

**Here are some tricks for understanding
the performance of parallel software**

Remember:

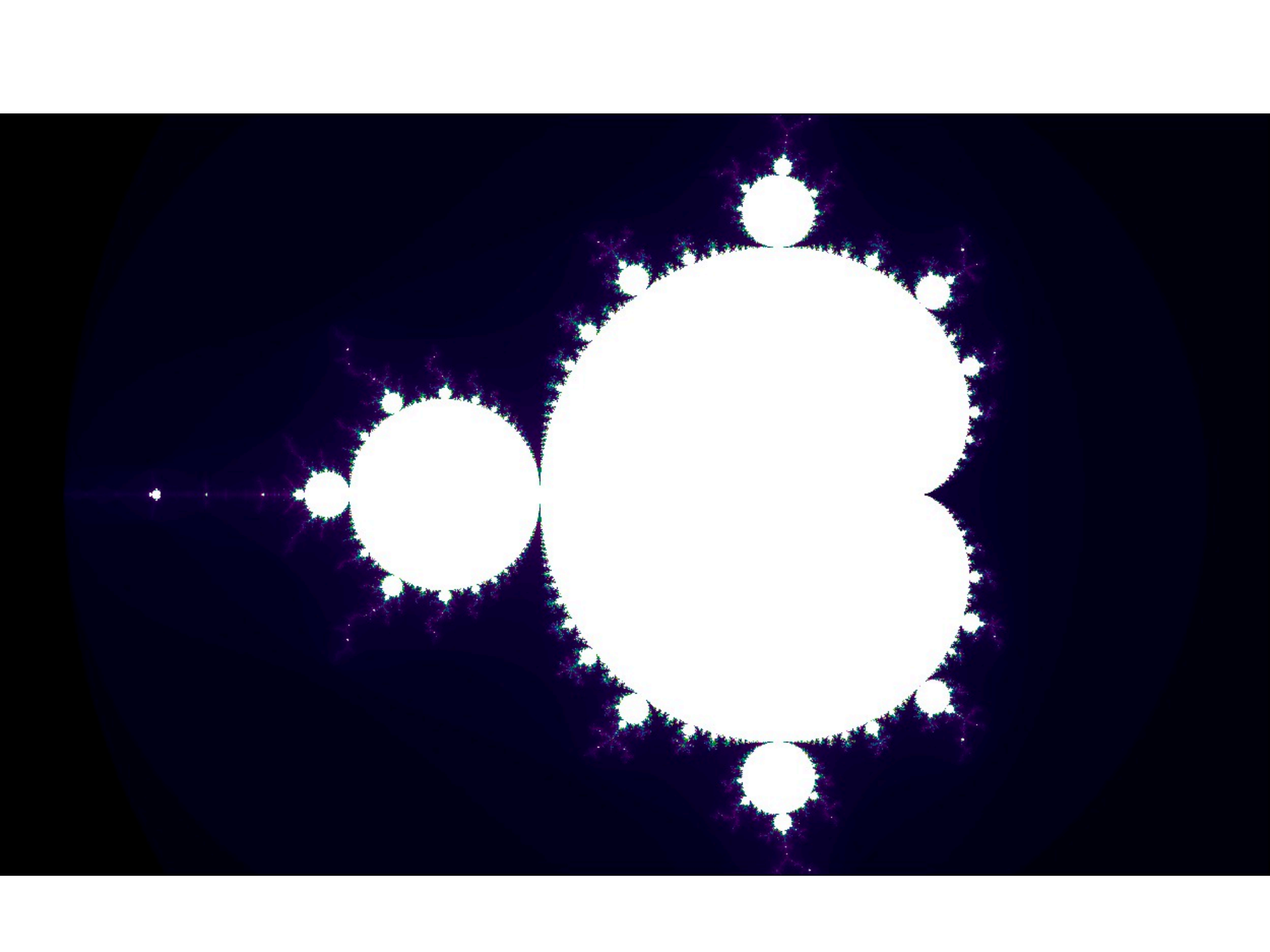
**Always, always, always try the simplest
parallel solution first, then **measure
performance** to see where you stand.**

