

CMPT 379

Compilers

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Syntax directed Translation

- Models for translation from parse trees into assembly/machine code
- Representation of translations
 - Attribute Grammars (semantic actions for CFGs)
 - Tree Matching Code Generators
 - Tree Parsing Code Generators

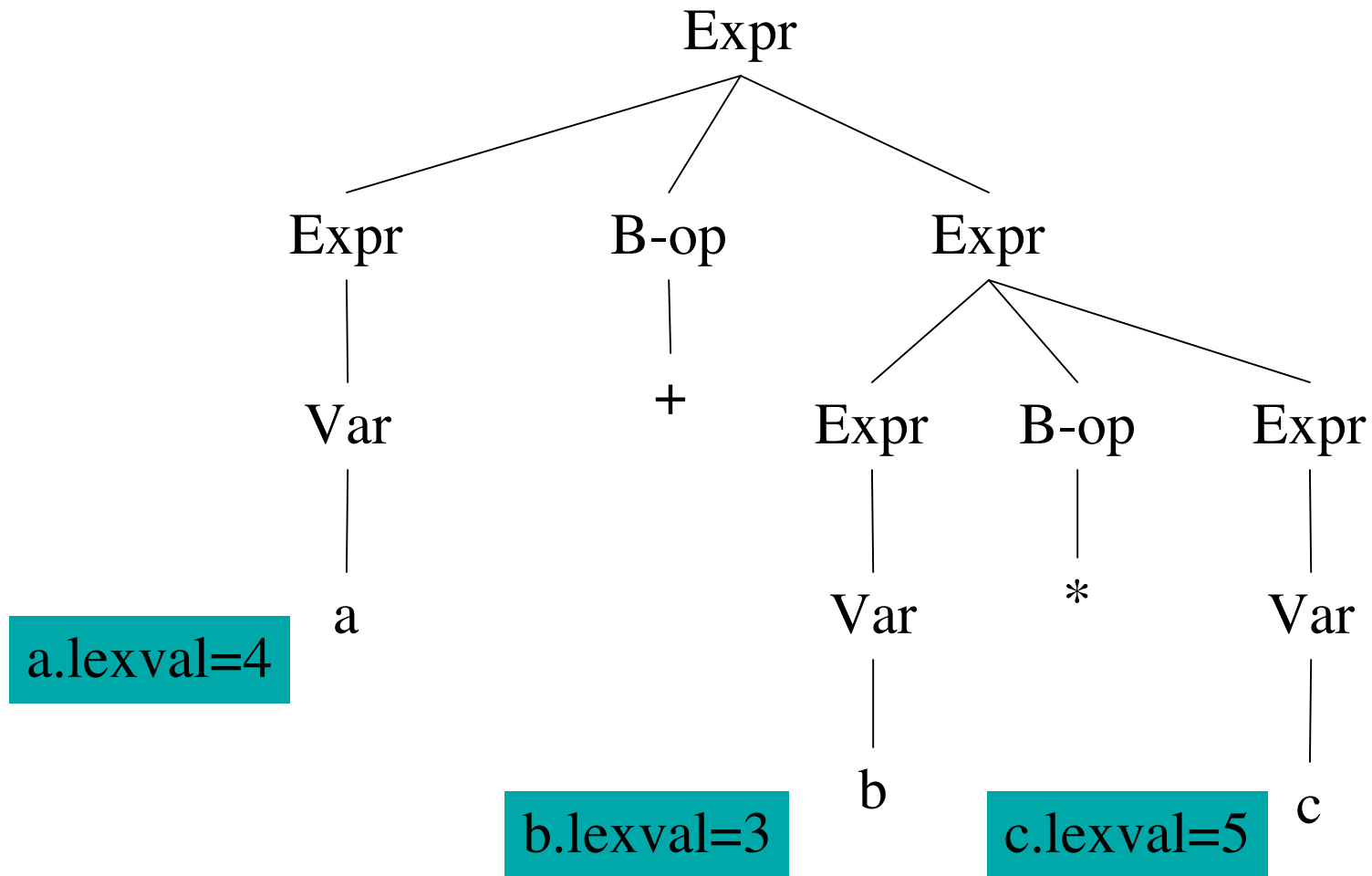
Attribute Grammars

- Syntax-directed translation uses a grammar to produce code (or any other “semantics”)
- Consider this technique to be a generalization of a CFG definition
- Each grammar symbol is associated with an attribute
- An attribute can be anything: a string, a number, a tree, any kind of record or object

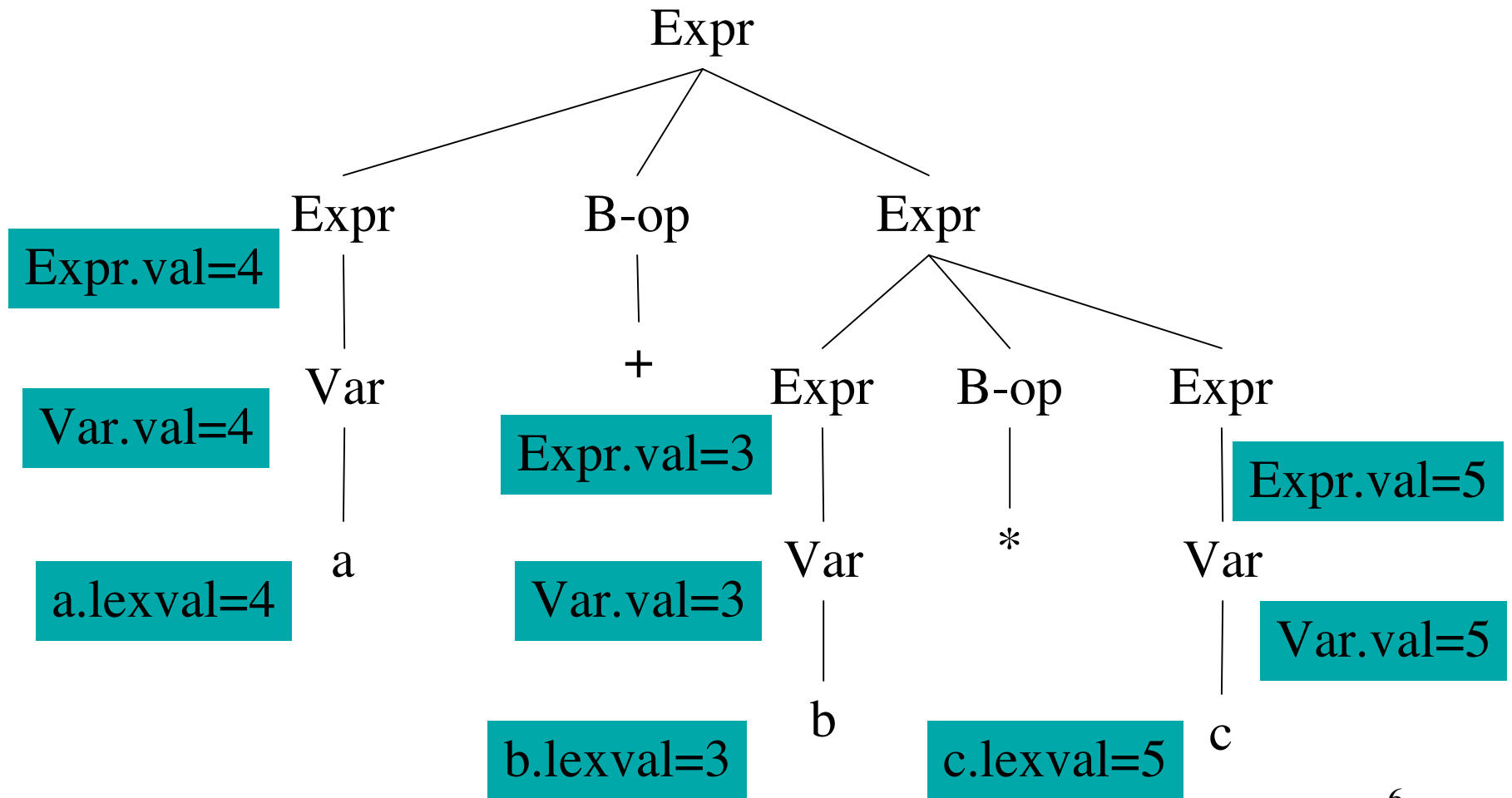
Attribute Grammars

- A CFG can be viewed as a (finite) representation of a function that relates strings to parse trees
- Similarly, an attribute grammar is a way of relating strings with “meanings”
- Since this relation is syntax-directed, we associate each CFG rule with a semantics (rules to build an abstract syntax tree)
- In other words, attribute grammars are a method to *decorate* or *annotate* the parse tree

