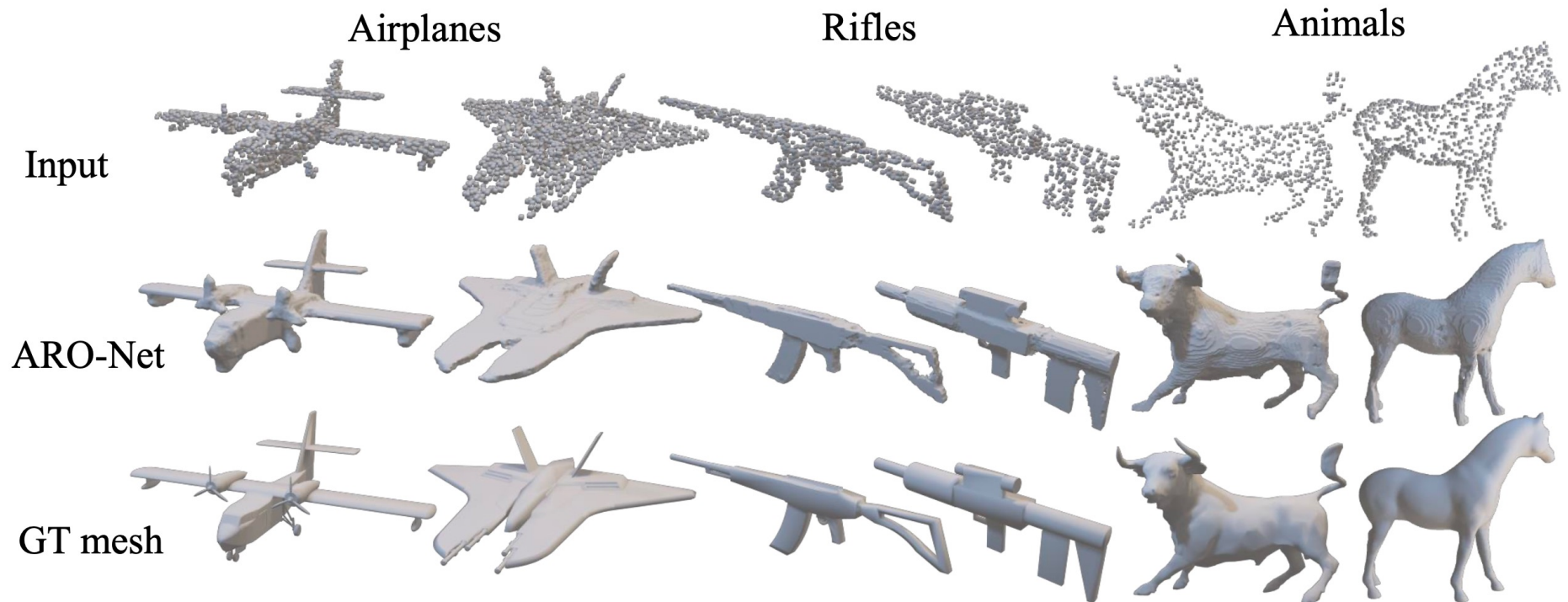
Yizhi Wang<sup>1,2\*</sup>, Zeyu Huang<sup>1\*</sup>, Ariel Shamir<sup>3</sup>, Hui Huang<sup>1</sup>, Hao Zhang<sup>2</sup>, Ruizhen Hu<sup>1†</sup>  
<sup>1</sup>Shenzhen University <sup>2</sup>Simon Fraser University <sup>3</sup>Reichman University



Closest points from anchor  $a_i$



# Generalizability and quality of reconstruction



3D Reconstruction from sparse point clouds by ARO-Net *trained on 4K chairs*

[Wang et al. CVPR 2023]

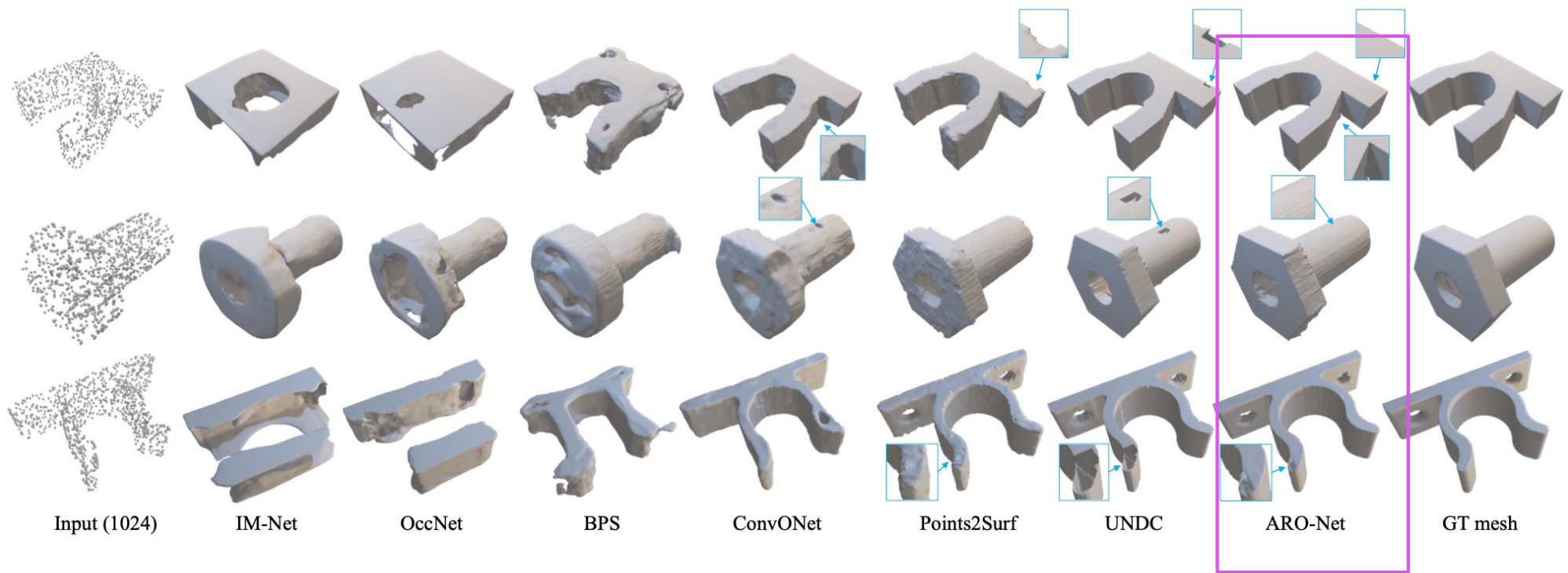
# Generalizability and quality of reconstruction

ARO-Net trained on *only the Fertility model* with rotation and scaling



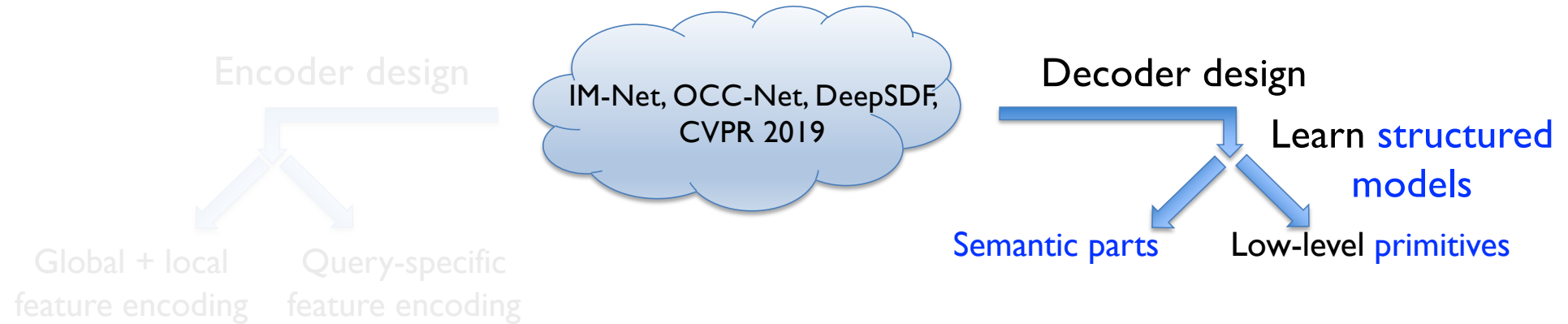
[Wang et al. CVPR 2023]