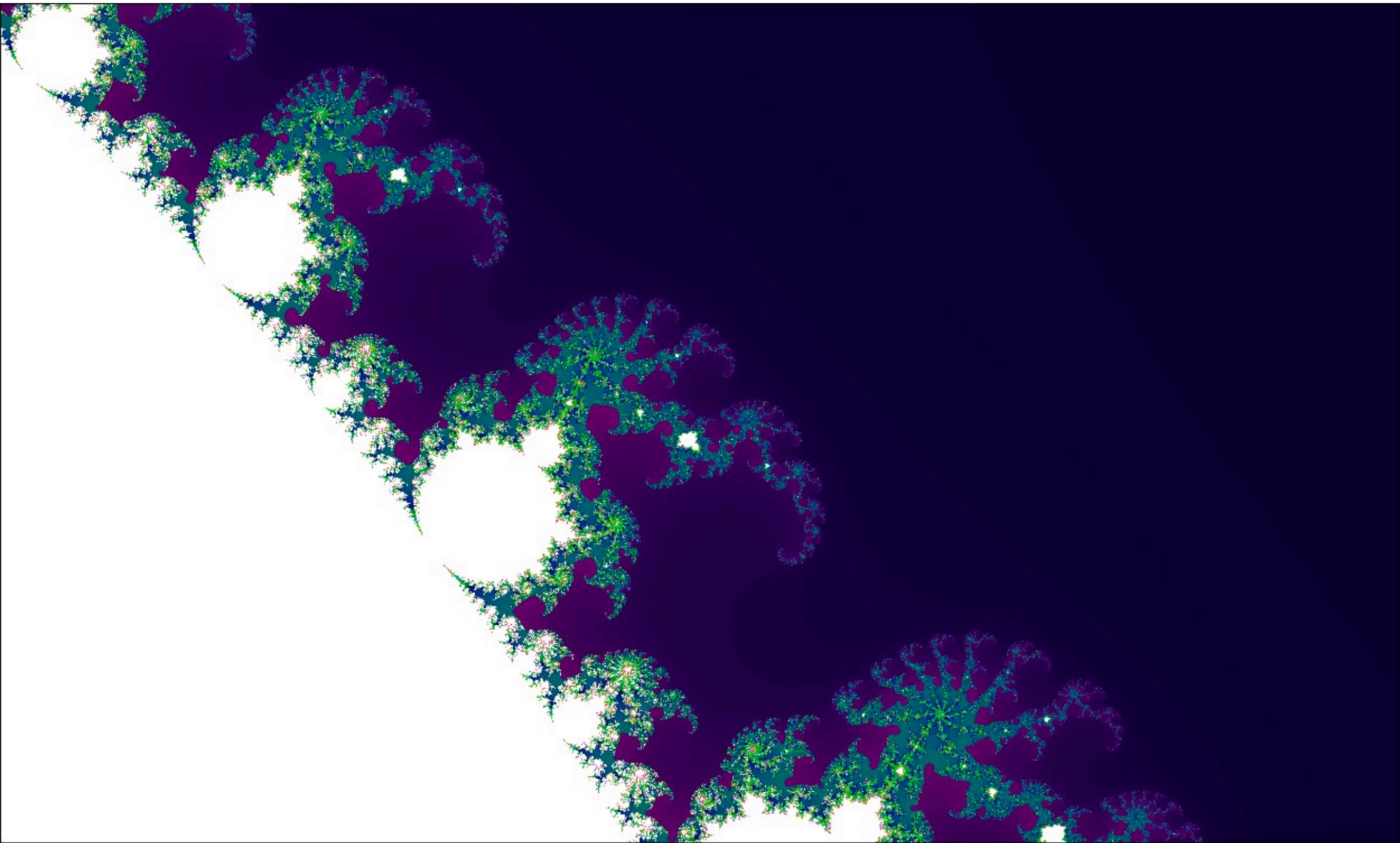
A useful performance analysis strategy

- **Determine if your performance is limited by computation, imbalance, memory bandwidth (or memory latency), or synchronization?**
- **Try and establish “high watermarks”**
 - **What’s the best you can do in practice?**
 - **How close is your implementation to a best-case scenario?**