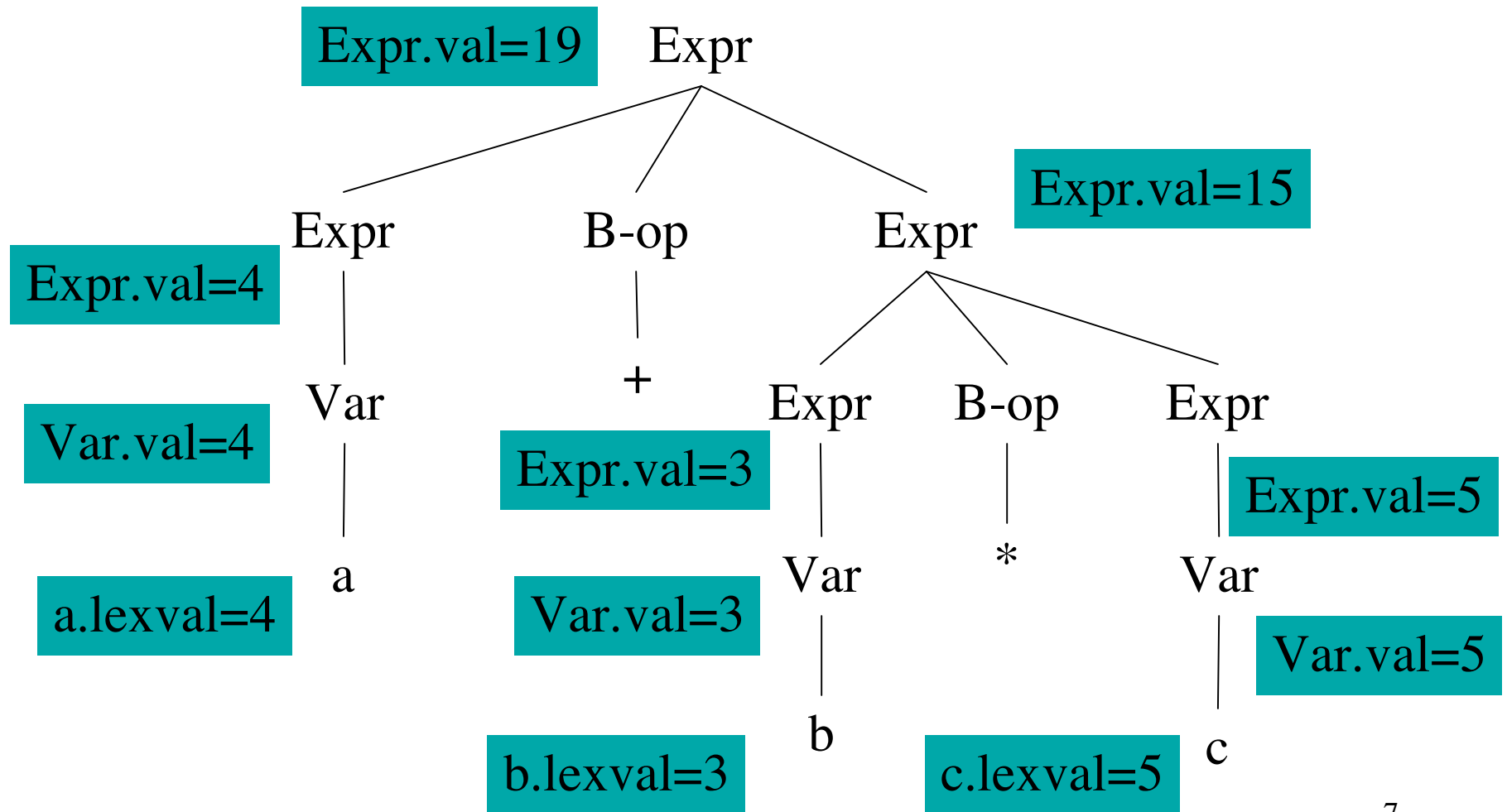
Example



Example



Example



Syntax directed definition

$\text{Var} \rightarrow \text{IntConstant}$

$\{ \$0.\text{val} = \$1.\text{lexval}; \}$

$\text{Expr} \rightarrow \text{Var}$

$\{ \$0.\text{val} = \$1.\text{val}; \}$

$\text{Expr} \rightarrow \text{Expr B-op Expr}$

$\{ \$0.\text{val} = \$2.\text{val} (\$1.\text{val}, \$3.\text{val}); \}$

$\text{B-op} \rightarrow +$

$\{ \$0.\text{val} = \text{PLUS}; \}$

$\text{B-op} \rightarrow *$

$\{ \$0.\text{val} = \text{TIMES}; \}$

Flow of Attributes in *Expr*

- Consider the flow of the attributes in the *Expr* syntax-directed defn
- The lhs attribute is computed using the rhs attributes
- Purely bottom-up: compute attribute values of all children (rhs) in the parse tree
- And then use them to compute the attribute value of the parent (lhs)

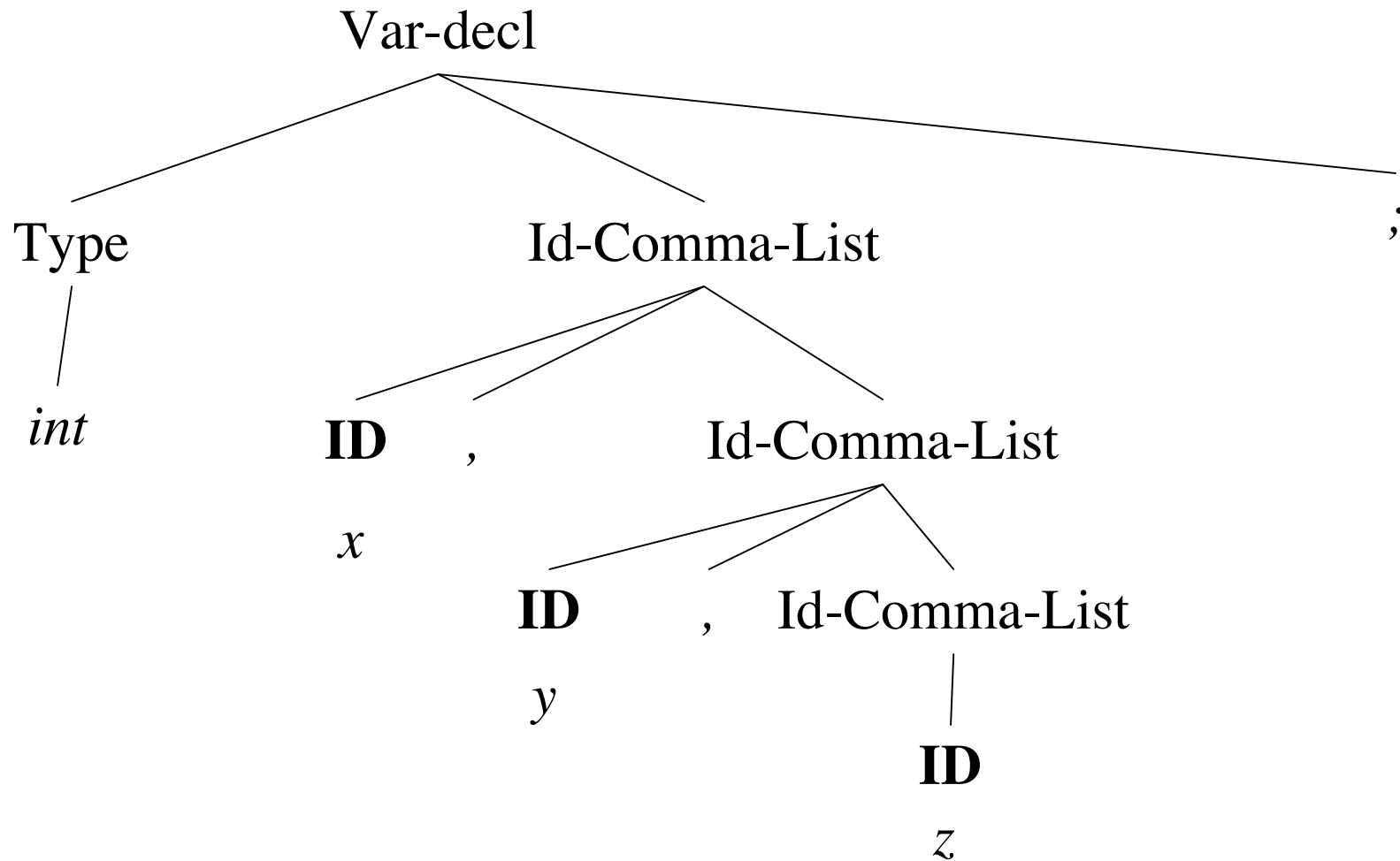
Synthesized Attributes

- **Synthesized attributes** are attributes that are computed purely bottom-up
- A grammar with semantic actions (or syntax-directed definition) can choose to use *only* synthesized attributes
- Such a grammar plus semantic actions is called an **S-attributed definition**

