Arrays

Arrays

- One variable that can hold multiple values.
- Limitations:
 - length must be set when declared & can't change
 - can only hold a single type
- that is...
 - can't lengthen an array mid-program
 - can't store an int and String in the same array

Declaring an Array

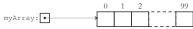
- Arrays are objects in Java
 - ie. require the declare reference, new object syntax
- To create a pointer to an array, append [] to the type
 - eg. for type int: int[] myArray;
- Like other reference declarations, this just creates reference, not object.

Array Objects

- To allocate the memory for the array:
 - eg. create array of 100 ints: new int[100]
 - All at once:

int[] myArray = new int[100];

■ Creates this:



Array Elements

- The square brackets are used to subscript.
 - eg.

```
int[] myArray = new int[100];
myArray[0] = 2;
myArray[4] = myArray[0] + 1;
System.out.println(myArray[4]);
   // prints 3
myArray[99] = 2;   // ok
myArray[100] = 2;   // error
```

Searching

Searching

- Common problem: find an item in an array
 - find exact match/find item that contains
 - return position/return element

Linear Search

- In general, we have to go through every element in the array.
- Pseudocode:

for *i* from 0 to *length*-1: if *array*[*i*] == *target*: return *i*

return -1 // not in array, -1 will indicate that.

■ Java implementation in text

Properties

- Will work on any array
 - searches every element: will find the target if it's there.
- Slow
 - searches every element
 - might not be necessary in some arrays

Binary Search

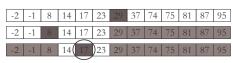
- Suppose a sorted array.
 - then, we can avoid looking at every item.
 - eg.

 -2
 -1
 8
 14
 17
 23
 29
 37
 74
 75
 81
 87
 95

- We are looking for 17 in this array.
- Half the array can quickly be eliminated:
 - Look in middle: 29
 - Can ignore second half of array.

Details

- Keep track of the "candidate" part of the array.
 - Look at the middle of the candidate part.
 - Found it: done!
 - Not found: throw away one half.
- eg.

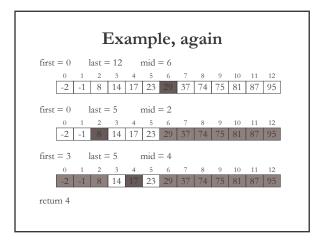


Pseudocode

first = 0 // start of candidate array last = length-1 // end of candidate array while first \leq last: mid = (first + last)/2

if array[mid] = target: return mid else if array[mid] < target: first = mid + 1 else if array[mid] > target: last = mid - 1

return -1 // not in array



Speed

- binary search
 - example took 3 steps
 - worst case: $4 \approx \log_2 n$
- linear search
 - worst case: 13 (= n)
- binary search is **much** faster for large arrays.
 - lacksquare ... if it can be used: only works on sorted arrays