# Generalizability and quality of reconstruction

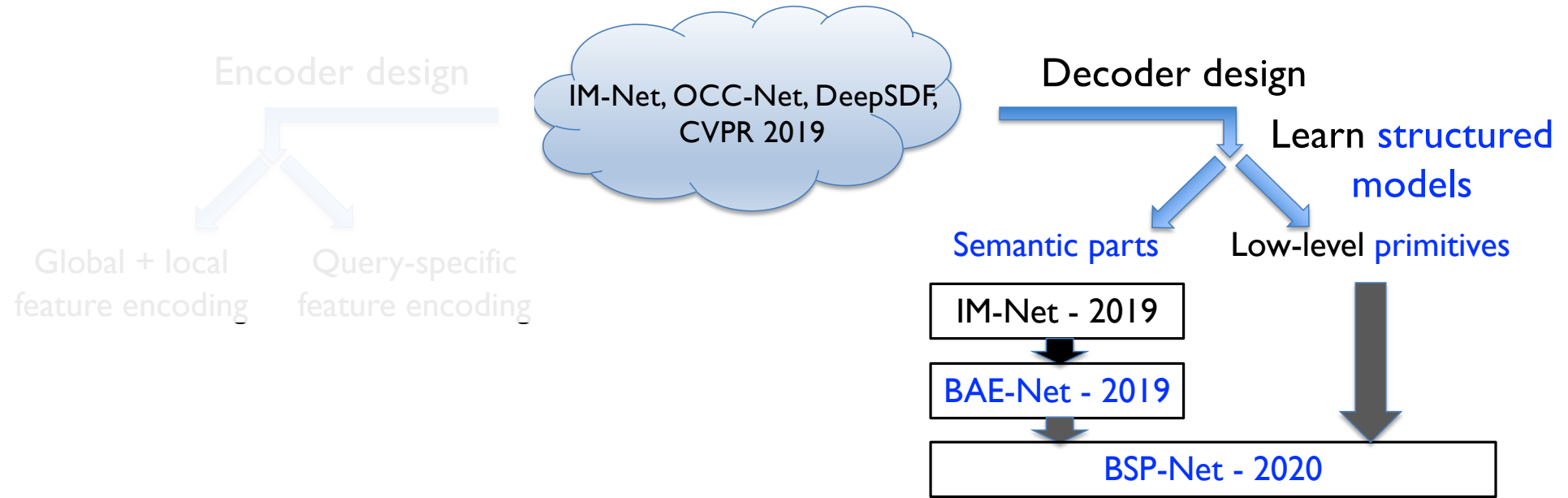


[Wang et al. CVPR 2023]

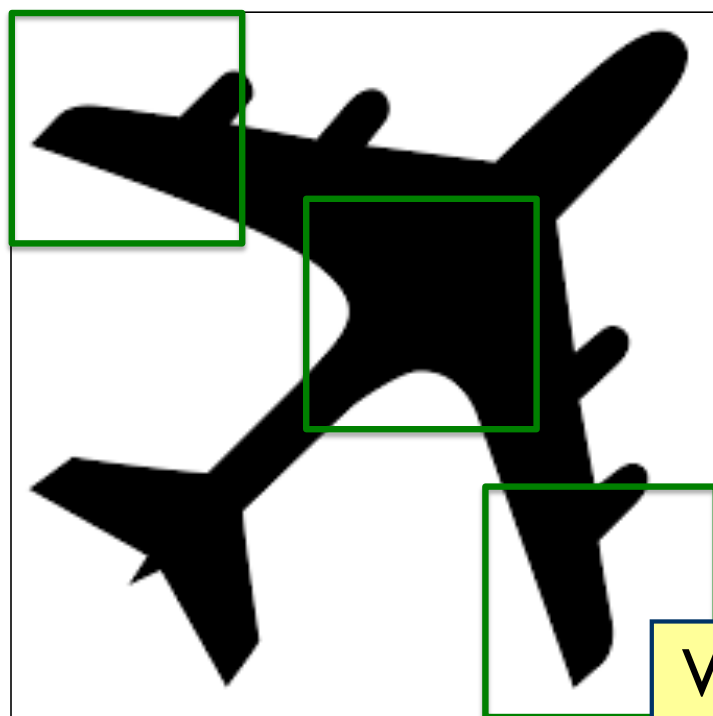
# An evolution of neural implicit (2019 - now)



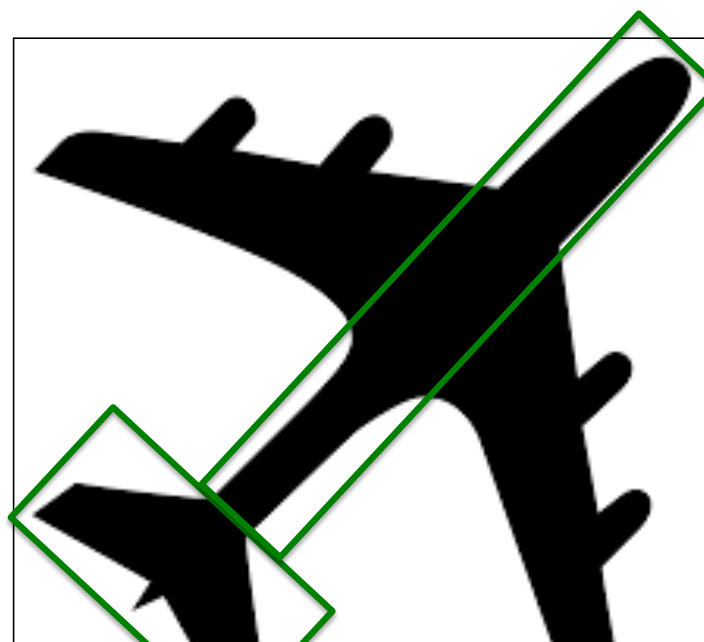
# An evolution of neural implicit (2019 - now)



# Can IM-NET learn shape parts (the right boxes)



Wrong boxes?