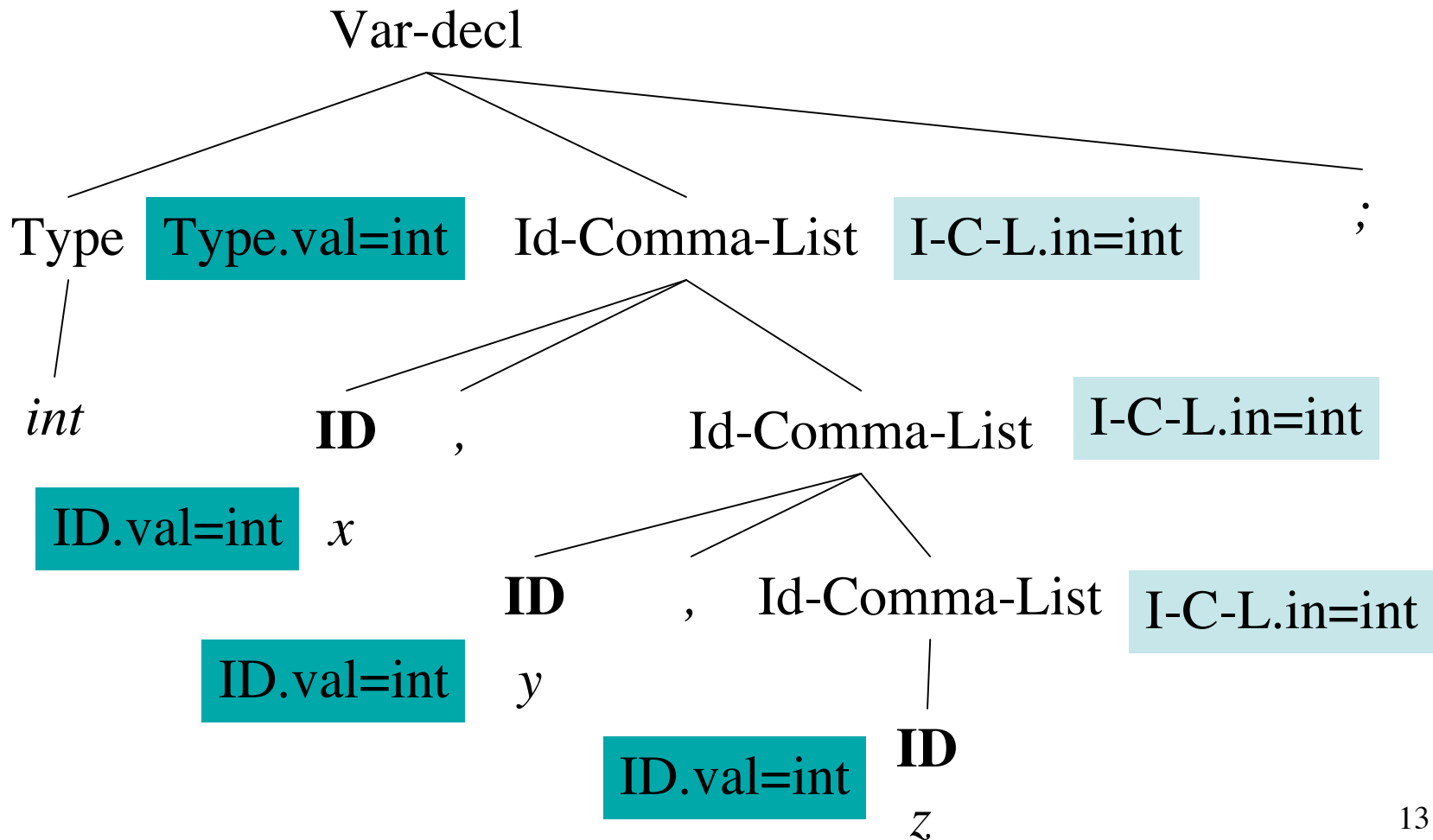
Inherited Attributes

- Synthesized attributes may not be sufficient for all cases that might arise for semantic checking and code generation
- Consider the (sub)grammar:
Var-decl \rightarrow Type Id-comma-list ;
Type \rightarrow **int** | **bool**
Id-comma-list \rightarrow **ID**
Id-comma-list \rightarrow **ID** , Id-comma-list

Example: *int x, y, z ;*



Example: *int x, y, z ;*



Syntax-directed definition

Var-decl \rightarrow Type Id-comma-list ;

{ \$2.in = \$1.val; }

Type \rightarrow **int** | **bool**

{ \$0.val = int; } & { \$0.val = bool; }

Id-comma-list \rightarrow **ID**

{ \$1.val = \$0.in; }

Id-comma-list \rightarrow **ID** , Id-comma-list

{ \$1.val = \$0.in; \$3.in = \$0.in; }

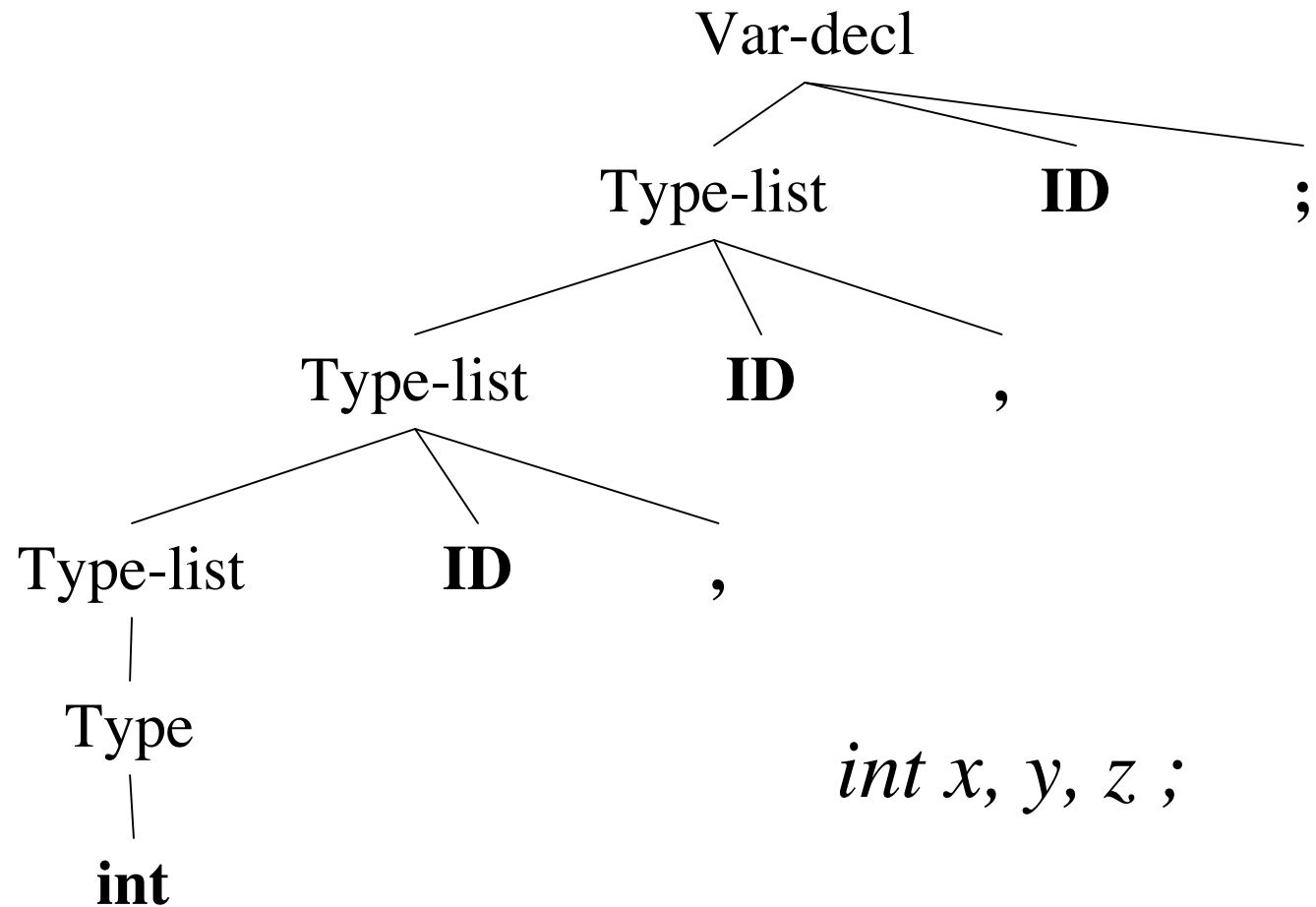
Flow of Attributes in *Var-decl*

- How do the attributes flow in the *Var-decl* grammar
- **ID** takes its attribute value from its parent node
- *Id-Comma-List* takes its attribute value from its left sibling *Type*
- Computing attributes purely bottom-up is not sufficient in this case
- Do we need synthesized attributes in this grammar?