$$\sin x = x - \frac{x^3}{3!} + \frac{x^5}{5!} - \frac{x^7}{7!} \cdots$$

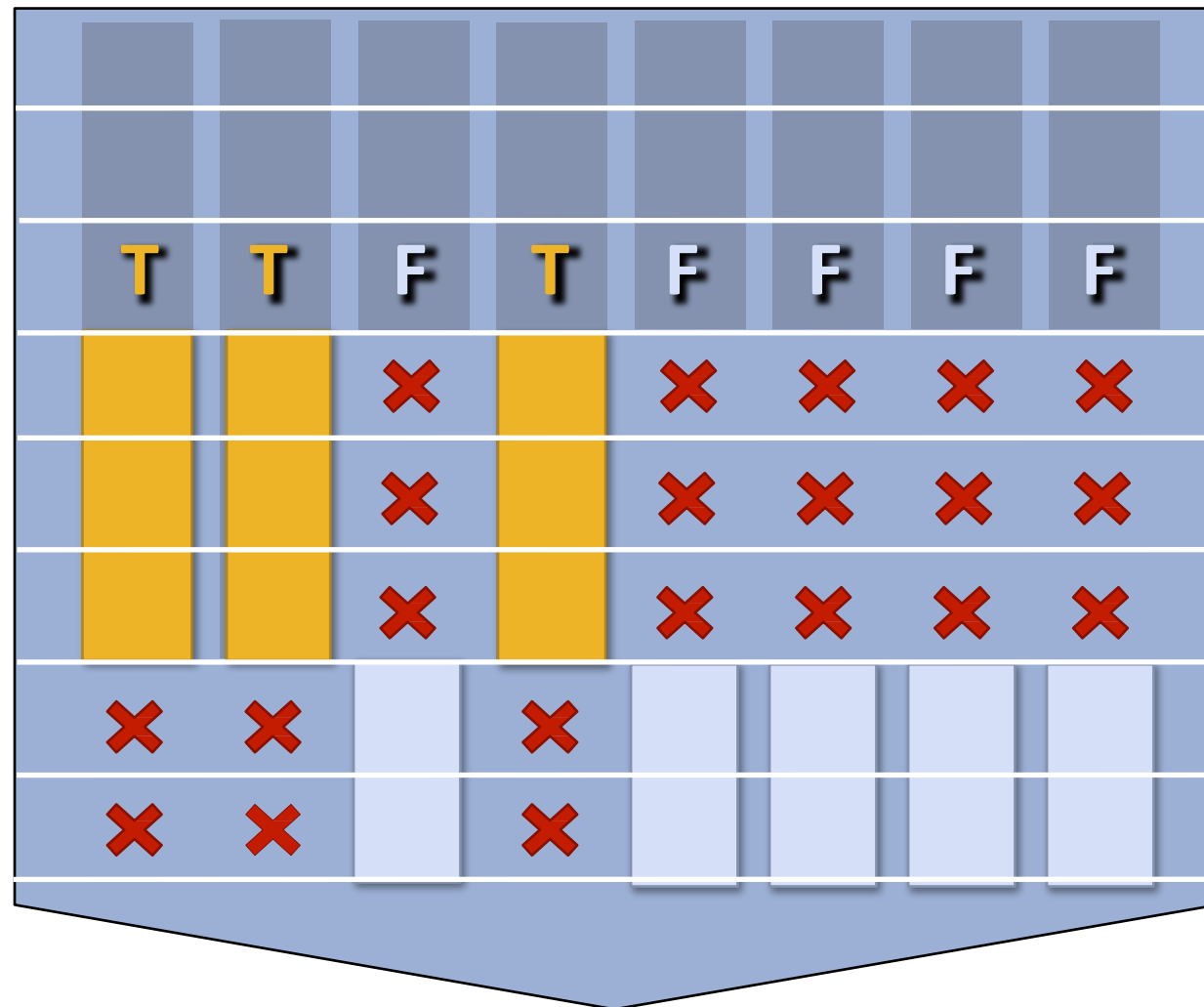
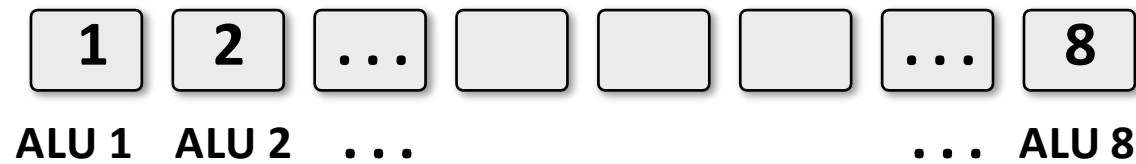
$$\cos x = 1 - \frac{x^2}{2!} + \frac{x^4}{4!} - \frac{x^6}{6!} \cdots$$





Mask (discard) output of ALU

Time (clocks)



Not all ALUs do useful work!

Worst case: 1/8 peak performance

(assume logic below is to be executed for each element in input array 'A', producing output into the array 'result')

```
static inline int mandel(..) {  
    float z_re = c_re, z_im = c_im;  
    int i;  
    for (i = 0; i < count; ++i) {  
  
        if (z_re * z_re + z_im * z_im > 4.f)  
            break;  
  
        float new_re = z_re*z_re - z_im*z_im;  
        float new_im = 2.f * z_re * z_im;  
        z_re = c_re + new_re;  
        z_im = c_im + new_im;  
    }  
  
    return i;  
}
```