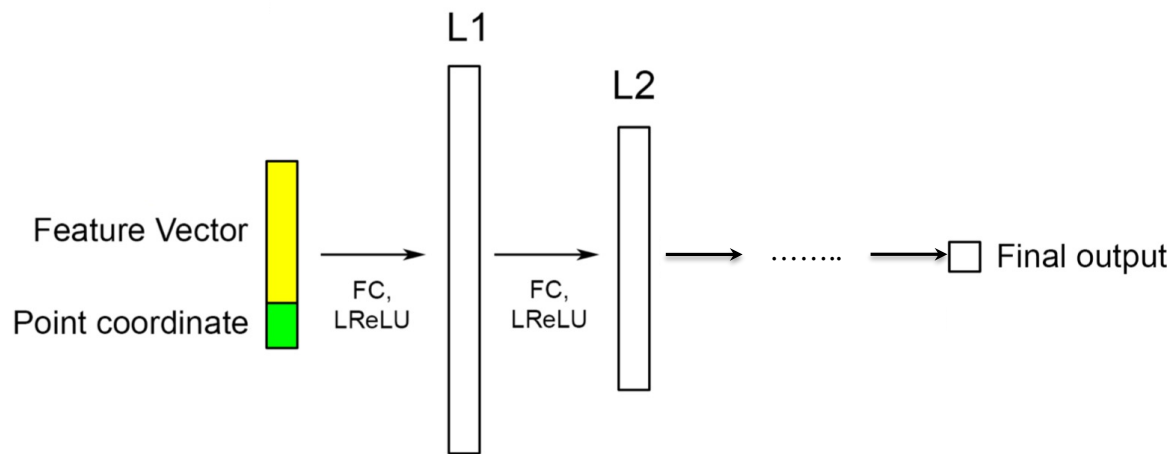
The right boxes

We care about shape **parts = structures**

# Can IM-NET learn shape parts?

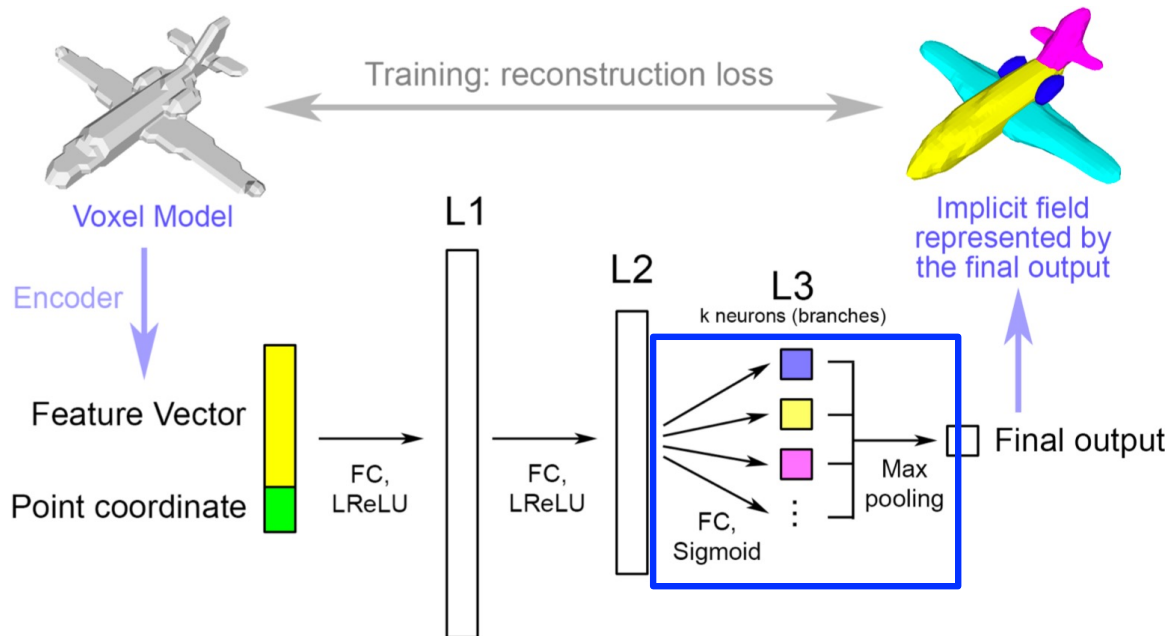
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- ❖ Original IM-Net trained with reconstruction loss



# Key: add a branching layer

- ❖ Same reconstruction loss, with **no part label as supervision**



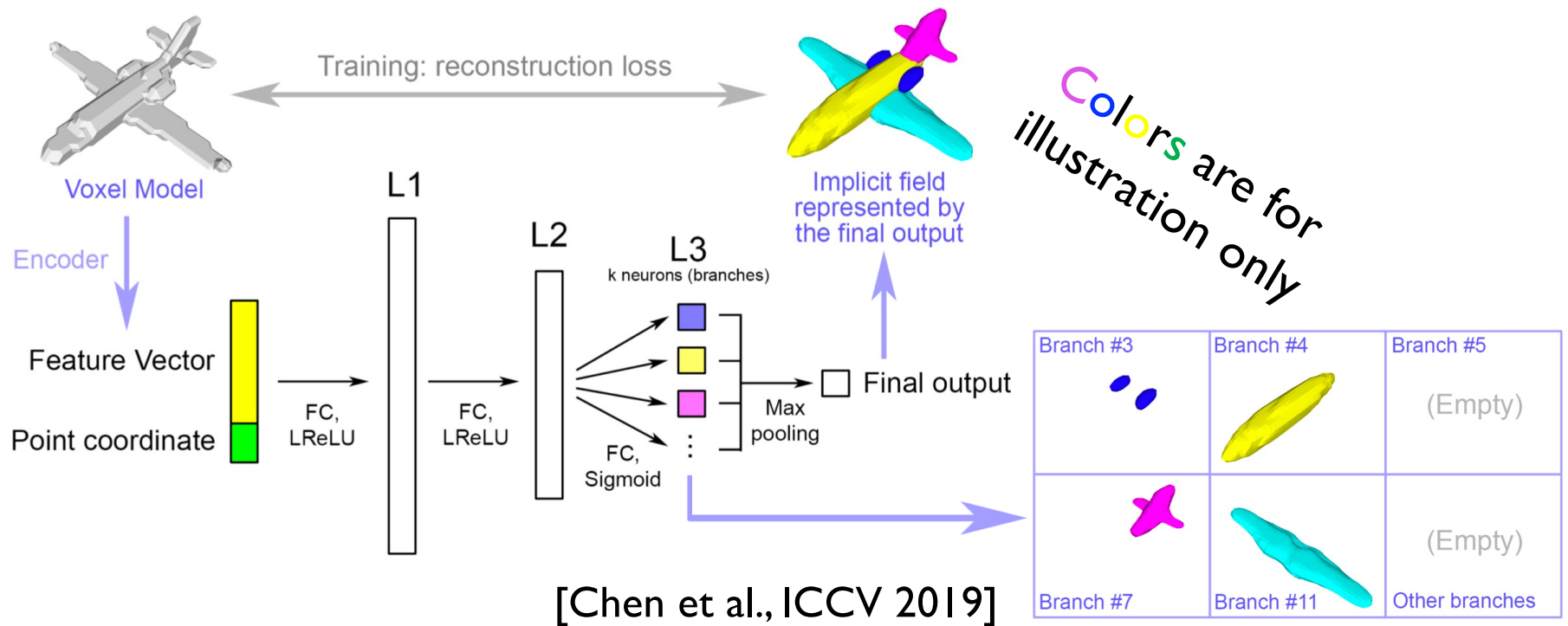
[Chen et al., ICCV 2019]

Branching in last layer  
is the **only change!**



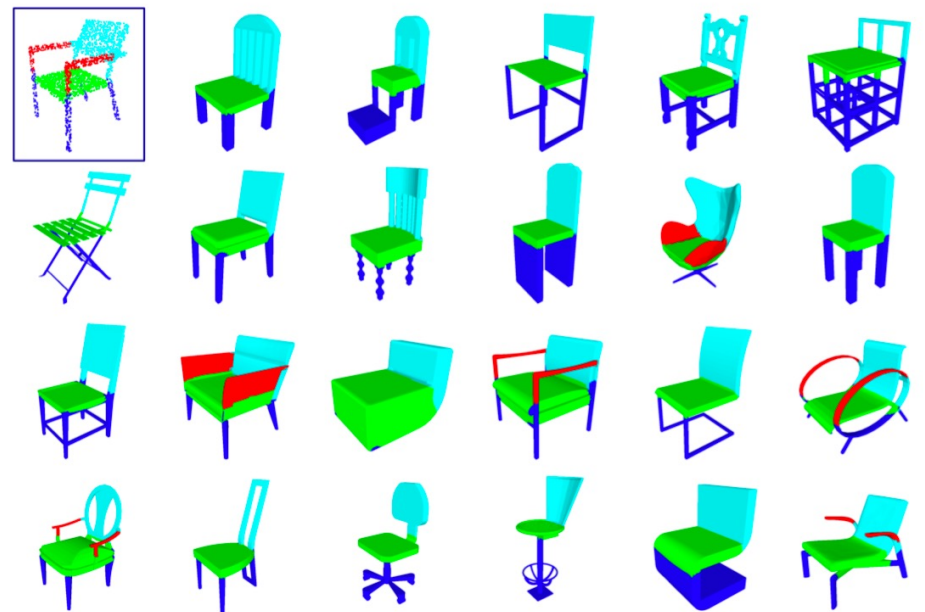
# Branched IM-NET to learn shape parts

- ❖ Same reconstruction loss, with **no part label as supervision**



# Unsupervised and 1-shot co-segmentation

- ❖ Unsupervised BAE-NET = Branched Autoencoder
- ❖ Repeatedly train on a set of unlabeled shapes with only shape reconstruction loss
- ❖ One-shot learning with just 1, or 2, or 3 labeled shapes, via label reconstruction loss