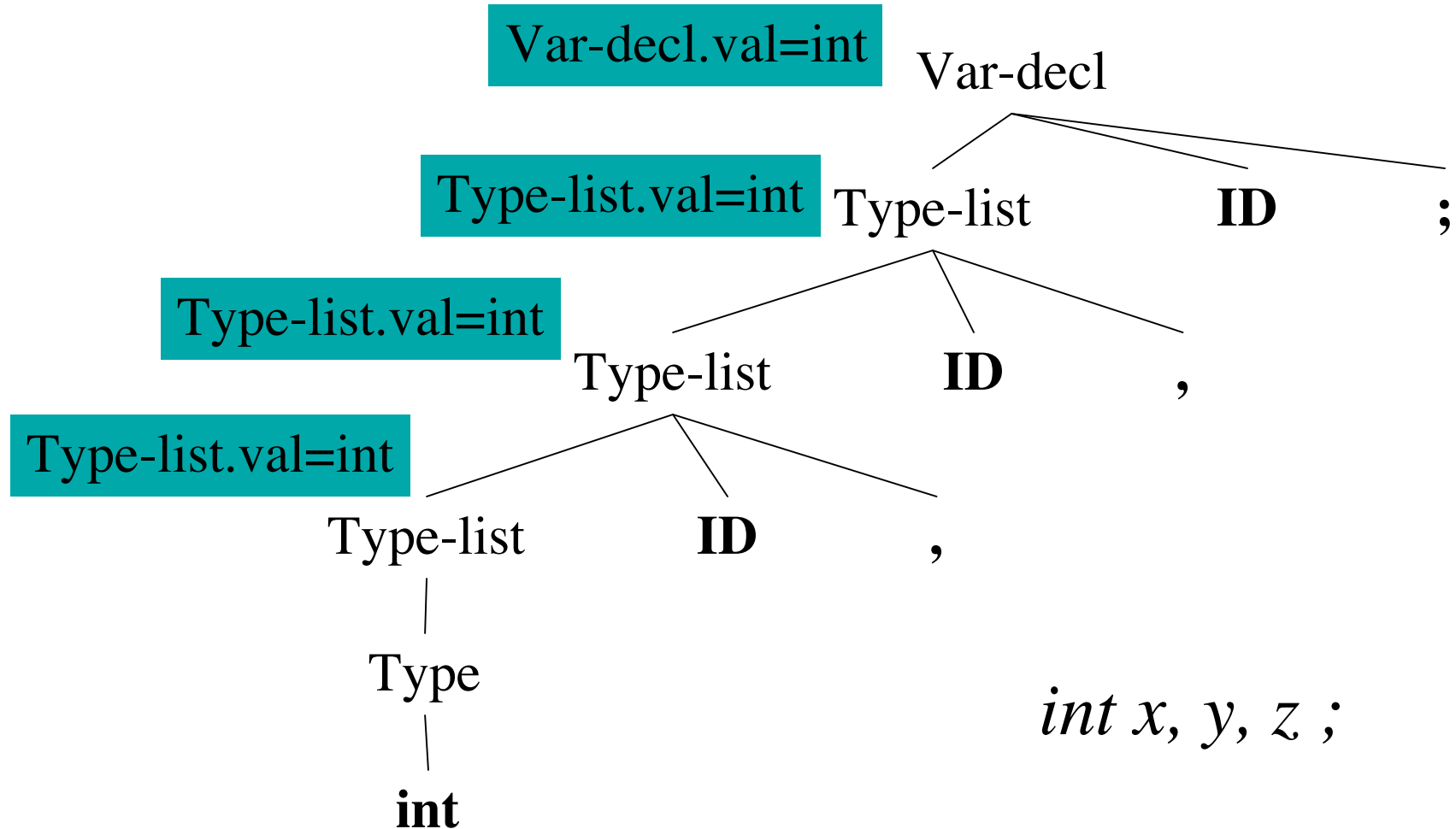
Inherited Attributes

- **Inherited attributes** are attributes that are computed at a node based on attributes from siblings or the parent
- Typically we combine synthesized attributes and inherited attributes
- It is possible to convert the grammar into a form that *only* uses synthesized attributes

Removing Inherited Attributes



Removing Inherited Attributes



Removing inherited attributes

Var-decl \rightarrow Type-List **ID** ;

{ \$0.val = \$1.val; }

Type-list \rightarrow Type-list **ID** ,

{ \$0.val = \$1.val; }

Type-list \rightarrow Type

{ \$0.val = \$1.val; }

Type \rightarrow **int** | **bool**

{ \$0.val = int; } & { \$0.val = bool; }

Direction of inherited attributes

- Consider the syntax directed defns:

$A \rightarrow L M$

$\{ \$1.in = \$0.in; \$2.in = \$1.val; \$0.val = \$2.val; \}$

$A \rightarrow Q R$

$\{ \$2.in = \$0.in; \$1.in = \$2.val; \$0.val = \$1.val; \}$

- Problematic definition: $\$1.in = \$2.val$
- Difference between incremental processing vs. using the completed parse tree

Incremental Processing

- Incremental processing: constructing output as we are parsing
- Bottom-up or top-down parsing
- Both can be viewed as left-to-right and depth-first construction of the parse tree
- Some inherited attributes cannot be used in conjunction with incremental processing

L-attributed Definitions

- A syntax-directed definition is **L-attributed** if for a CFG rule $A \rightarrow X_1..X_{j-1}X_j..X_n$ two conditions hold:
 - Each inherited attribute of X_j depends on $X_1..X_{j-1}$
 - Each inherited attribute of X_j depends on A
- These two conditions ensure left to right and depth first parse tree construction
- Every S-attributed definition is L-attributed

Top-down translation

- Assume that we have a top-down predictive parser
- Typical strategy: take the CFG and eliminate left-recursion
- Suppose that we start with an attribute grammar
- Can we still eliminate left-recursion?

Top-down translation

$E \rightarrow E + T$

{ \$0.val = \$1.val + \$3.val; }

$E \rightarrow E - T$

{ \$0.val = \$1.val - \$3.val; }

$T \rightarrow \text{IntConstant}$

{ \$0.val = \$1.lexval; }

$E \rightarrow T$

{ \$0.val = \$1.val; }

$T \rightarrow (E)$

{ \$0.val = \$1.val; }

Top-down translation

$E \rightarrow T R$

$\{ \$2.in = \$1.val; \$0.val = \$2.val; \}$

$R \rightarrow + T R$

$\{ \$3.in = \$0.in + \$2.val; \$0.val = \$3.val; \}$

$R \rightarrow - T R$

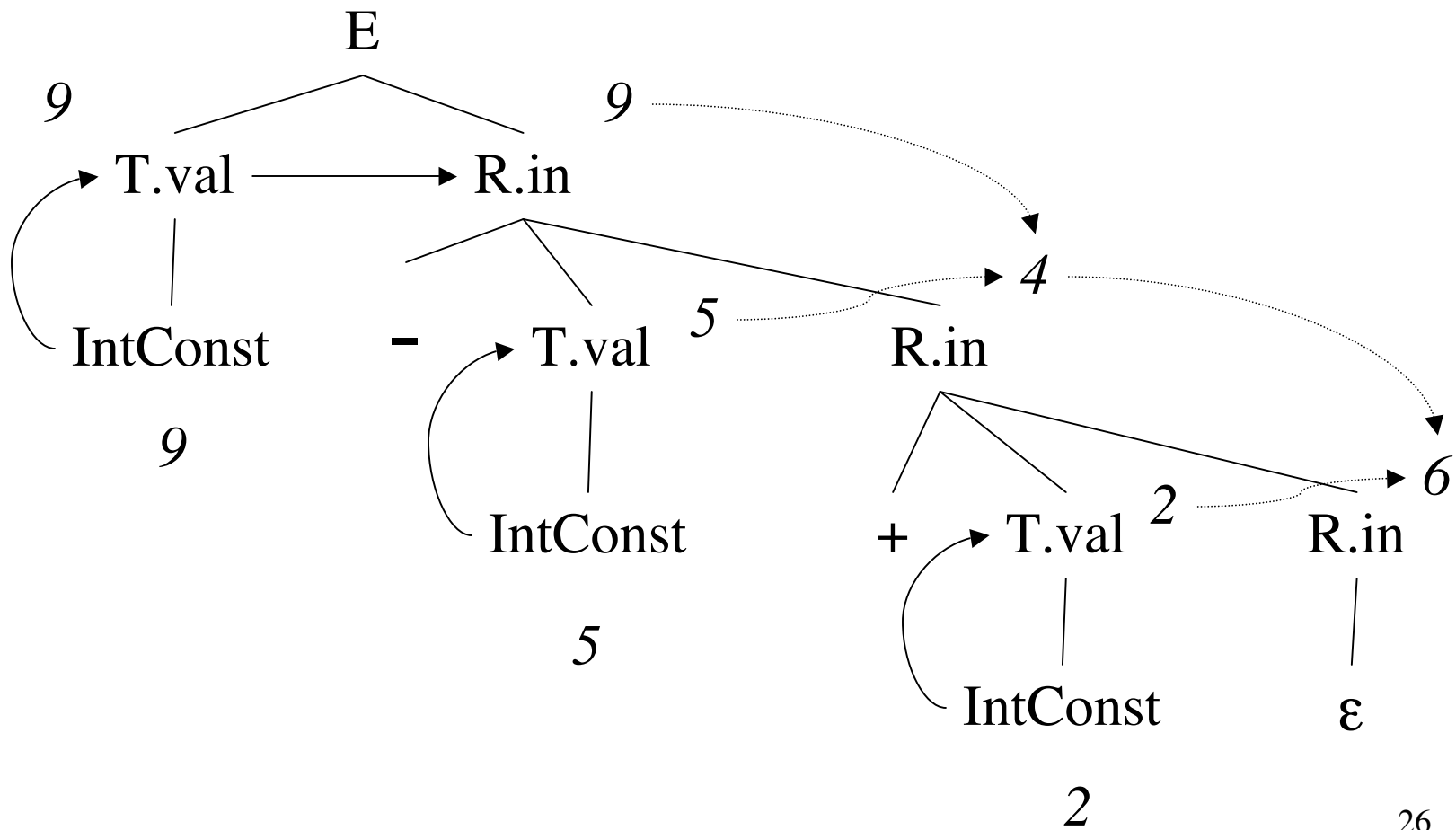
$\{ \$3.in = \$0.in - \$2.val; \$0.val = \$3.val; \}$