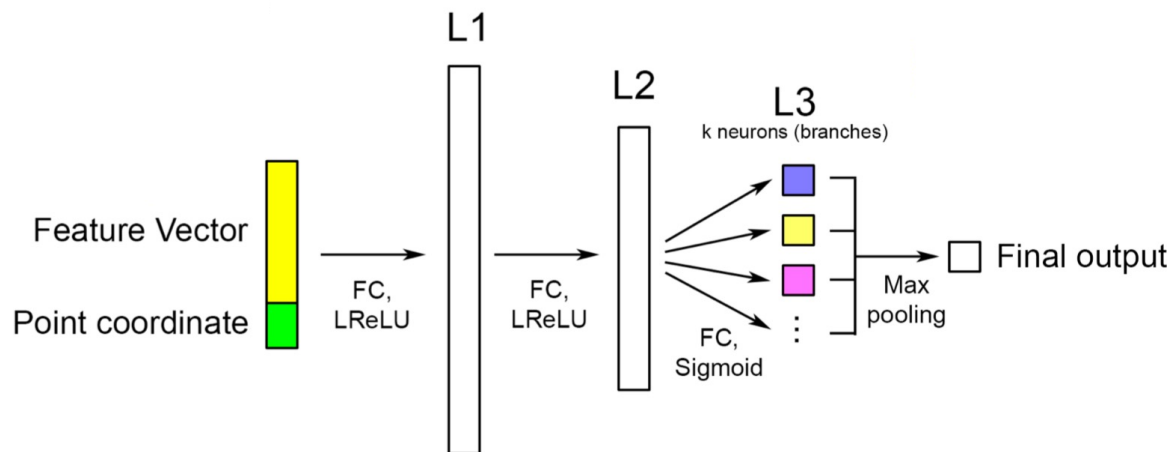


One-shot learning by BAE-NET on chair co-segmentation

[Chen et al., ICCV 2019]

# Why does this work?

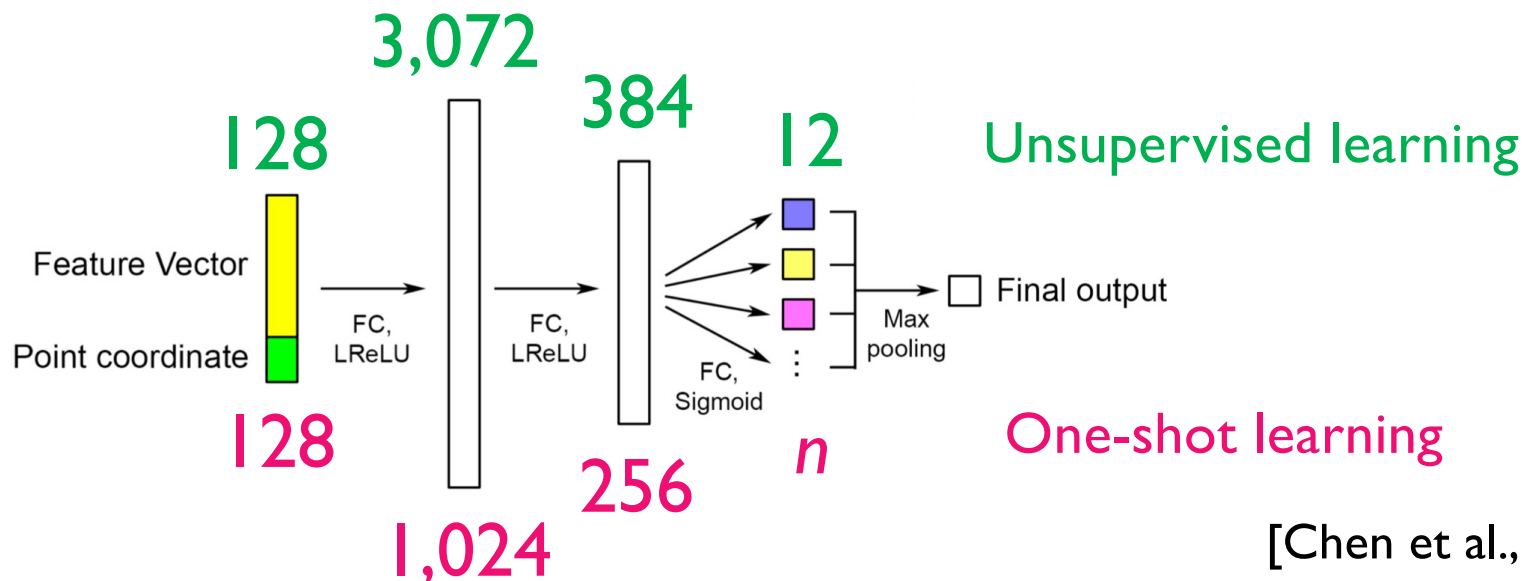
- ❖ Exploit the structure of **small** implicit field network (IM-Net)



[Chen et al., ICCV 2019]

# Why does this work?

- ❖ Exploit the structure of **small** implicit field network (IM-Net)
- ❖ Small = **shallow network** (3 layers only) and **few neurons**

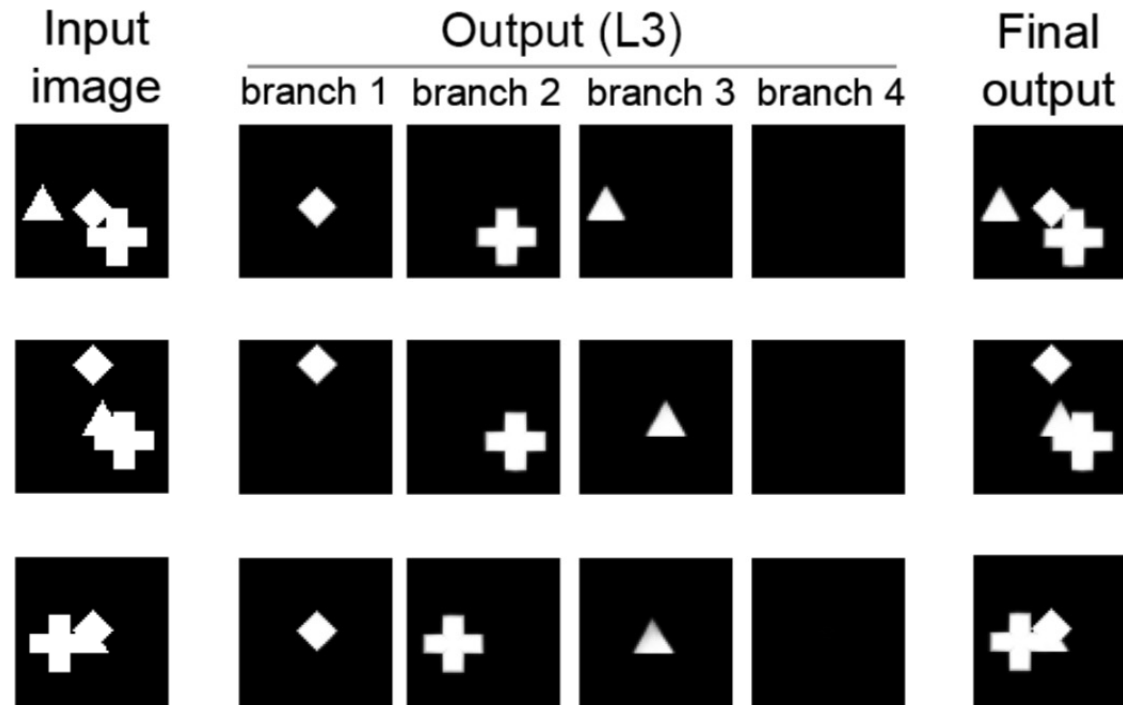


[Chen et al., ICCV 2019]

# Consequence of a compact network

❖ Must find **compact** and hence **consistent** reps  $\Rightarrow$  parts

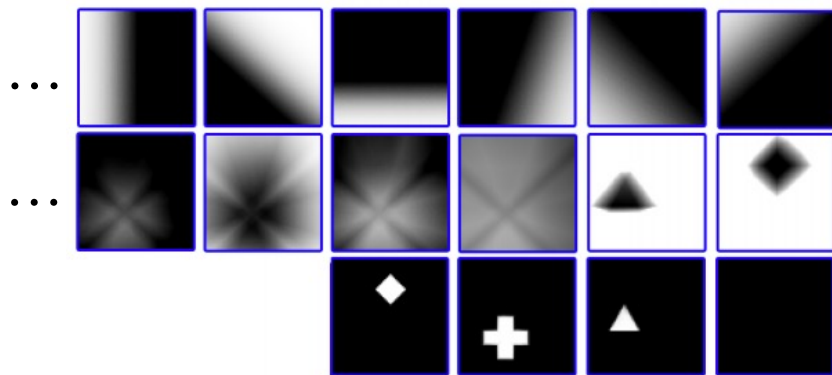
Trained on “Elements”,  
synthetic 2D pattern  
images consisting of a  
cross, a  $\blacktriangle$ , and a  $\blacklozenge$ ,  
randomly placed.