$R \rightarrow \epsilon \{ \$0.val = \$0.in; \}$

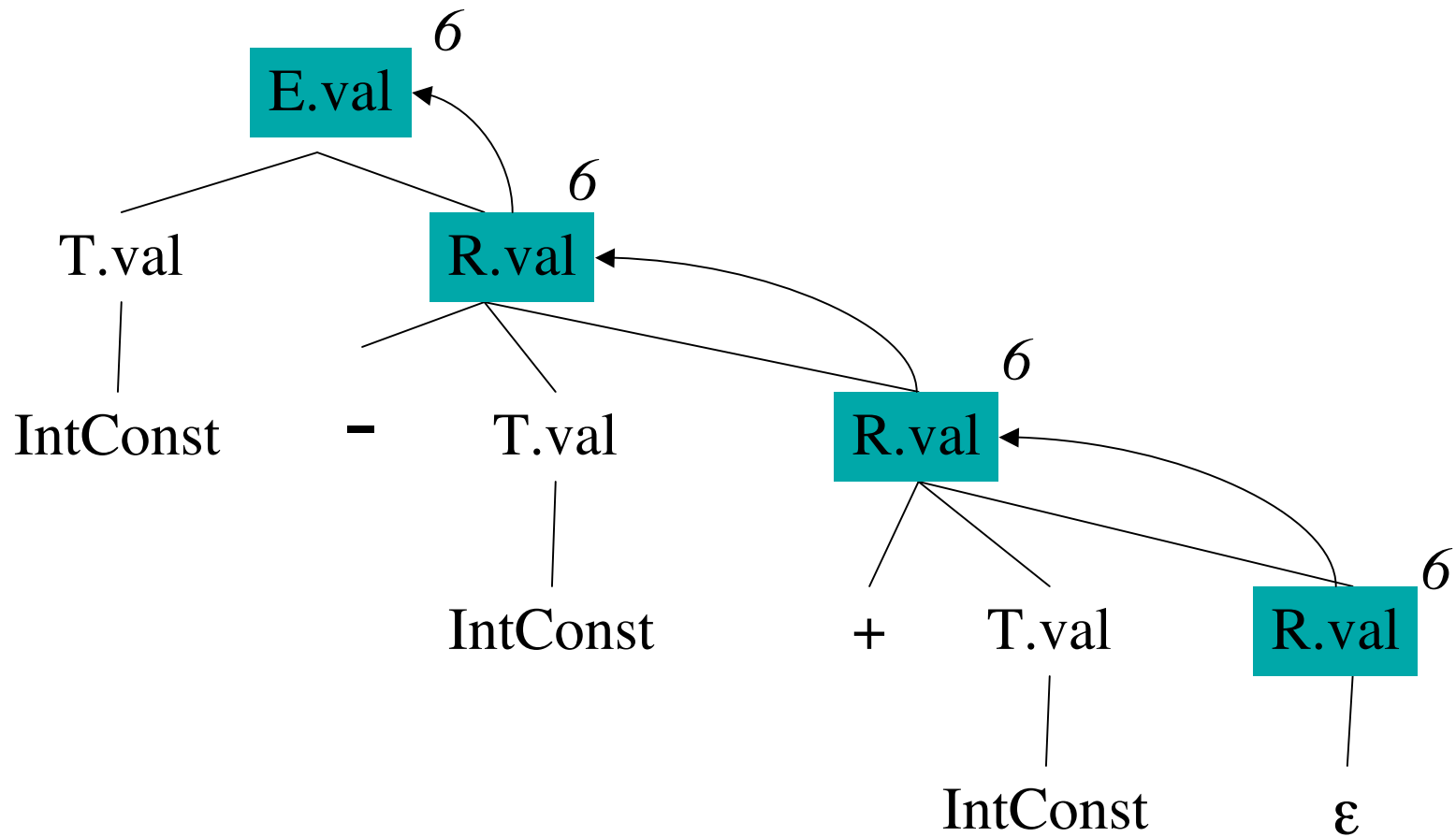
$T \rightarrow (E) \{ \$0.val = \$1.val; \}$

$T \rightarrow \text{IntConstant} \{ \$0.val = \$1.lexval; \}$

Example: $9 - 5 + 2$



Example: $9 - 5 + 2$



Translation Scheme

- A *translation scheme* is a CFG where each rule is associated with a semantic attribute
- A TS that maps infix expressions to postfix:

$E \rightarrow T R$

$R \rightarrow + T \{ \text{print('+'); } \} R$

$R \rightarrow - T \{ \text{print('-'); } \} R$

$R \rightarrow \varepsilon$

$T \rightarrow \mathbf{id} \{ \text{print(id.lookup); } \}$

LR parsing and inherited attributes

- As we just saw, inherited attributes are possible when doing top-down parsing
- How can we compute inherited attributes in a bottom-up shift-reduce parser
- Problem: doing it incrementally (while parsing)
- Note that LR parsing implies depth-first visit which matches L-attributed definitions

LR parsing and inherited attributes

- Attributes can be stored on the stack used by the shift-reduce parsing
- For synthesized attributes: when a reduce action is invoked, store the value on the stack based on value popped from stack
- For inherited attributes: transmit the attribute value when executing the **goto** function

Example: Synthesized Attributes

$T \rightarrow F \quad \{ \$0.val = \$1.val; \}$

$T \rightarrow T * F$

$\{ \$0.val = \$1.val * \$3.val; \}$

$F \rightarrow \mathbf{id}$

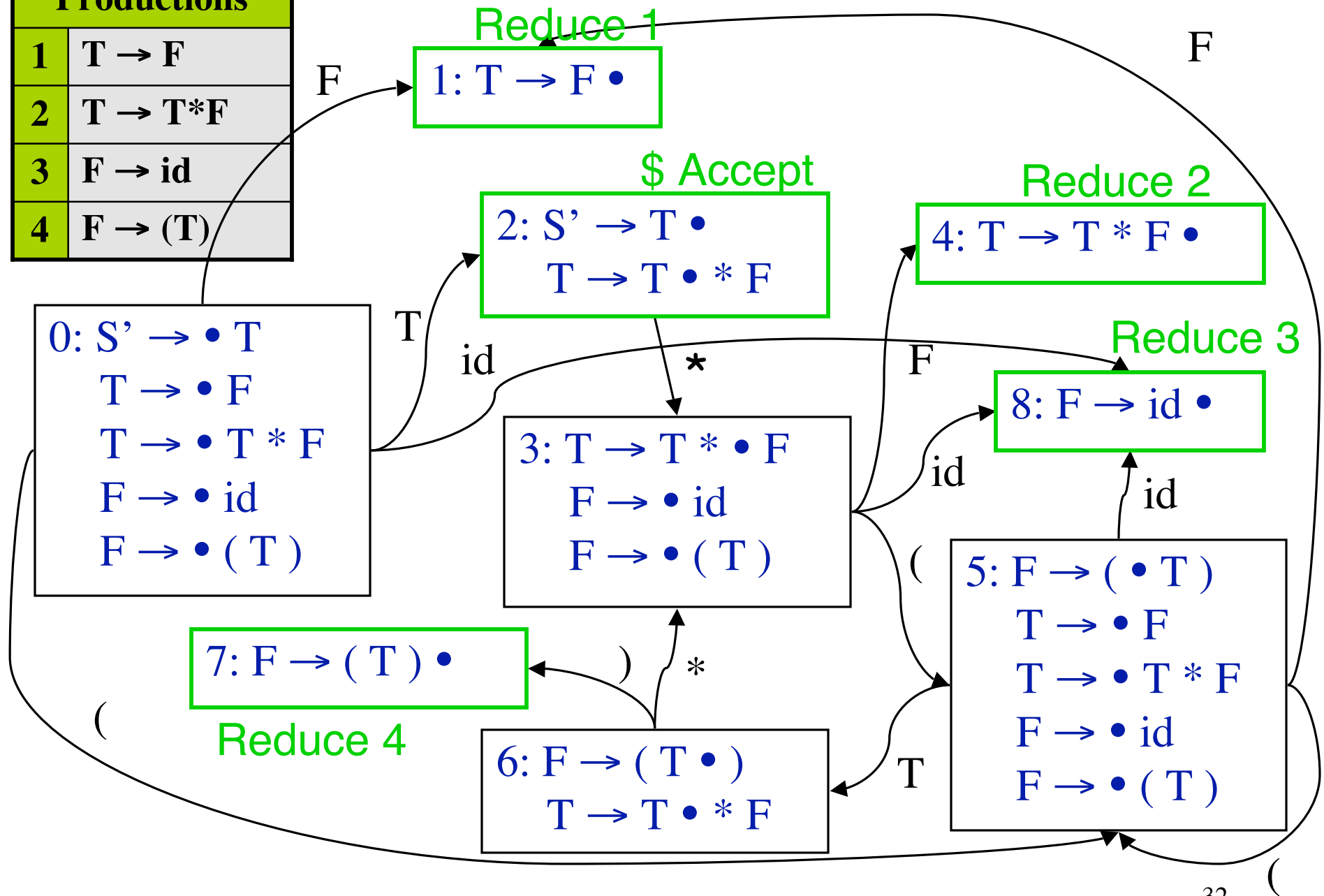
$\{ \text{val} := \mathbf{id}.lookup();$

$\text{if (val) } \{ \$0.val = \$1.val; \}$

$\text{else } \{ \text{error}; \} \}$

$F \rightarrow (T) \quad \{ \$0.val = \$1.val; \}$

Productions	
1	$T \rightarrow F$
2	$T \rightarrow T * F$
3	$F \rightarrow id$
4	$F \rightarrow (T)$



Trace “(id_{val=3})*id_{val=2}”

Stack	Input	Action	Attributes
0	(id) * id \$	Shift 5	a.Push id.val=3; { \$0.val = \$1.val } a.Pop; a.Push 3; { \$0.val = \$1.val } a.Pop; a.Push 3; { \$0.val = \$2.val } 3 pops; a.Push 3
0 5	id) * id \$	Shift 8	
0 5 8) * id \$	Reduce 3 F→id, pop 8, goto [5,F]=1	
0 5 1) * id \$	Reduce 1 T→ F, pop 1, goto [5,T]=6	
0 5 6) * id \$	Shift 7	
0 5 6 7	* id \$	Reduce 4 F→ (T), pop 7 6 5, goto [0,F]=1	

Trace “(id_{val=3})*id_{val=2}”

Stack	Input	Action	Attributes
0 1	* id \$	Reduce 1 T→F, pop 1, goto [0,T]=2	{ \$0.val = \$1.val } a.Pop; a.Push 3
0 2	* id \$	Shift 3	a.Push mul
0 2 3	id \$	Shift 8	a.Push id.val=2
0 2 3 8	\$	Reduce 3 F→id, pop 8, goto [3,F]=4	a.Pop a.Push 2
0 2 3 4	\$	Reduce 2 T→T * F pop 4 3 2, goto [0,T]=2	{ \$0.val = \$1.val * \$2.val; }
0 2	\$	Accept	3 pops; a.Push 3*2=6

Example: Inherited Attributes

$E \rightarrow T R$

$\{ \$2.in = \$1.val; \$0.val = \$2.val; \}$

$R \rightarrow + T R$

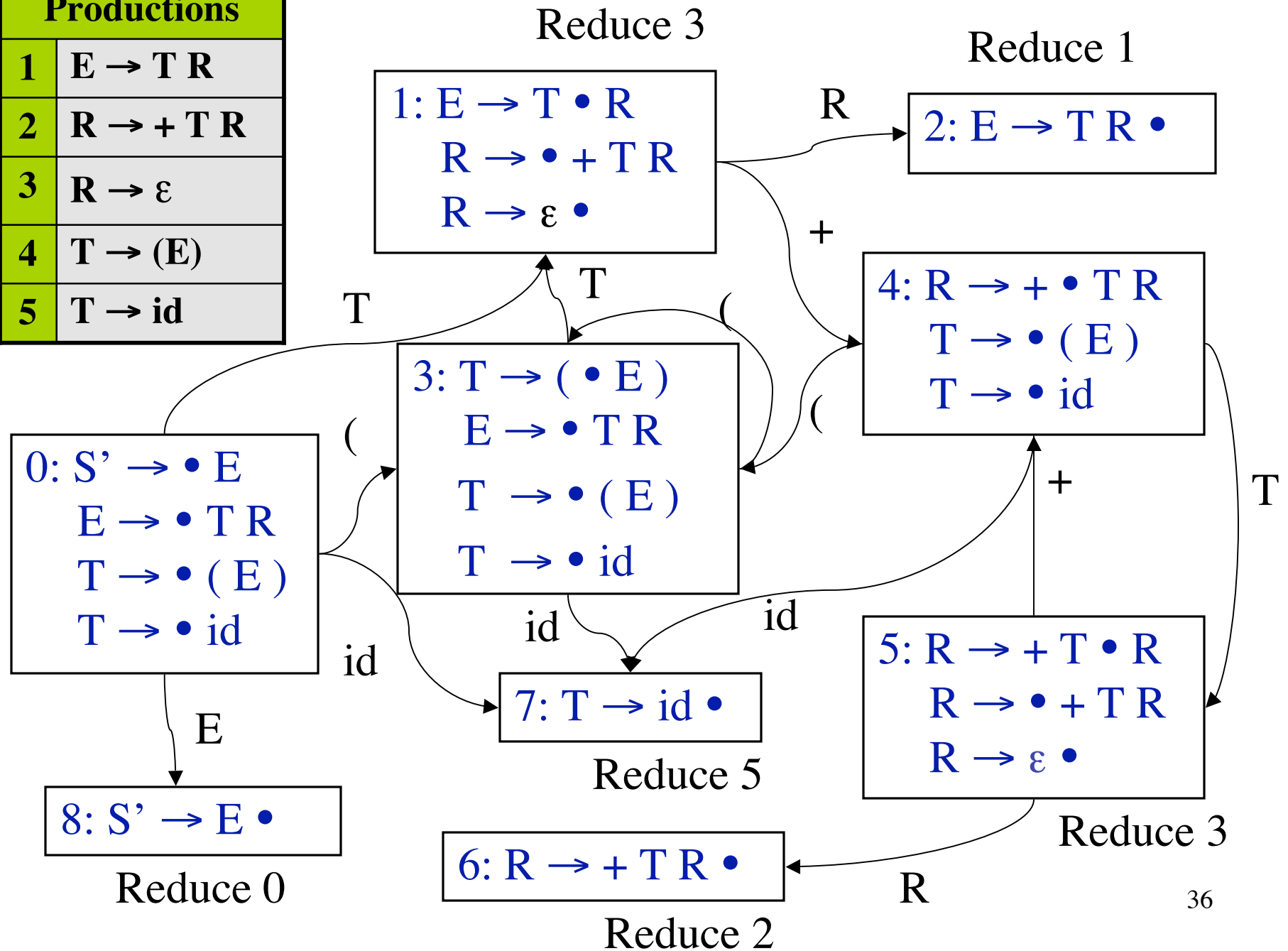
$\{ \$3.in = \$0.in + \$2.val; \$0.val = \$3.val; \}$

$R \rightarrow \epsilon \{ \$0.val = \$0.in; \}$

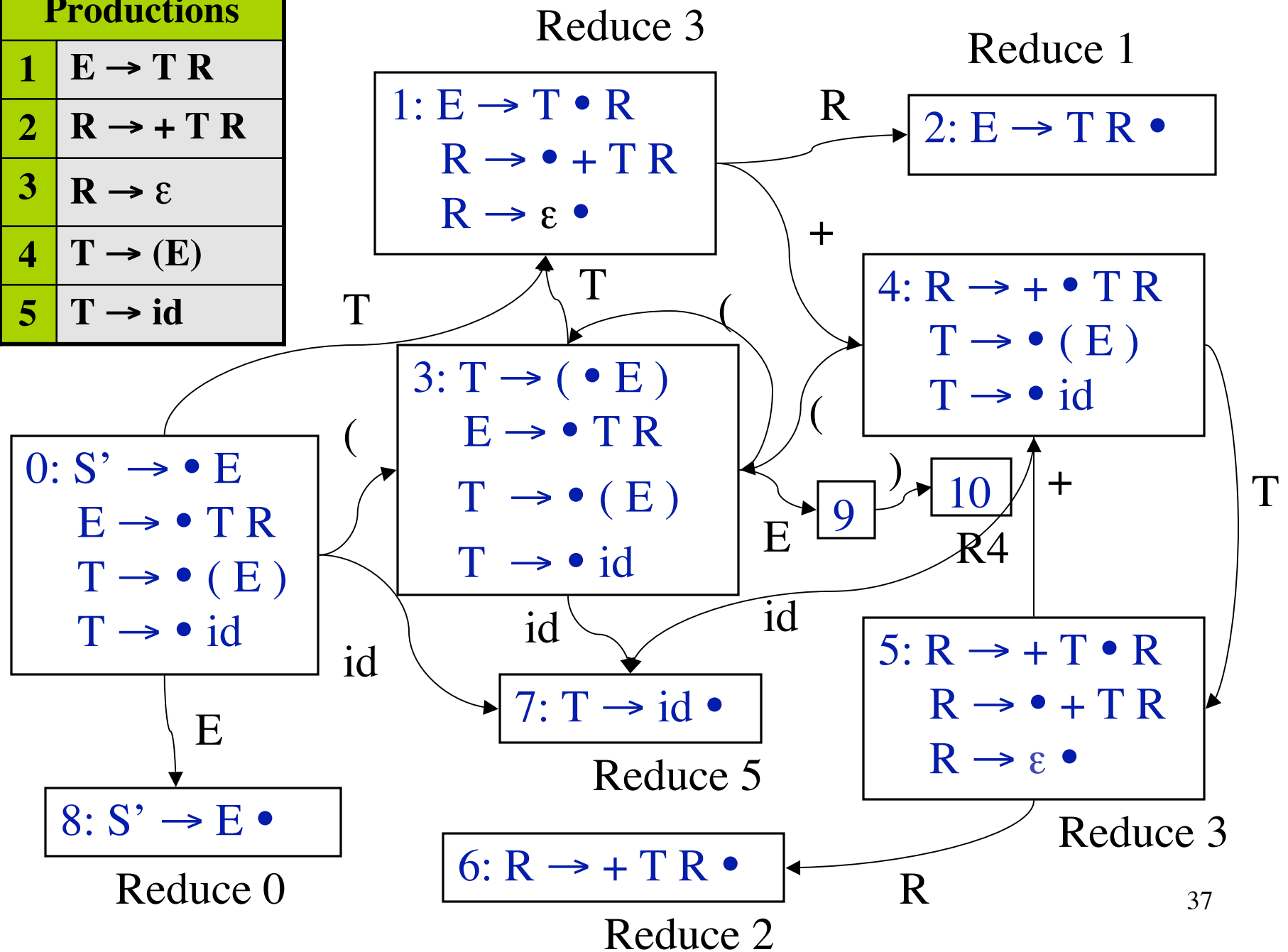
$T \rightarrow (E) \{ \$0.val = \$1.val; \}$