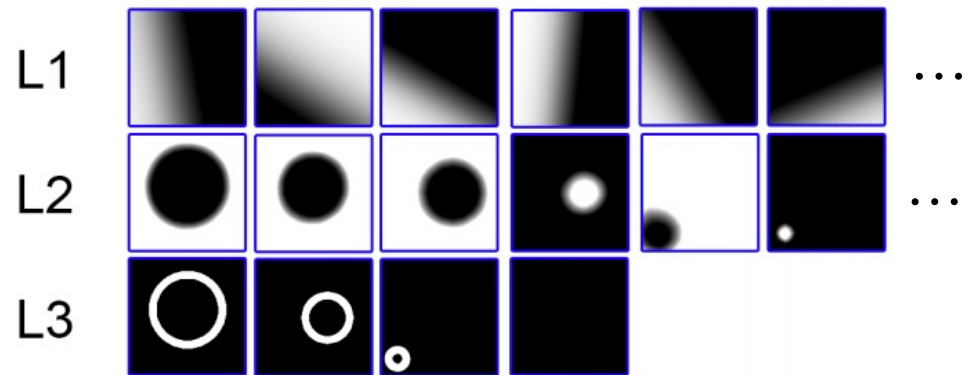
# Interpret what each layer learns ...

- ❖ A closer look at **neural activation maps** in each layer

Layer 1 learn **linear gradient fields**



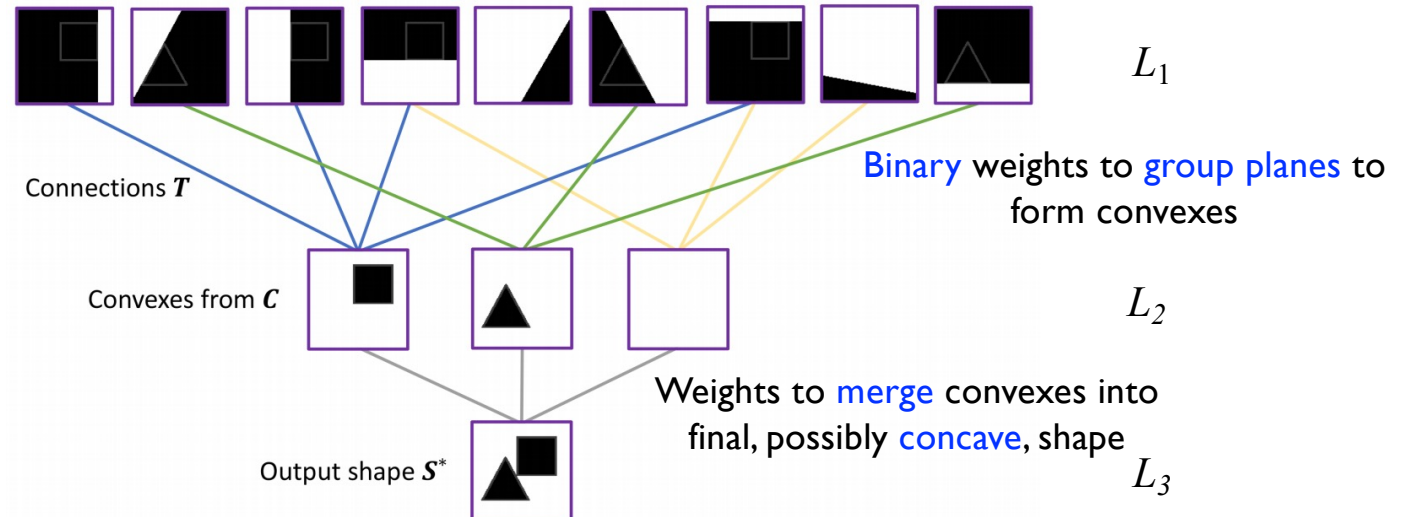
Trained on the “Elements” images



Trained on the “Three rings” images

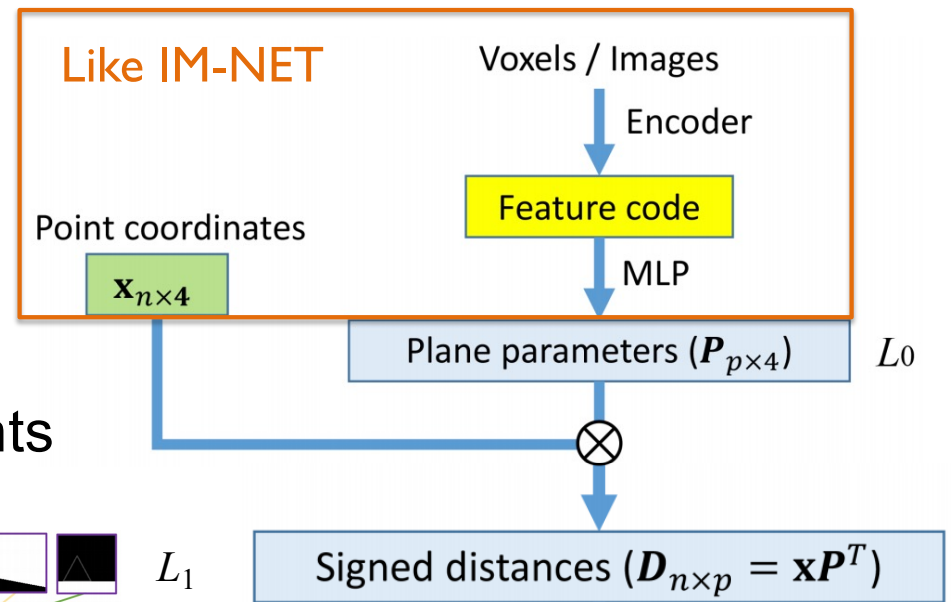
# Make this “interpretability” explicit

- ❖ Let neurons in  $L_1$  layer represent **planes explicitly**
- ❖ Layer  $L_2$  combines planes into **convex shape primitives**

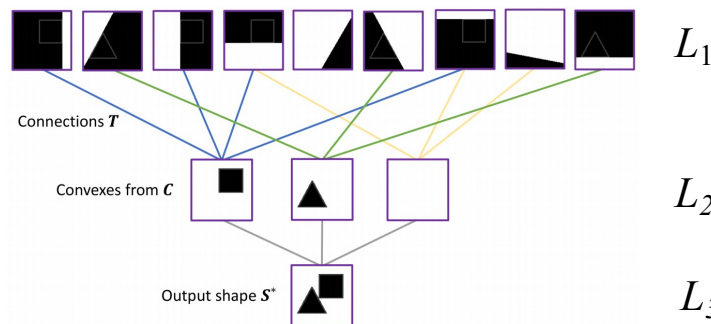


# BSP-NET: another neural implicit model

- ❖ I/O the same as **IM-NET**, with same reconstruction loss
- ❖ **NEW**: shapes are formed via **binary space partitioning (BSP)**
- ❖ Planes defined by learned weights



Each neuron a **BSP**



[Chen et al., CVPR 2020]  
Best Student Paper Award



# BSP-NET: directly produce compact meshes

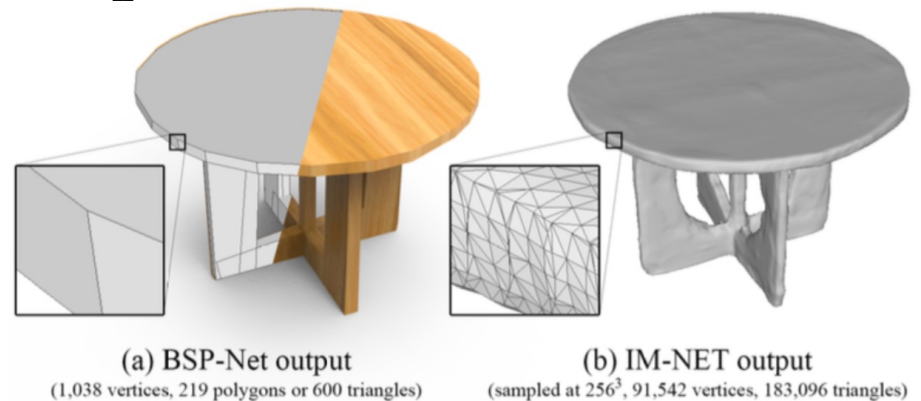
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- ❖ The network learns how to best reconstruct the set of training 3D shapes using  $N$  (e.g., 4,096) planes