$T \rightarrow \mathbf{id} \{ \$0.val = \mathbf{id}.lookup; \}$

Productions	
1	$E \rightarrow T R$
2	$R \rightarrow + T R$
3	$R \rightarrow \varepsilon$
4	$T \rightarrow (E)$
5	$T \rightarrow id$



Productions	
1	$E \rightarrow T R$
2	$R \rightarrow + T R$
3	$R \rightarrow \varepsilon$
4	$T \rightarrow (E)$
5	$T \rightarrow id$



Productions			
1	$E \rightarrow T R \{ \$2.in = \$1.val; \$0.val = \$2.val; \}$		
2	$R \rightarrow + T R \{ \$3.in = \$0.in + \$2.val; \$0.val = \$3.val; \}$		
3	$R \rightarrow \epsilon \{ \$0.val = \$0.in; \}$		
4	$T \rightarrow (E) \{ \$0.val = \$1.val; \}$		
5	$T \rightarrow id \{ \$0.val = id.lookup; \}$		

Attributes			
0 1	+ id \$	pop 7, goto [0,T]=1	{ pop; attr.Push(3)
0 1 4	id \$	Shift 4	\$2.in = \$1.val
0 1 4 7	\$	Shift 7	\$2.in := (1).attr }
0 1 4 5	\$	Reduce 5 T→id	{ \$0.val = id.lookup }
		pop 7, goto [4,T]=5	{ pop; attr.Push(2); }
		Reduce 3 R→ ε	{ \$3.in = \$0.in+\$1.val
		goto [5,R]=6	(5).attr := (1).attr+2
			\$0.val = \$0.in
			\$0.val = (5).attr ³ = 5 }

Trace “ $\text{id}_{\text{val}=3} + \text{id}_{\text{val}=2}$ ”

Stack	Input	Action	Attributes
0	id + id \$	Shift 7	
0 7	+ id \$	Reduce 5 $T \rightarrow \text{id}$ pop 7, goto [0,T]=1	{ \$0.val = id.lookup } { pop; attr.Push(3)
0 1	+ id \$	Shift 4	\$2.in = \$1.val
0 1 4	id \$	Shift 7	\$2.in := (1).attr }
0 1 4 7	\$	Reduce 5 $T \rightarrow \text{id}$ pop 7, goto [4,T]=5	<hr/> { \$0.val = id.lookup } { pop; attr.Push(2); }
0 1 4 5	\$	Reduce 3 $R \rightarrow \epsilon$ goto [5,R]=6	<hr/> { \$3.in = \$0.in+\$1.val (5).attr := (1).attr+2 \$0.val = \$0.in \$0.val = (5).attr³ = 5 }

Trace “ $\text{id}_{\text{val}=3} + \text{id}_{\text{val}=2}$ ”

Stack	Input	Action	Attributes
0 1 4 5 6	\$	Reduce 2 $R \rightarrow + T R$ Pop 4 5 6, goto [1,R]=2	{ $\\$0.\text{val} = \\$3.\text{val}$ pop; attr.Push(5); }
0 1 2	\$	Reduce 1 $E \rightarrow T R$ Pop 1 2, goto [0,E]=8	{ $\\$0.\text{val} = \\$3.\text{val}$ pop; attr.Push(5); }
0 8	\$	Accept	{ $\\$0.\text{val} = 5$ attr.top = 5; }

Marker Non-terminals

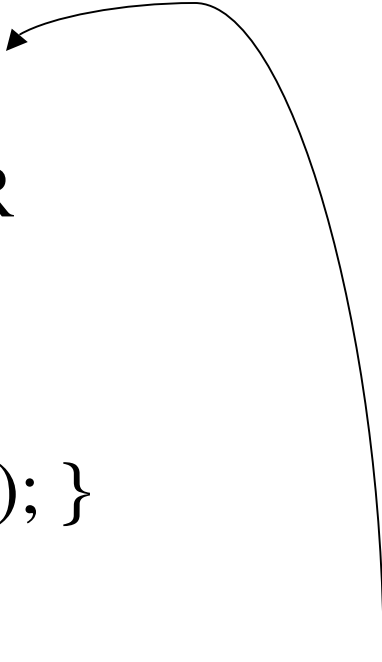
$E \rightarrow T R$

$R \rightarrow + T \{ \text{print('+'); } R$

$R \rightarrow - T \{ \text{print('-'); } R$

$R \rightarrow \epsilon$

$T \rightarrow \mathbf{id} \{ \text{print(id.lookup); } \}$



Actions that should be done after
recognizing T but before predicting
R

Marker Non-terminals

$E \rightarrow T R$

$R \rightarrow + T M R$

$R \rightarrow - T N R$

$R \rightarrow \varepsilon$

$T \rightarrow \mathbf{id} \{ \text{print}(\mathbf{id.lookup}); \}$

$M \rightarrow \varepsilon \{ \text{print}(' + '); \}$

$N \rightarrow \varepsilon \{ \text{print}(' - '); \}$

Equivalent SDT using
marker non-terminals

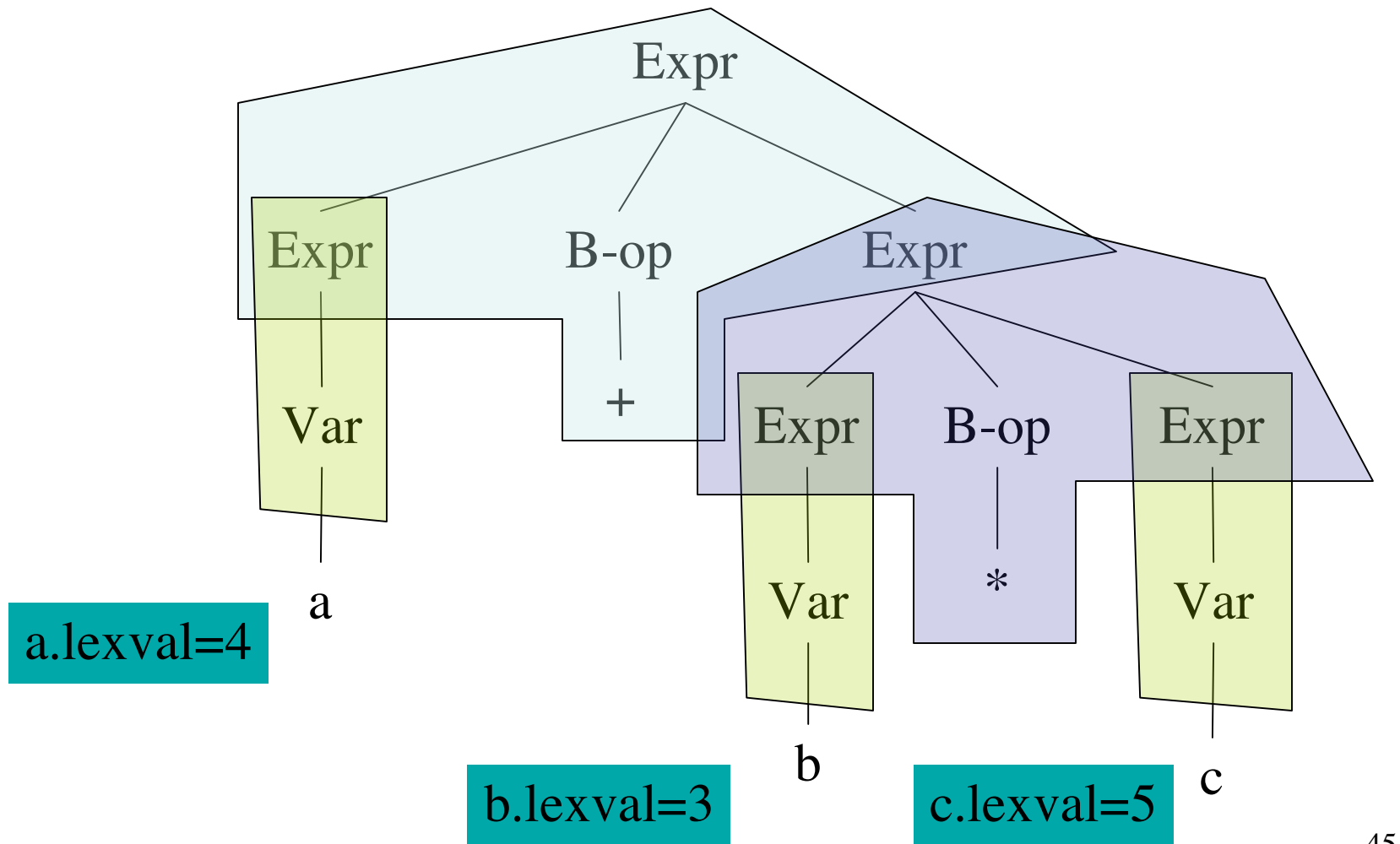
Tree Matching Code Generators

- Write tree patterns that match portions of the parse tree
- Each tree pattern can be associated with an action (just like attribute grammars)
- There can be multiple combinations of tree patterns that match the input parse tree