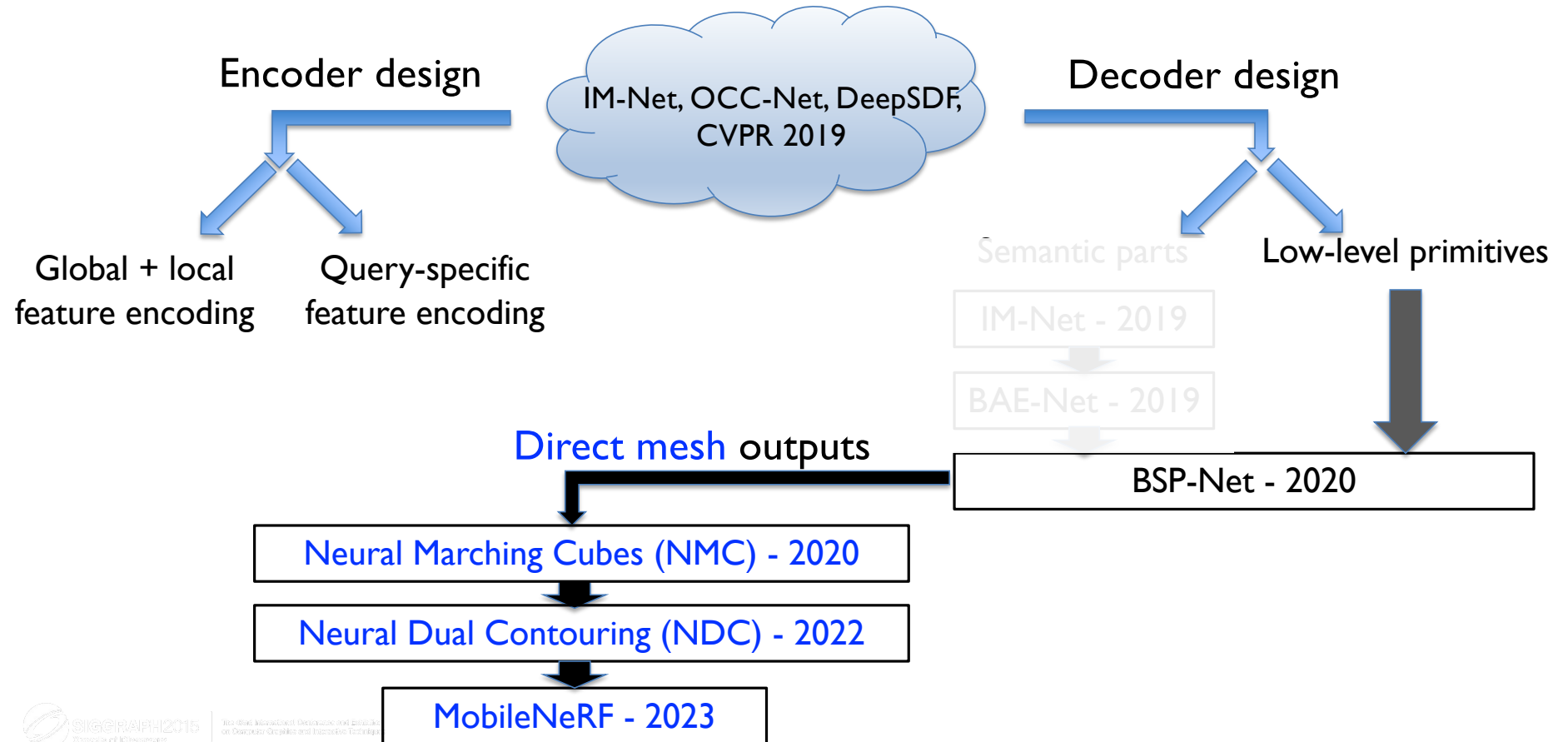
# BSP-NET: directly produce compact meshes

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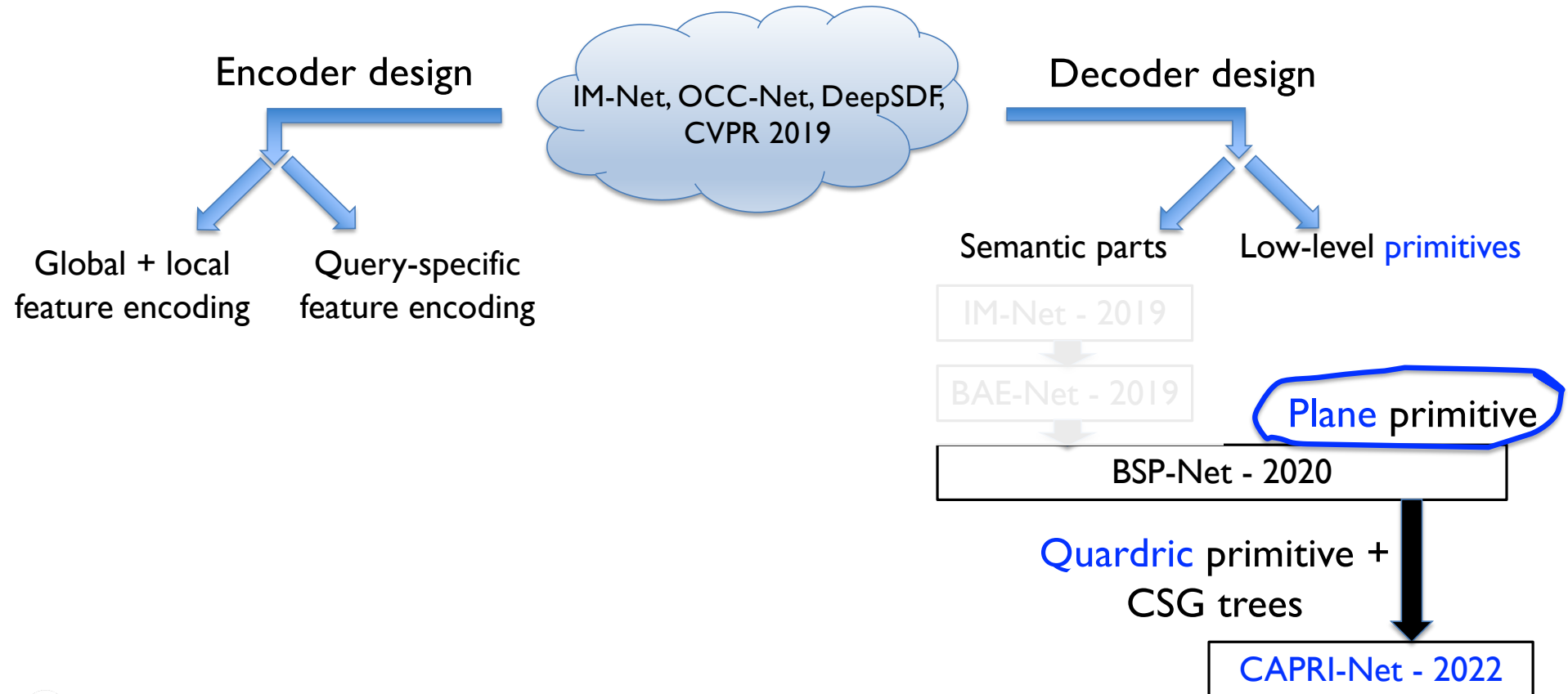
- ❖ The network learns how to best reconstruct the set of training 3D shapes using  $N$  (e.g., 4,096) planes
- ❖ At inference, obtain planes and convexes based on input
  - ❖ Output mesh directly, no Marching Cubes
  - ❖ **Compact**: small # planes
  - ❖ **Sharp features**