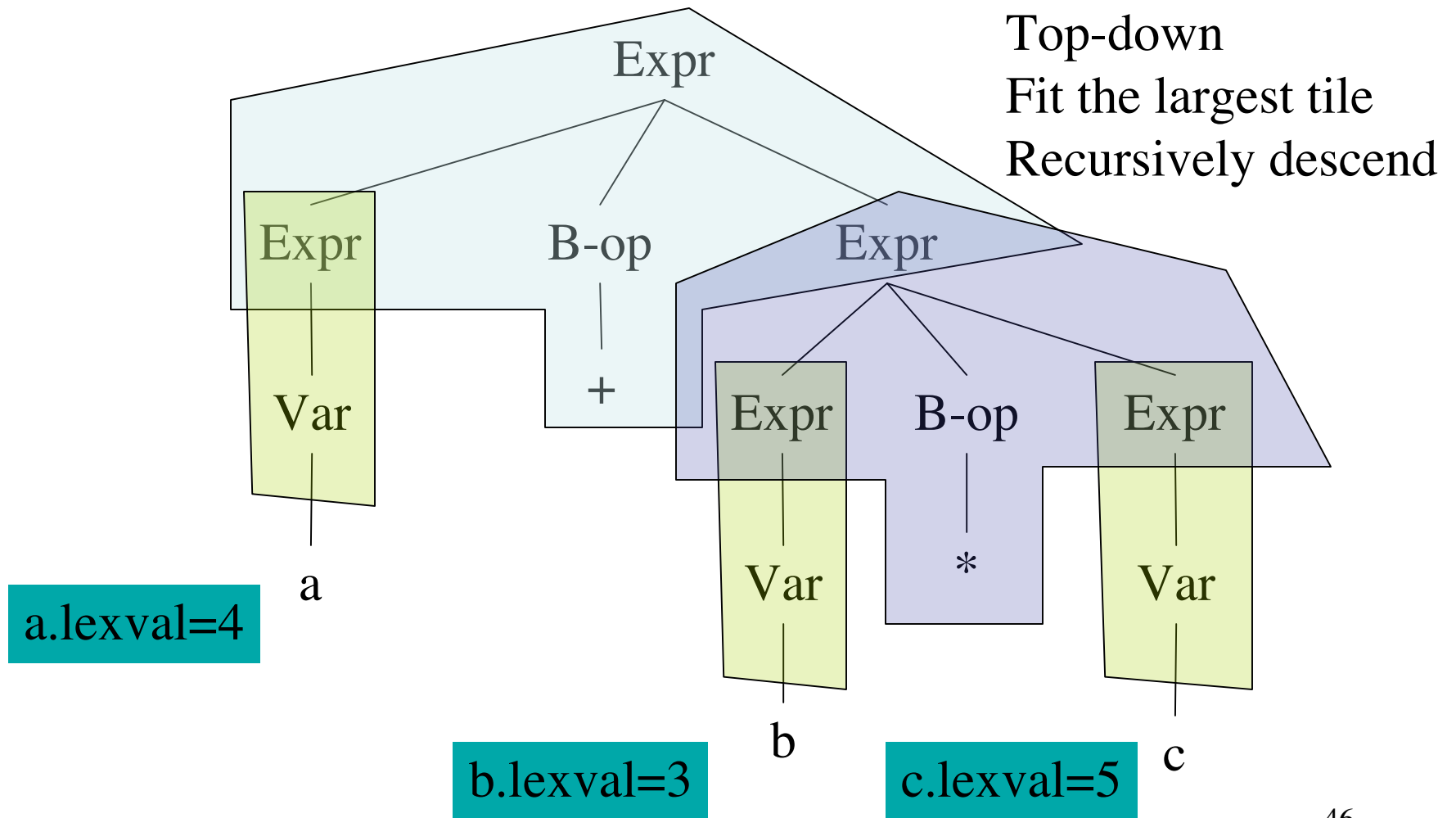
Tree Matching Code Generators

- To provide a unique output, we assign costs to the use of each tree pattern
- E.g. assigning uniform costs leads to smaller code or instruction costs can be used for optimizing code generation
- Three algorithms: Maximal Munch (§9.12), Dynamic Programming (§9.11), Tree Grammars

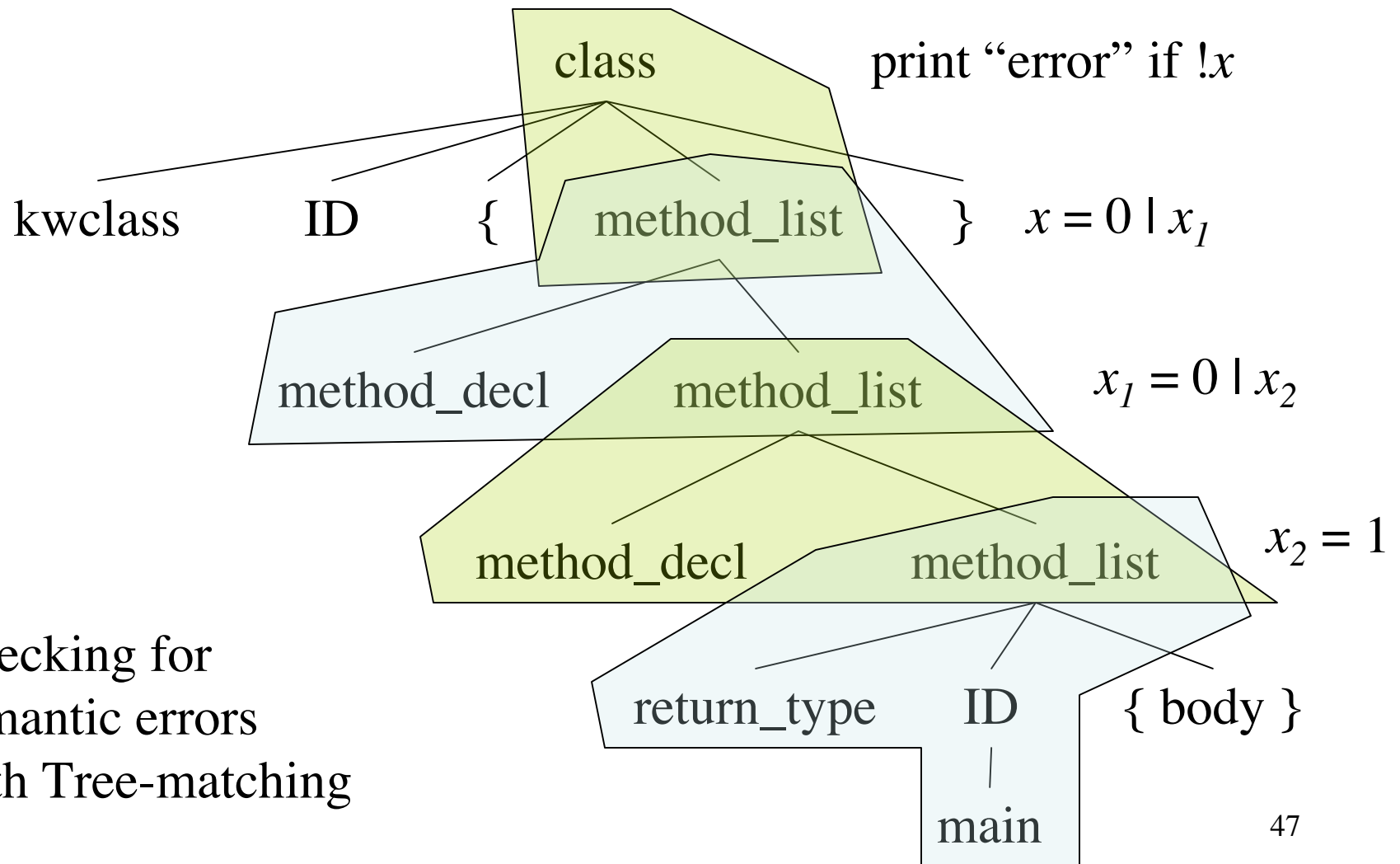
Maximal Munch: Example 1



Maximal Munch: Example 1



Maximal Munch: Example 2



Tree Parsing Code Generators

- Take the prefix representation of the syntax tree
 - E.g. $(+ (* c1 r1) (+ ma c2))$ in prefix representation uses an inorder traversal to get $+ * c1 r1 + ma c2$
- Write CFG rules that match substrings of the above representation and non-terminals are registers or memory locations
- Each matching rule produces some predefined output
- Example 9.18 (Dragon book)

Code-generation Generators

- A CGG is like a compiler-compiler: write down a description and generate code for it
- Code generation by:
 - Adding semantic actions to the original CFG and each action is executed while parsing, e.g. yacc
 - Tree Rewriting: match a tree and commit an action, e.g. lcc
 - Tree Parsing: use a grammar that generates trees (not strings), e.g. twig, burs, iburg

Summary

- The parser produces concrete syntax trees
- Abstract syntax trees: define semantic checks or a syntax-directed translation to the desired output
- Attribute grammars: static definition of syntax-directed translation
 - Synthesized and Inherited attributes
 - S-attribute grammars
 - L-attributed grammars
- Complex inherited attributes can be defined if the full parse tree is available