# An evolution of neural implicit (2019 - now)

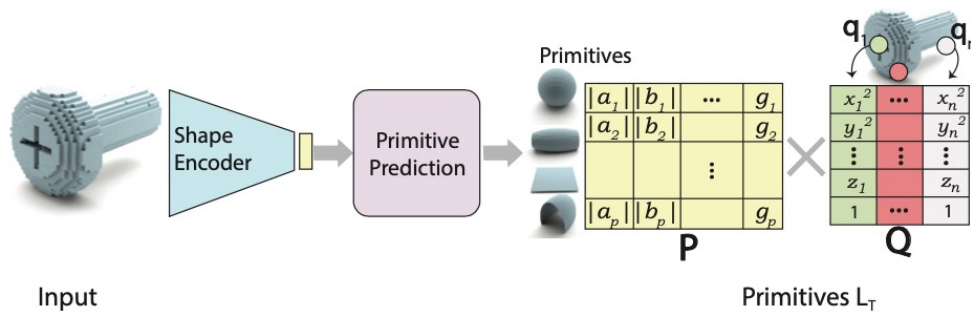


# An evolution of neural implicit (2019 - now)



# Learning primitive assemblies (aside)

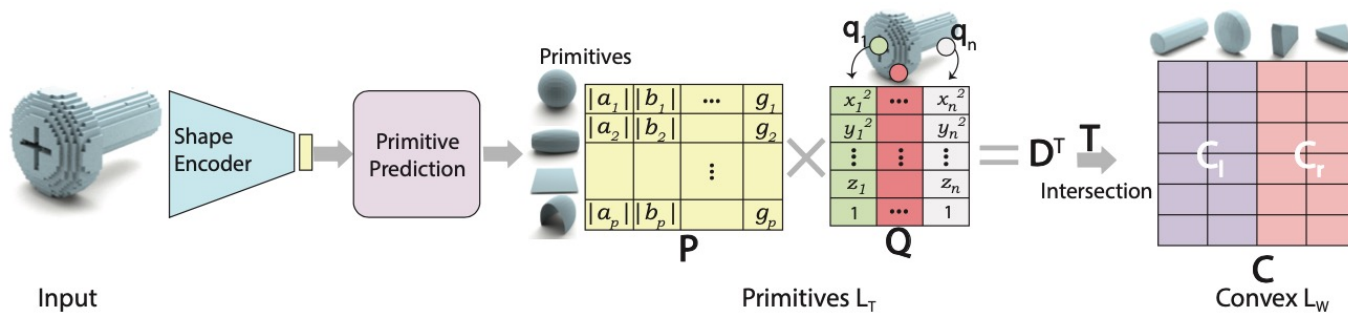
- ❖ BSP-Net extension with quadric primitives and difference operation
- ❖ Goal: to produce compact CSG trees, without GT supervision



CAPRI-Net: [Yu et al., CVPR 2022]

# Learning primitive assemblies (aside)

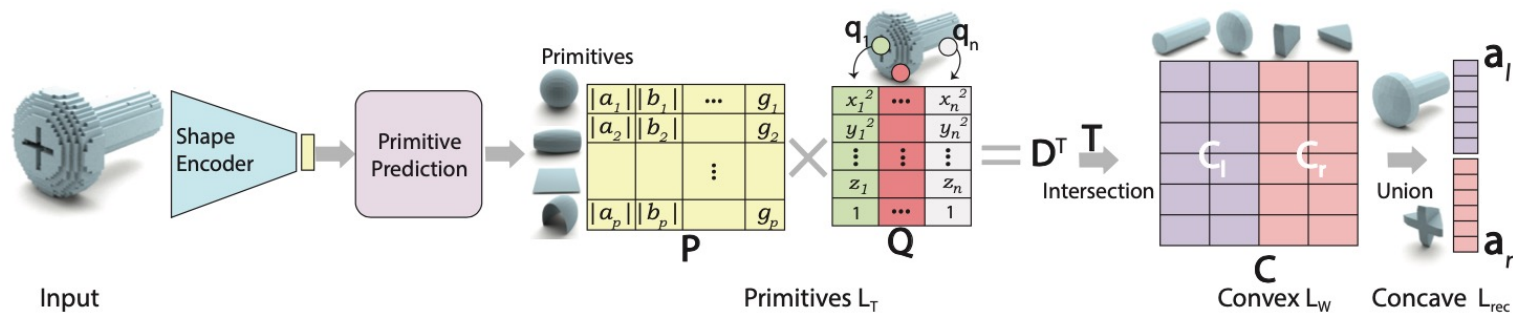
- ❖ BSP-Net extension with quadric primitives and difference operation
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CAPRI-Net: [Yu et al., CVPR 2022]

# Learning primitive assemblies (aside)

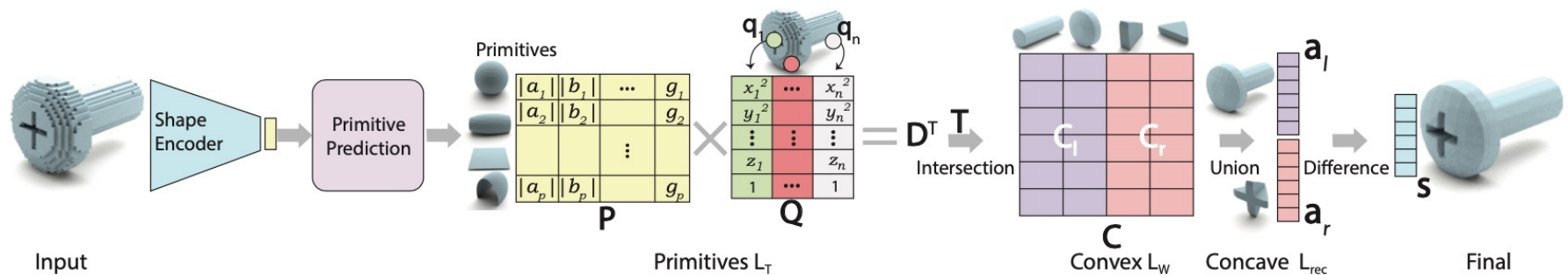
- ❖ BSP-Net extension with quadric primitives and difference operation
- ❖ Goal: to produce compact CSG trees, without GT supervision



CAPRI-Net: [Yu et al., CVPR 2022]

# Learning primitive assemblies (aside)

- ❖ BSP-Net extension with quadric primitives and difference operation
- ❖ Goal: to produce compact CSG trees, without GT supervision

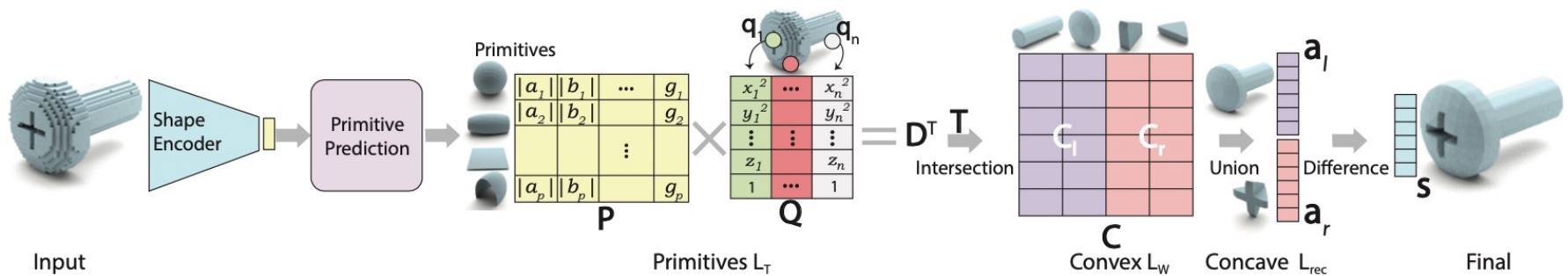


CAPRI-Net: [Yu et al., CVPR 2022]



# Learning primitive assemblies (aside)

- ❖ BSP-Net extension with quadric primitives and difference operation
- ❖ Goal: to produce compact CSG trees, without GT supervision

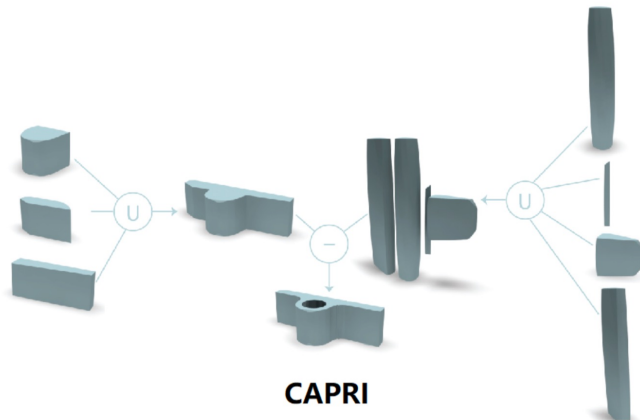
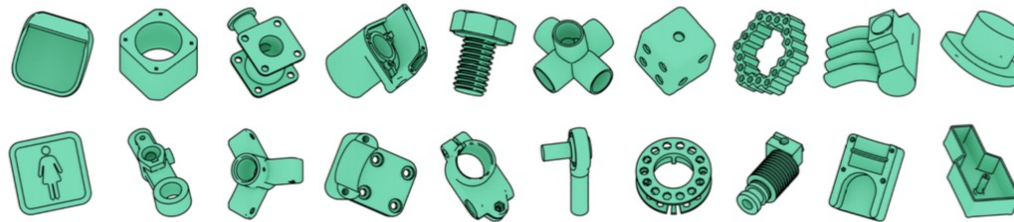


CAPRI-Net: [Yu et al., CVPR 2022]

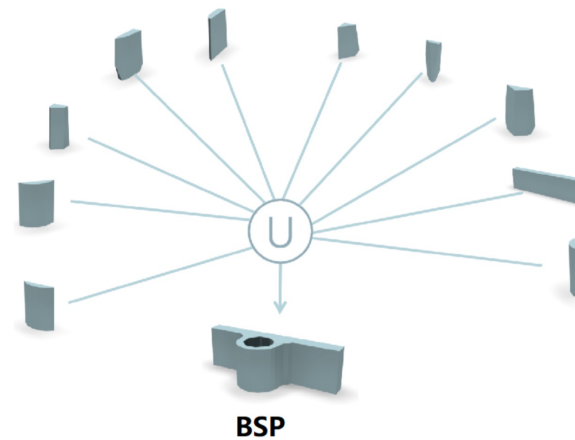


# CAPRI-Net: compact primitive assembly (aside)

- ❖ Trainable over **ABC dataset** (without class labels)

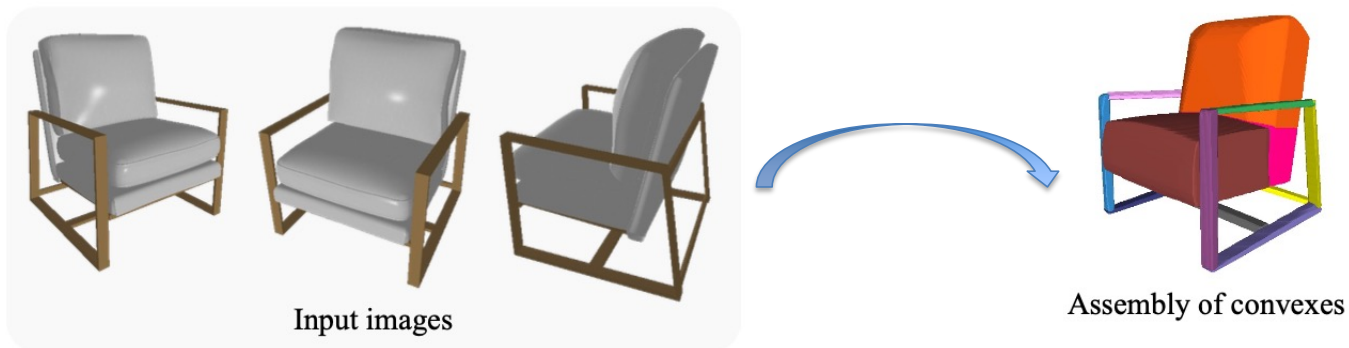


VS.



# CAPRI-Net from multi-view images (aside)

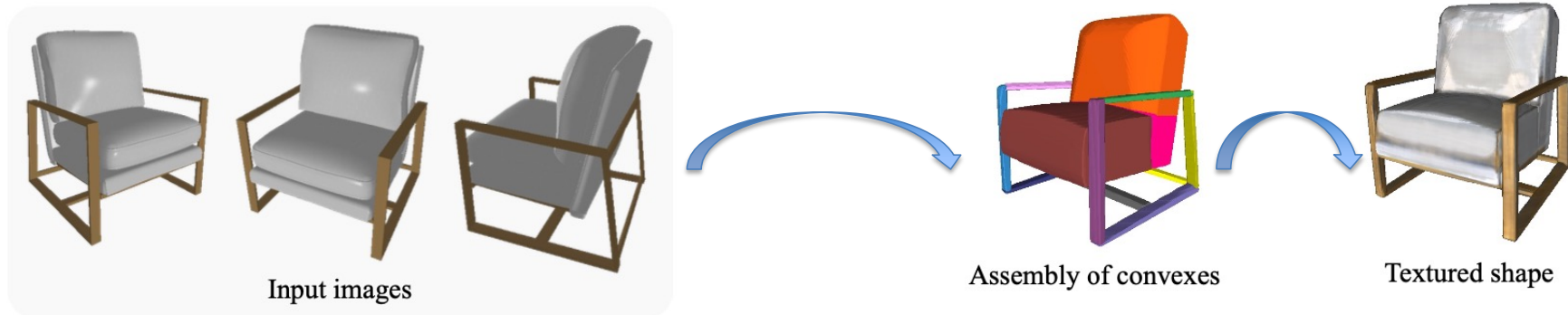
- ❖ 3D primitive assemblies from sparse and wide-baseline views



[Yu et al. ECCV 2024]

# DPA-Net: differentiable primitive assembly (aside)

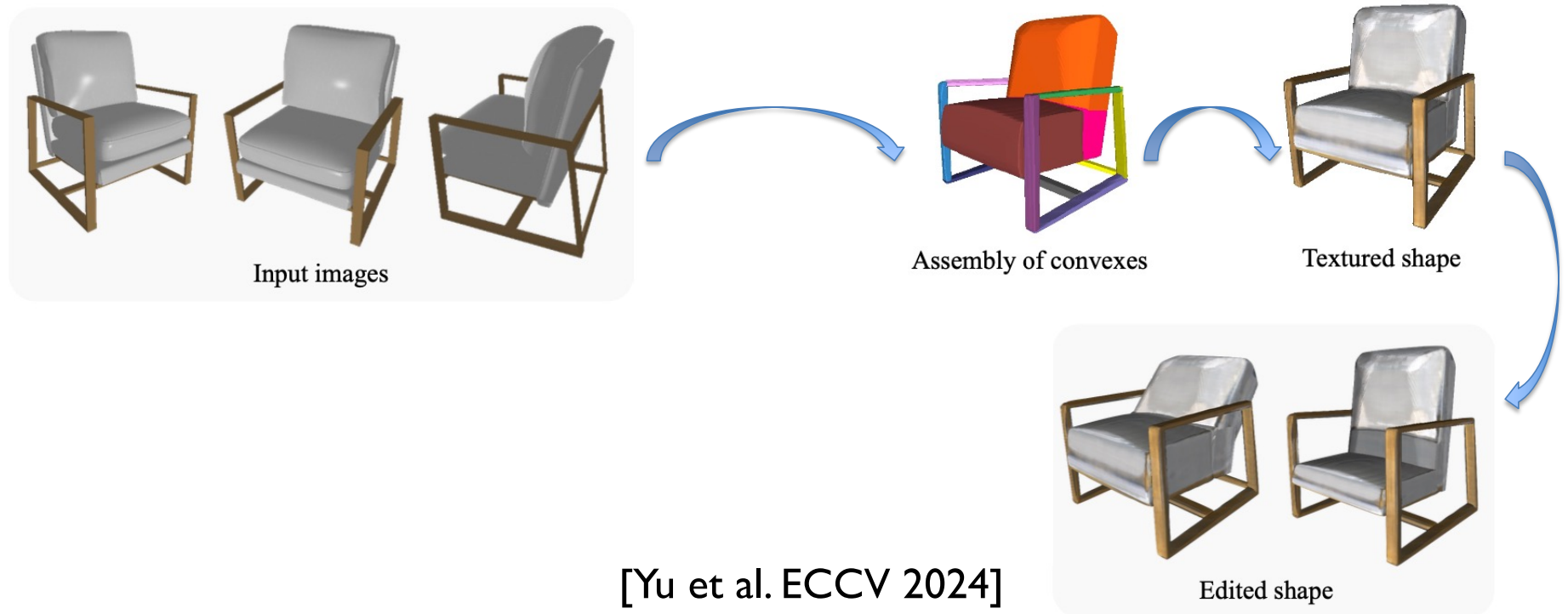
- ❖ Primitive assembly is differentiable, without 3D supervision



[Yu et al. ECCV 2024]

# DPA-Net: differentiable primitive assembly (aside)

- ❖ Generated primitive assembly **directly supports editing**



# Final example: a “smart” representation (aside)

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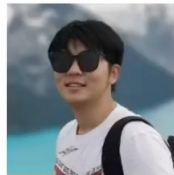
## Slice3D: Multi-Slice, Occlusion-Revealing, Single View 3D Reconstruction



Yizhi Wang



Wallace Lira



Wenqi Wang



Ali Mahdavi-Amiri



Hao (Richard) Zhang

GrUVi Lab, Simon Fraser University

Project website: <https://yizhiwang96.github.io/Slice3D/>